

CHARACTERIZATION OF ICOSAHEDRAL METALLIC NANOWIRES FORMED UNDER STRETCHING

S. Peláez¹, P.A. Serena¹, P. García-Mochales^{2,*}, R. Paredes³, C. Guerrero⁴

¹ Instituto de Ciencia de Materiales de Madrid, Consejo Superior de Investigaciones Científicas, c/ Sor Juana Inés de la Cruz 3, Cantoblanco, E-28049-Madrid, Spain

² Dept. Física de la Materia Condensada, Facultad de Ciencias, Universidad Autónoma de Madrid, c/ Tomas y Valiente 7, Cantoblanco, E-28049-Madrid, Spain

³ Centro de Física, Instituto Venezolano de Investigaciones Científicas, Apto. 20632, Caracas 1020A, Venezuela

⁴ Departamento de Física, Facultad Experimental de Ciencias, La Universidad del Zulia, Maracaibo, Venezuela

* e-mail: pedro.garciamochales@uam.es

Icosahedral or pentagonal nanowires are formed by subsequent staggered parallel pentagonal rings (with a relative rotation of $\pi/5$) connected with single atoms, showing a characteristic -5-1-5-1- ordering. These structures have been found on simulated nanowires of different species [1-5]. However, the statistical study of their formation has been only addressed for Ni up to date [4,5]. It has been shown that that [100] and [110] stretching direction favour the appearance of long pentagonal nanowires [4,5], and that there exist an optimal temperature at which the pentagonal nanowire yield is maximized [5].

In [4,5] a method based on the time that the breaking nanowire lasts with a cross section $S_m \sim 5$ (close to that corresponding to a pentagonal ring) was used to detect the formation of -5-1-5- structures. This measure gives a qualitative value of the length of the pentagonal nanowire formed, but not its actual value (deformations of non-pentagonal regions of the simulated nanowire can increase the total nanowire length without an increase the pentagonal zone length). This method can not determinate either the number of pentagonal rings that form the tubular structure. In order to overcome its limitations, in this paper we present an algorithm that allows the automatic identification of pentagonal rings structures as well as the determination of the actual pentagonal nanotube length L_p . With this new tool we have revisited the Ni case, and extended to Al and Cu the statistical analysis of the formation of pentagonal nanowires.

The algorithm is based in the determination of the angular distribution of the nearest-neighbors atoms and provides a parameter α that measures such angular distribution. The average of α ($\langle \alpha \rangle$) over a 1Å thickness slabs differentiates between pentagonal and non-pentagonal structures. If the parameter $\langle \alpha \rangle < 0.5$, the set of atoms inside the slab forms a structure similar to that of a pentagonal ring. On the contrary, if $\langle \alpha \rangle > 0.5$ the structure presents another structure (bulk like or disordered). Figure 1 illustrates the use of the α -parameter for a nanowire with pentagonal structures.

We have obtained for different conditions (crystalline orientation, initial size and temperature), the distribution of lengths of the pentagonal wire L_p as well as the probability distribution of the number of pentagonal rings n_p before the nanowire breaking. An example of these distributions is shown in the left panel of Figure 2. In order to summarize the large amount of computed data we have constructed the cumulative probability of finding a tubular nanowire containing at least a given number (n_p) of pentagonal rings. From this figure it can be conclude that, for aluminium and this initial size, the optimal temperature for obtaining longer pentagonal nanowires is close to 300K, where we have found nanowires with up to 16 pentagonal rings.

References:

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Figures:

