

Concepts of magnetic 3D and multilayer recording



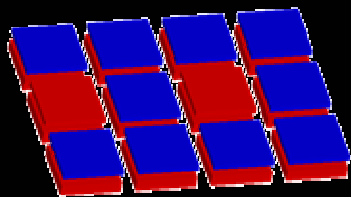
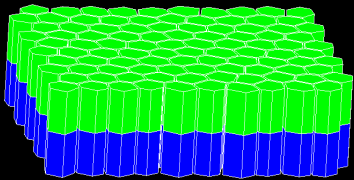
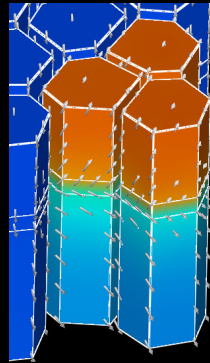
D. Suess, G. Winkler, J. Fidler
Vienna University of Technology, Austria



A. Bashir T. Schrefl
The University of Sheffield, Sheffield, UK

dieter.suess@tuwien.ac.at
<http://magnet.atp.tuwien.ac.at/>
<http://magnet.atp.tuwien.ac.at/suess/>

Outlook



Introduction

- Micromagnetics
- Limits in recording

Multilayer Media

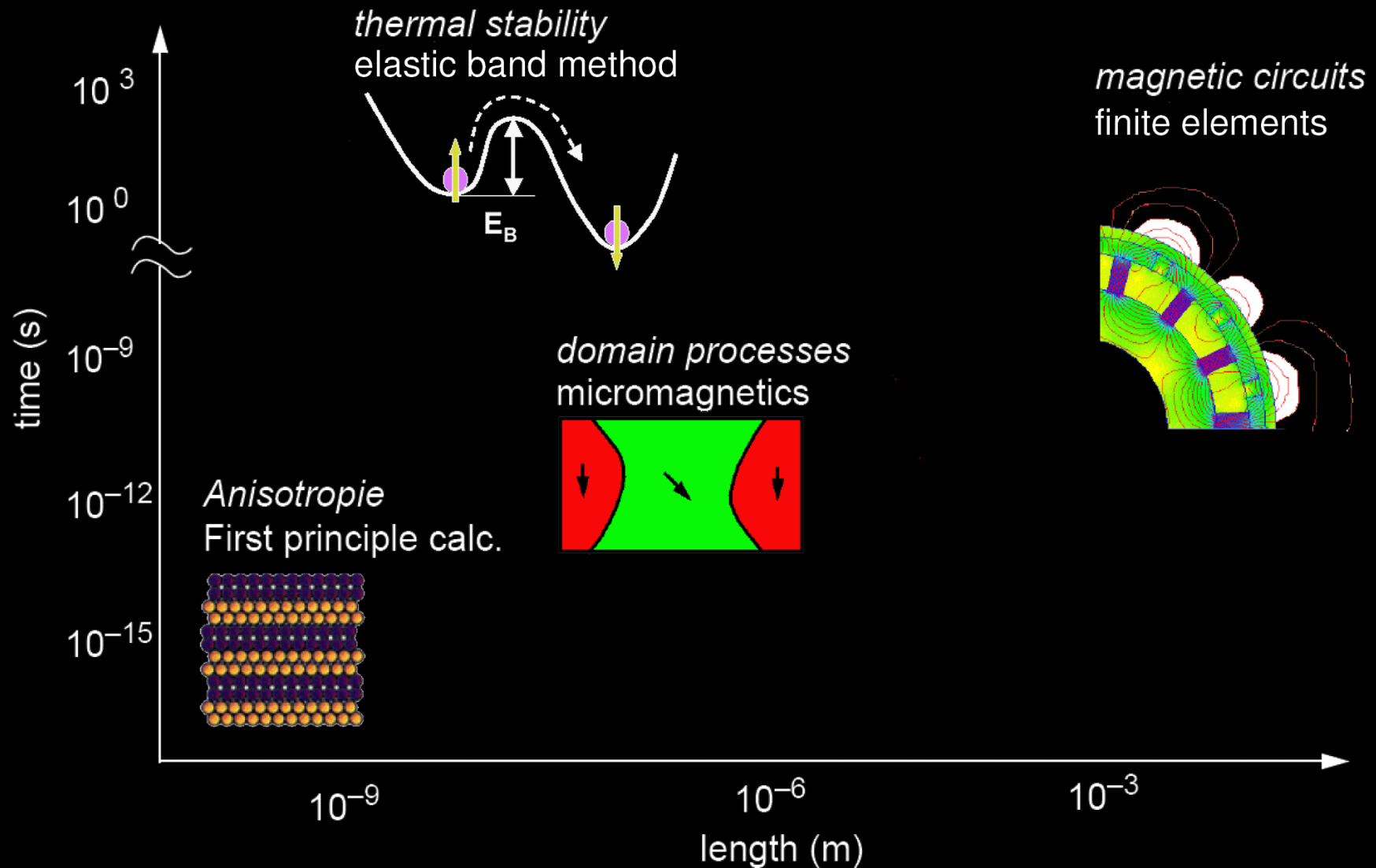
- overcoming limits
- exchange spring media

3-d recording

- Microwave assisted
- patterned media

Summary

Length and Time Scales



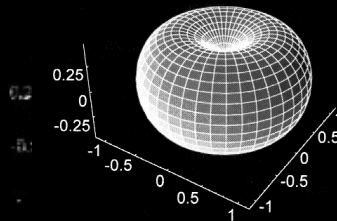
Micromagnetis

exchange



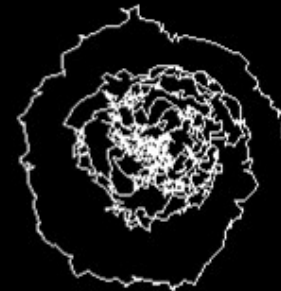
⇒ parallel spins

anisotropy



⇒ easy directions

thermal activation



⇒ fluctuations

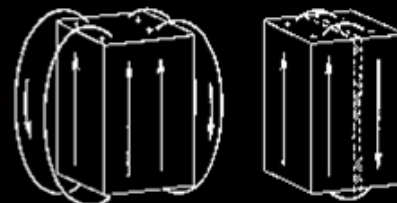
$$\Phi_{\text{tot}}(\mathbf{J}) = \int \left[\frac{A}{J_s^2} (\nabla \mathbf{J})^2 - K_1 \left(\mathbf{u}_c \cdot \frac{\mathbf{J}}{J_s} \right)^2 - \mathbf{J} \cdot \mathbf{H}_{\text{ext}} - \mathbf{J} \cdot \mathbf{H}_d \right] dV$$

external field



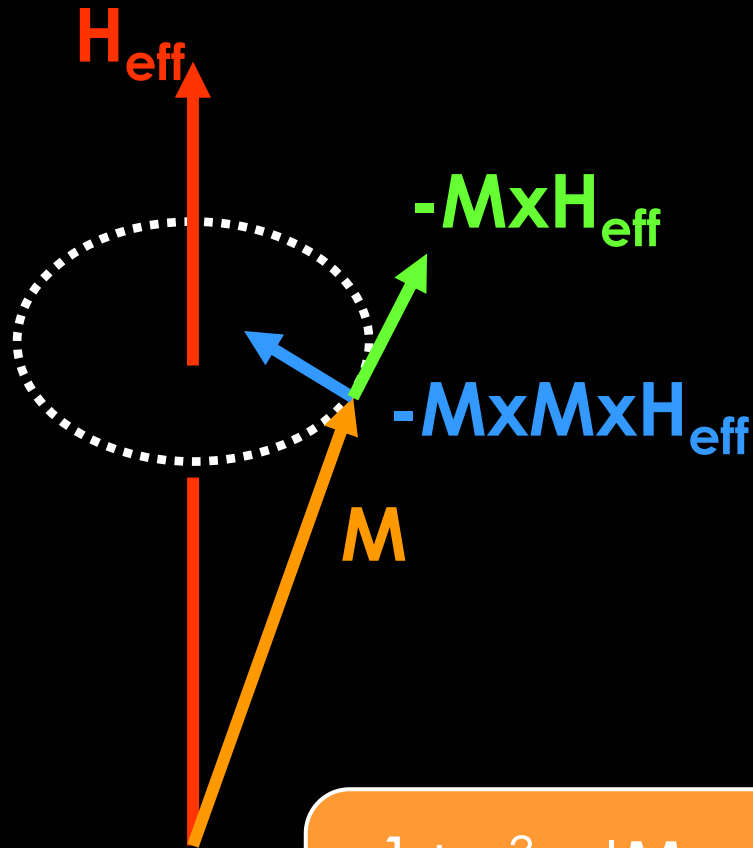
⇒ rotation

magnetostatic



⇒ domains

Magnetization Dynamics



Gyromagnetic precession

M rotates around H_{eff}

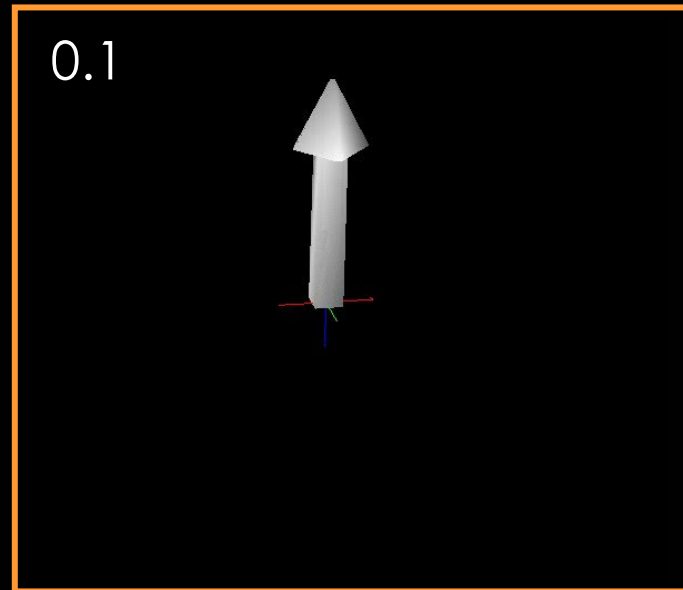
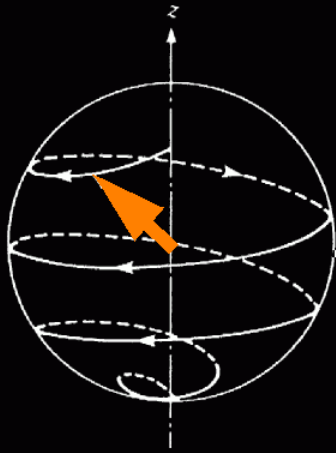
Dissipative term