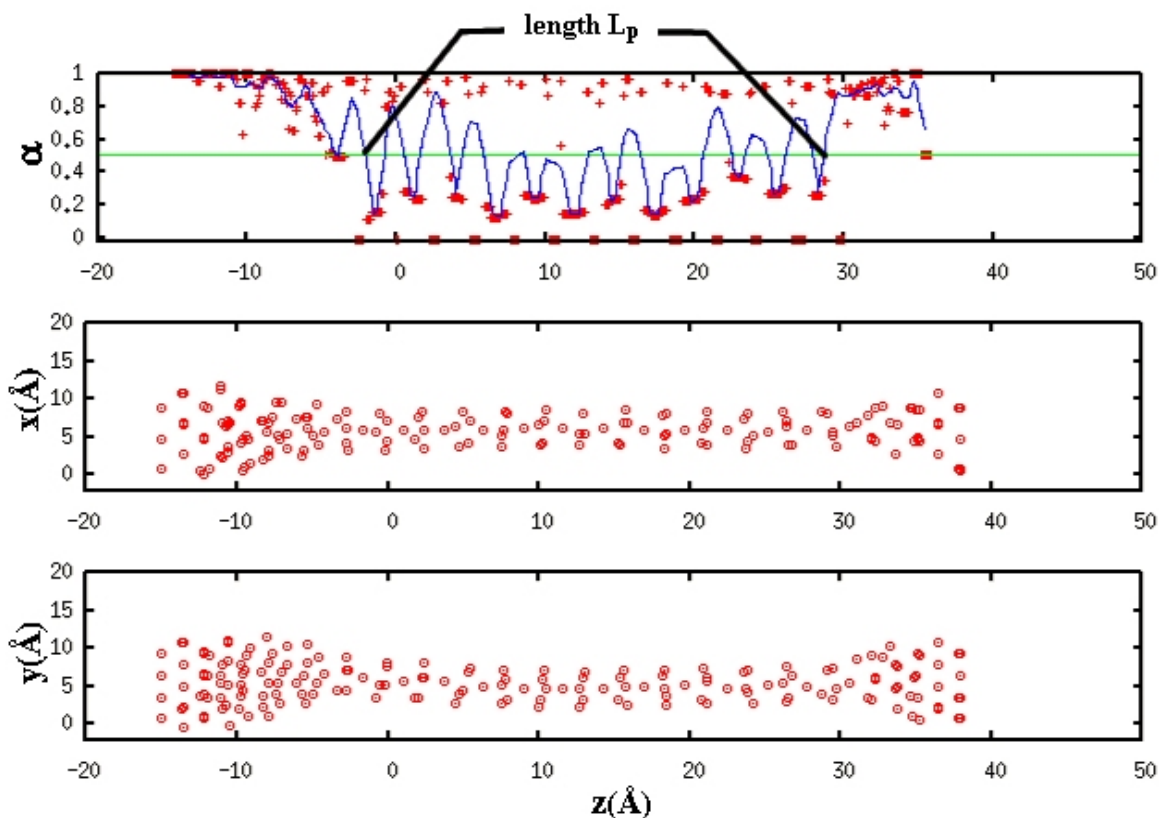


Figure 1: xz (middle) and yz (bottom) projections of the atomic coordinates of a test configuration of a simulated Al nanowire with 204 atoms stretched along the [100] direction at 300K. (top) Value of the α -parameter (red dots) and its average $\langle\alpha\rangle$ (blue line) along the nanowire. The green line is the reference value $\langle\alpha\rangle=0.5$. L_p is the pentagonal nanotube length as defined from the maximum and minimum z coordinates satisfying $\langle\alpha\rangle=0.5$.

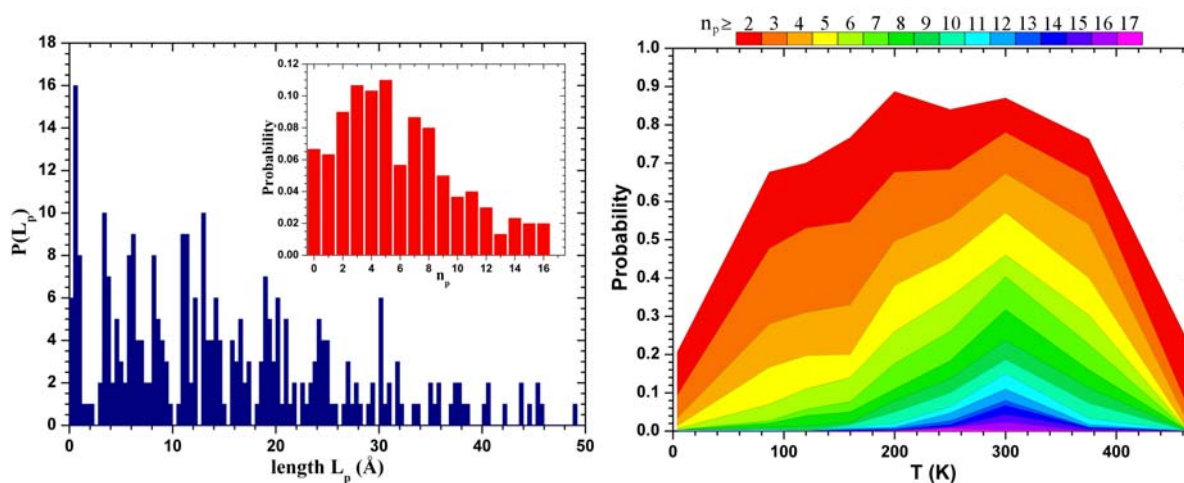


Figure 2: (Left) Pentagonal tube length distribution $P(L_p)$ and probability distribution of the number of pentagonal rings n_p for nanowires of Al stretched along the [110] direction and 204 atoms at 300K. (Right) Temperature dependence of the probability of finding a pentagonal nanotube with n_p or more pentagonal rings for Al nanowires containing 204 atoms stretched along the [110] direction.