“force” proportional
to generalized velocity

$$H_{\text{eff}} = - \frac{\delta E}{\delta M}$$

$$\frac{1+\alpha^2}{|\gamma|} \frac{dM}{dt} = -M \times H_{\text{eff}} - \frac{\alpha}{M_s} M \times (M \times H_{\text{eff}})$$

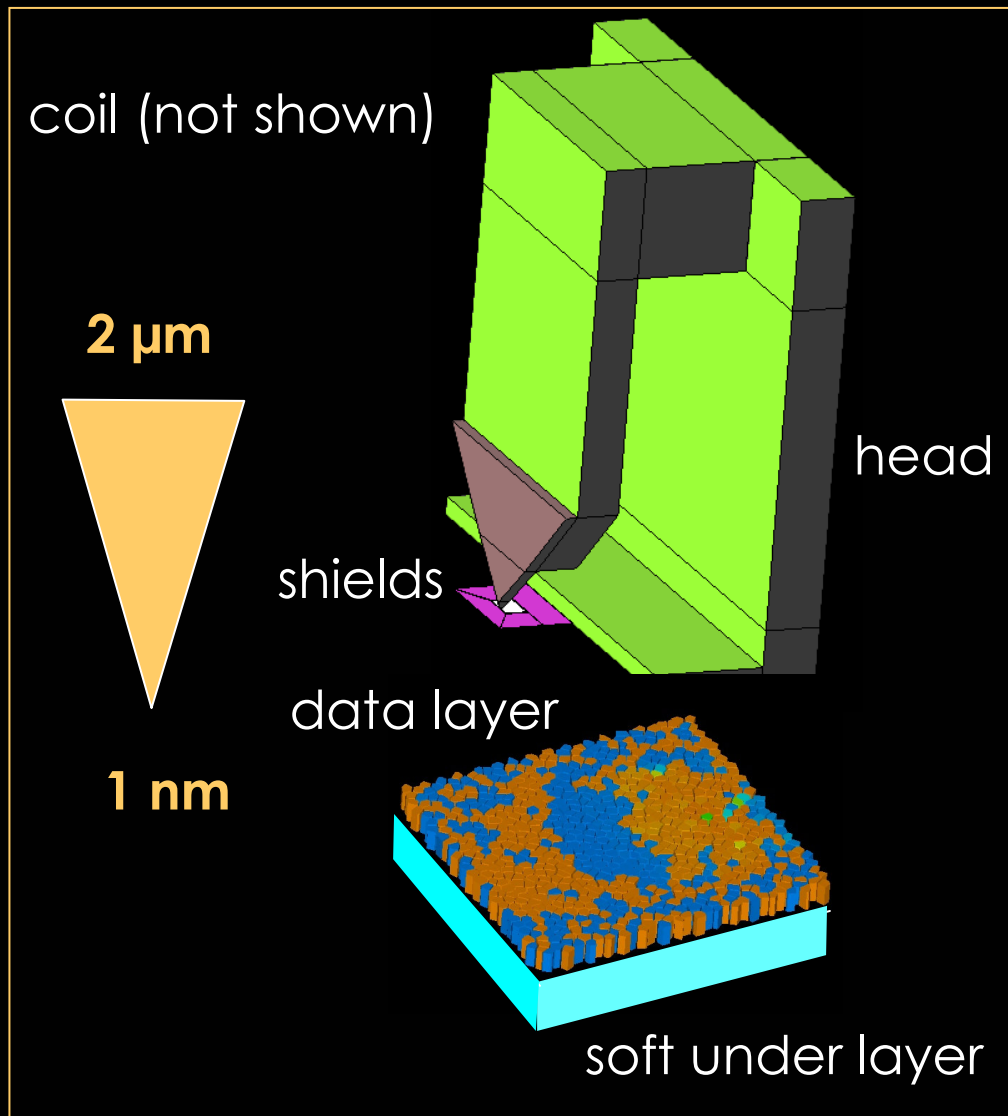
Reversal of Single Spin



$t_{\text{switch}} = 65 \text{ ps}$

$$\frac{1+\alpha^2}{\gamma} \frac{d\mathbf{M}}{dt} = -\mathbf{M} \times \mathbf{H}_{\text{eff}} - \frac{\alpha}{M_s} \mathbf{M} \times \mathbf{M} \times \mathbf{H}_{\text{eff}}$$

Recording simulations



Finite elements

head and soft underlayer
magnetization dynamics

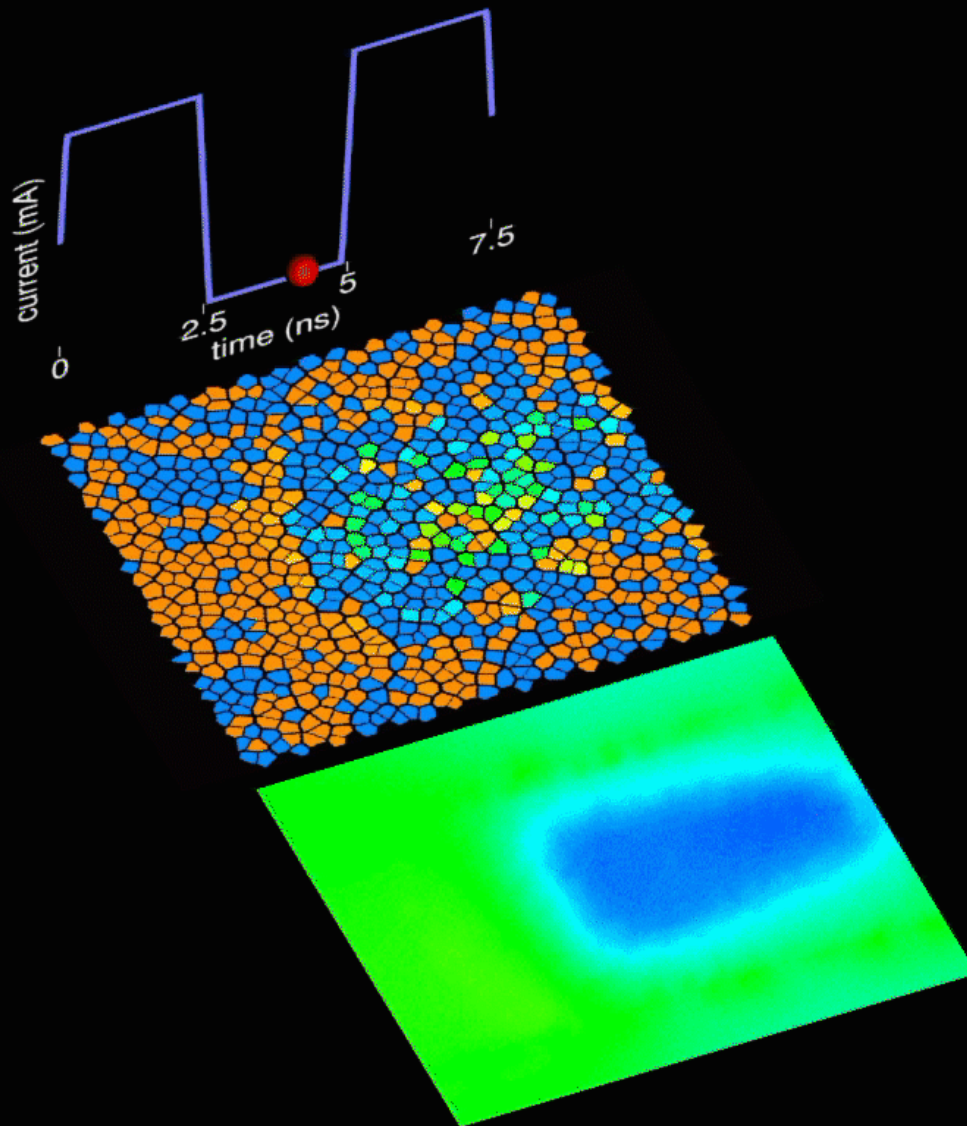
Fast BEM methods

hierarchical matrices for all
long range interactions

Fast Poisson solvers

interaction of moving parts

Recording of bit transitions



Input current

Current in the coil
as function of time

Data layer

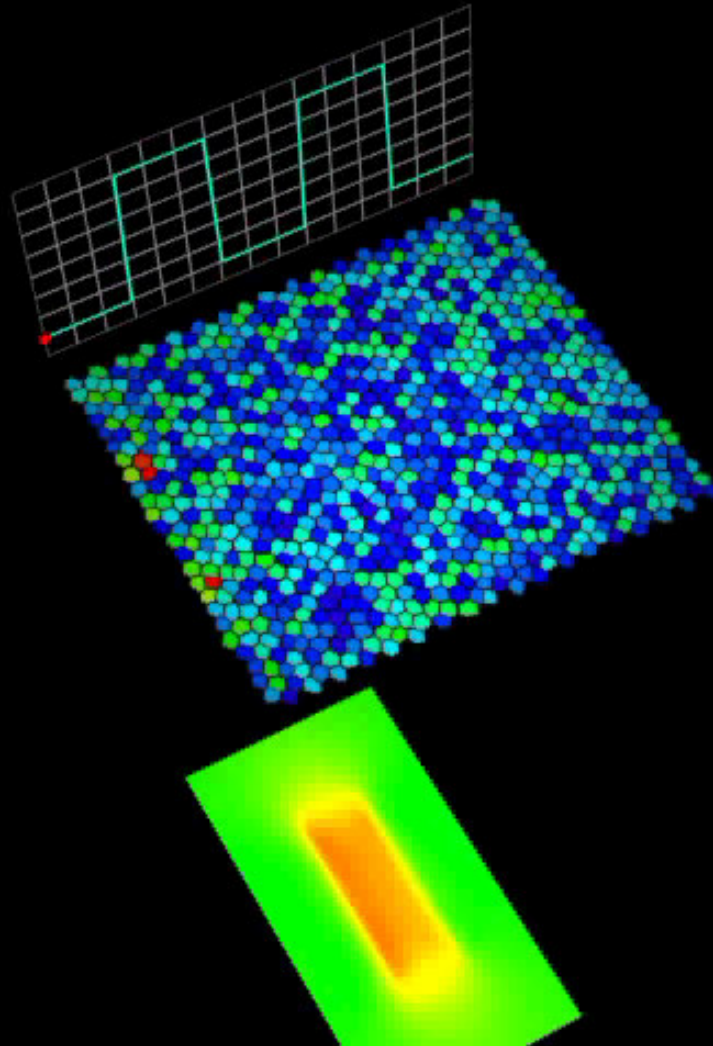
blue **M** points down
red **M** points up

Head field

as seen by the data layer

green zero field
blue **H** points down
red **H** points up

Recording of bit transitions



Input current

Current in the coil
as function of time

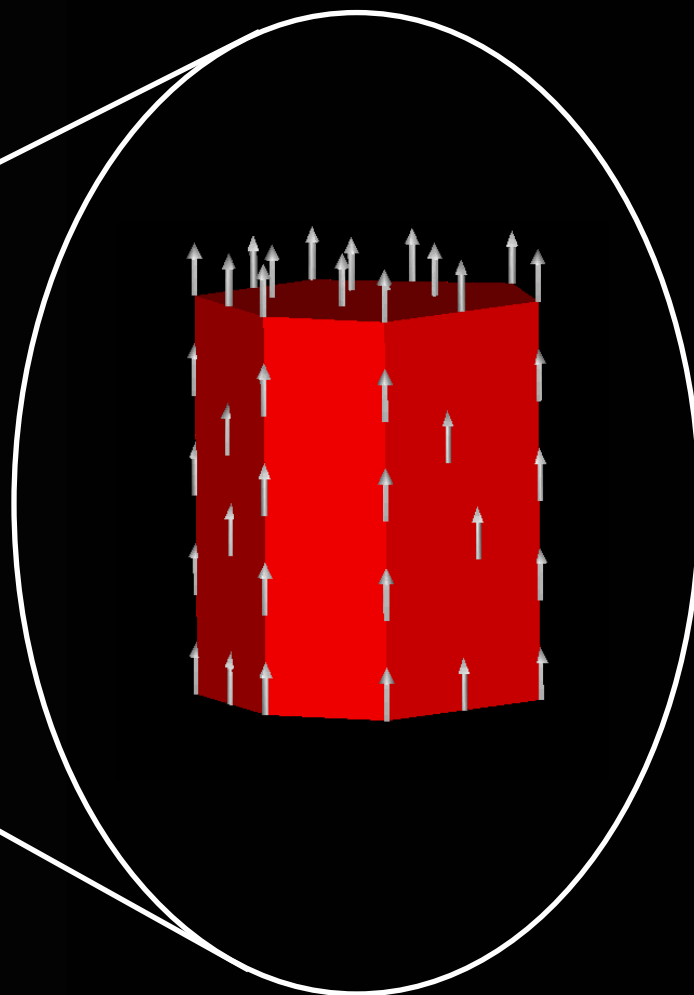
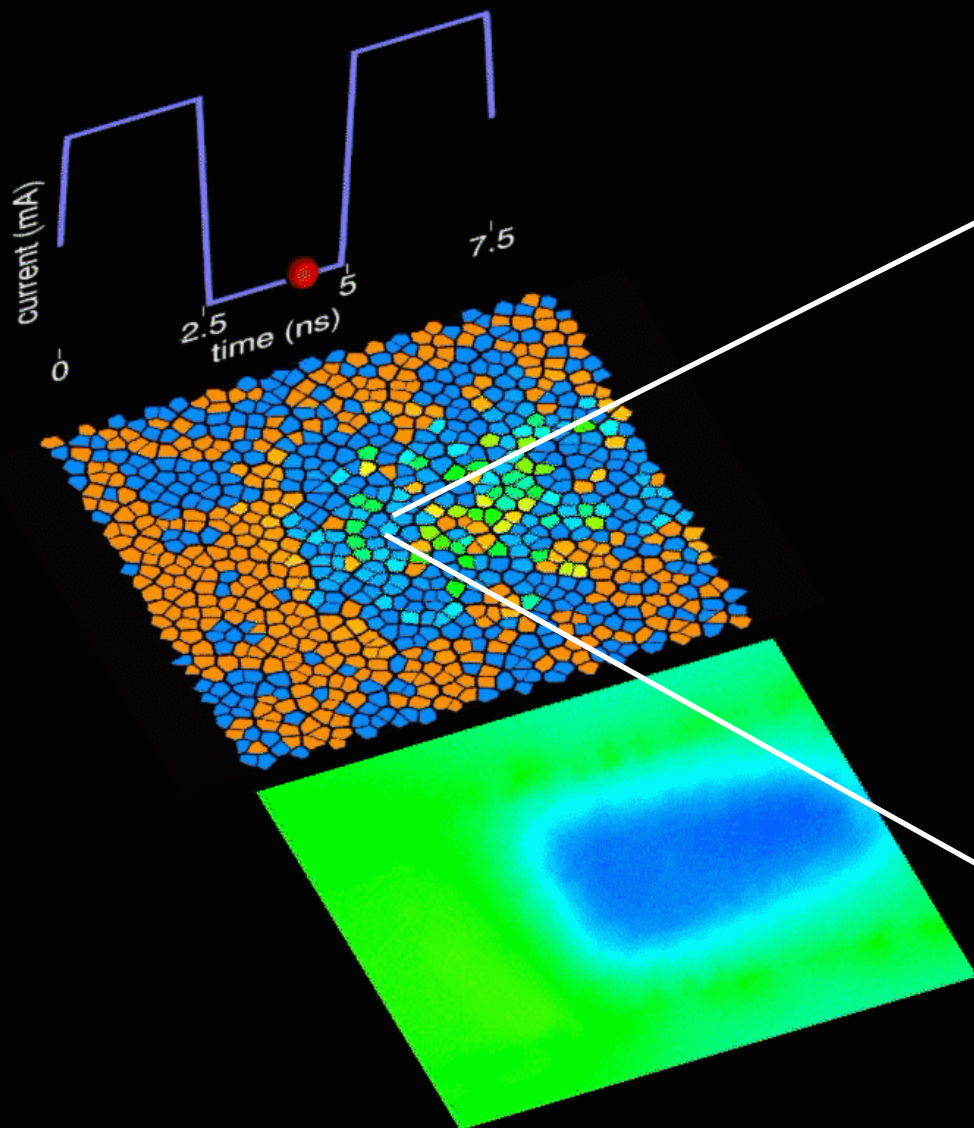
Data layer

blue M points down
red M points up

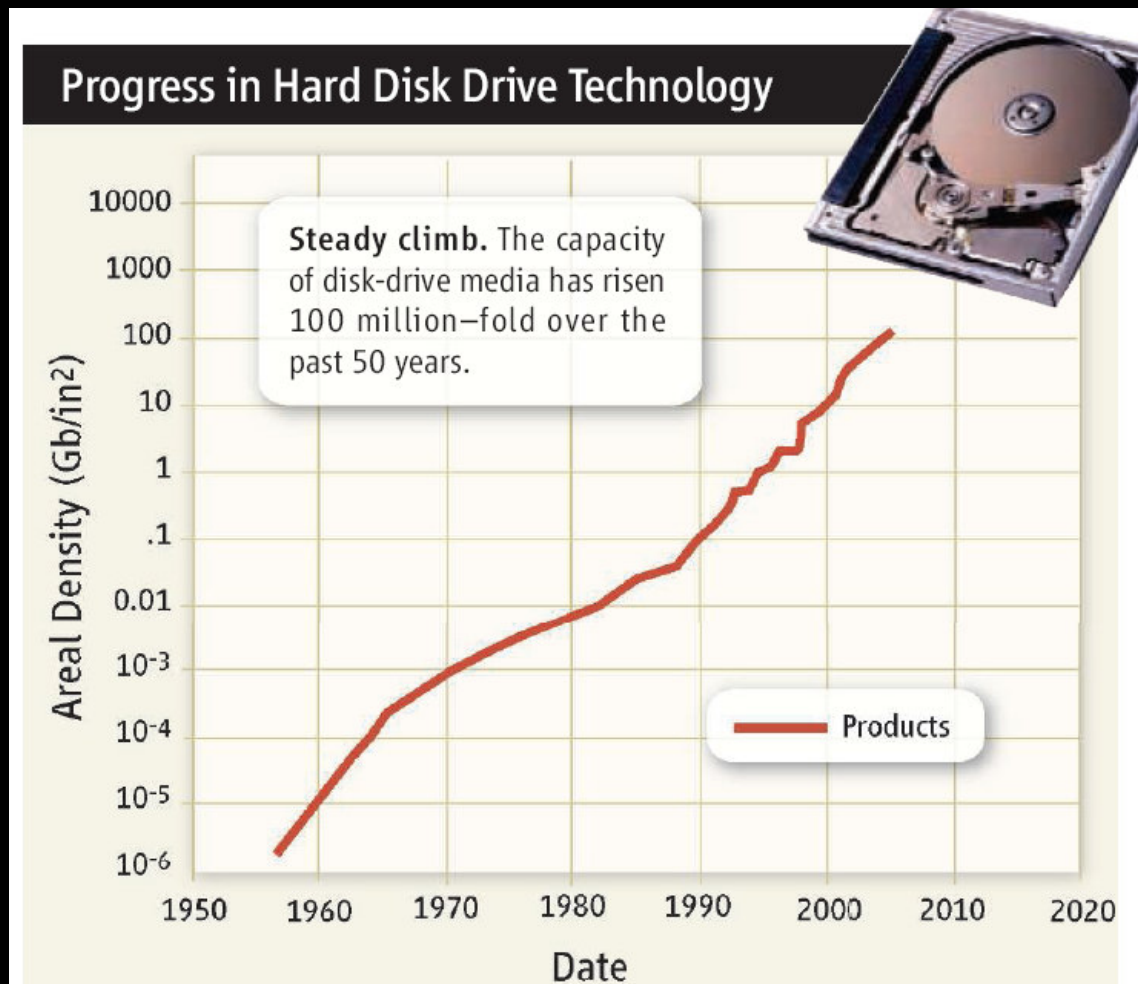
Head field

as seen by the data layer

green zero field
blue H points down
red H points up

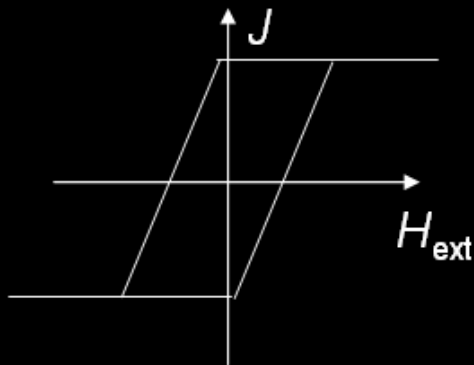


Growth of areal density in recording



- Moor's Law (Gordon E. Moore Co-founder Intel)
- Areal density doubles every 18 months

Trilemma



Writeability:

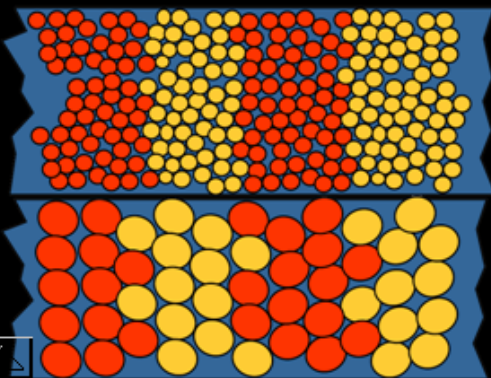
$$H_c = 2K / J_s$$

$$H_c < 1.3 T$$

Signal to Noise:

$$SNR \sim \log_{10}(N)$$

small grain V

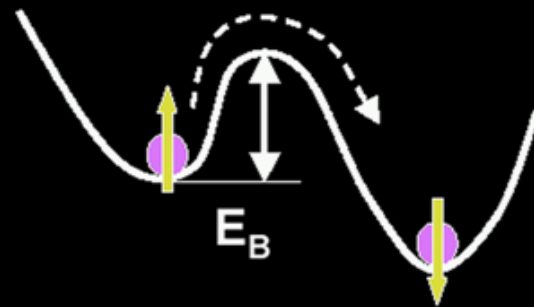
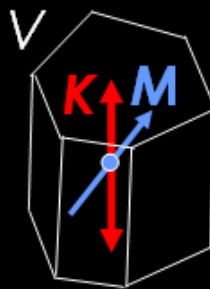


Thermal stability:

$$\Delta E_B = KV$$

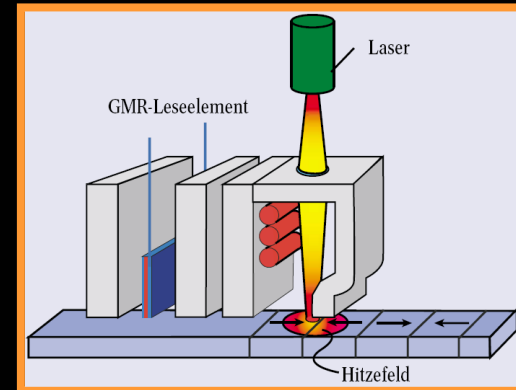
high $KV \sim 70 k_b T_{300}$

$$\tau = \tau_0 e^{\Delta E_B / k_B T}$$

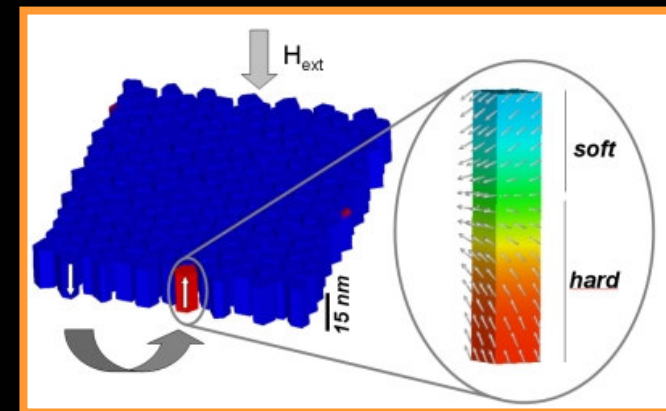


Futur Technologies

Heat assisted recording [1]



Exchange spring media [2]
ECC media [3]



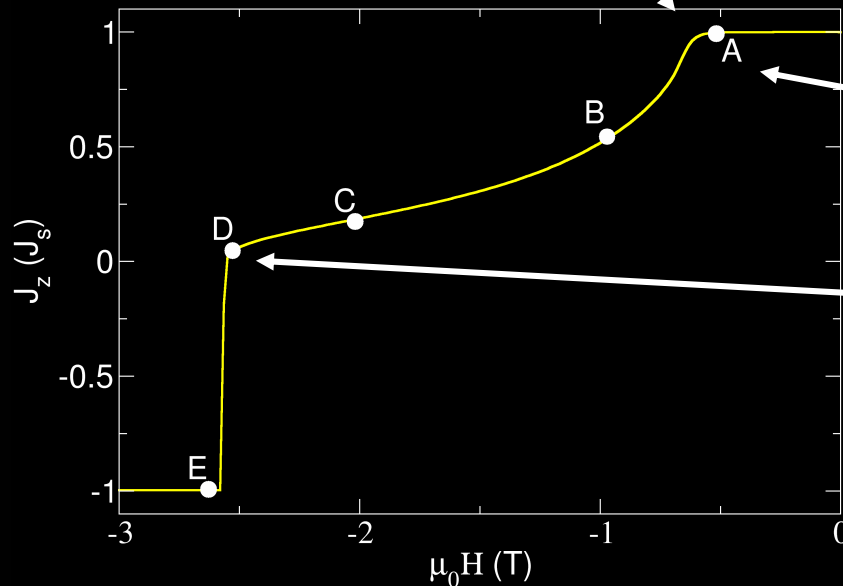
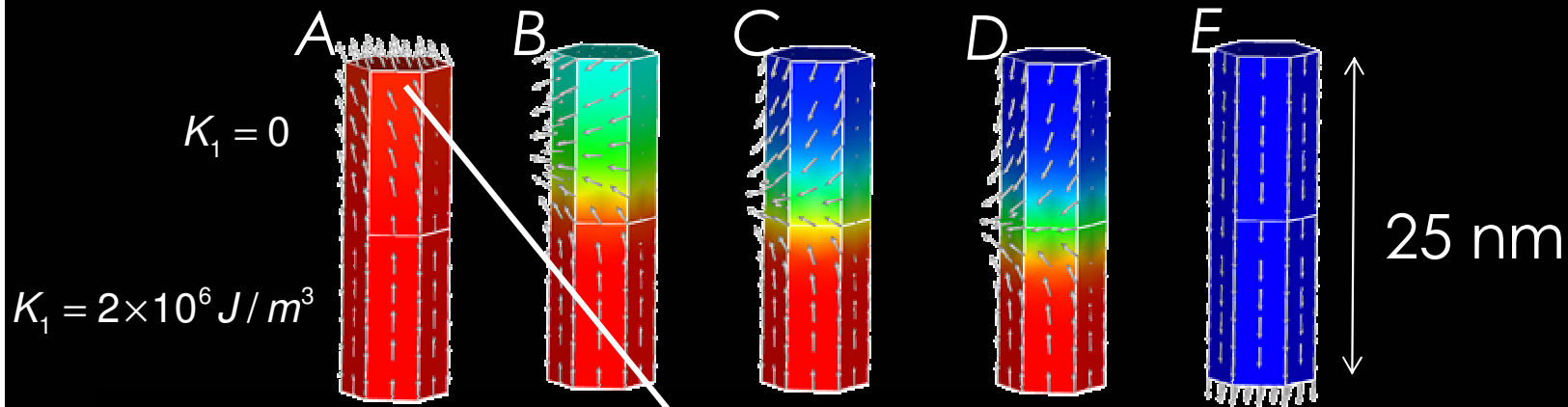
[1] RUIGROK, J. J. M., et al J. Appl. Phys., 87, 5398-5403, 2000.

[2] D Suess et al. Appl. Phys. Lett., vol. 87, Art. No. 012504, 2005.

D. Suess, US- Patent, 424,859, pending.

[3] R Victora, IEEE Trans Magn 41 (2005) 573

Exchange Spring Media



$$H_n = \frac{2K_{soft}}{J_s} + \frac{2A\pi^2}{4t_s^2 J_s} \quad [1]$$

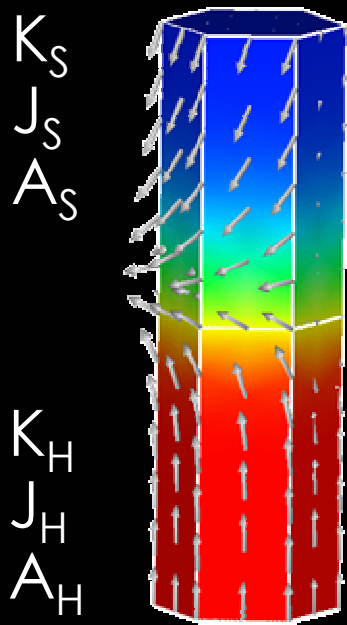
$$H_p = \frac{1}{4} \times \frac{2(K_{hard} - K_{soft})}{J_{hard}} \quad [2]$$

$$H_{switching} = \max(H_p, H_n)$$

[1] H. Kronmüller and H. R. Hilzinger, J. Magn. Magn. Mater. 154, 3 (1976).

[2] H. Kronmüller and D. Goll, Physica B, vol. 319, pp. 122-126 (2002).

Exchange Spring Media



$$J_s = J_H$$

$$A_s = A_H$$



$$H_n = \frac{2K_{soft}}{J_s} + \frac{2A\pi^2}{4t_s^2 J_s}$$

$$H_p = \frac{1}{4} \times \frac{2(K_{hard} - K_{soft})}{J_{hard}}$$

$$H_{switching} = \max(H_p, H_n)$$

$$H_c = \frac{1}{4} \times \frac{2K_{hard}}{J_{hard}}$$

$$K_s = 0 \quad [1]$$

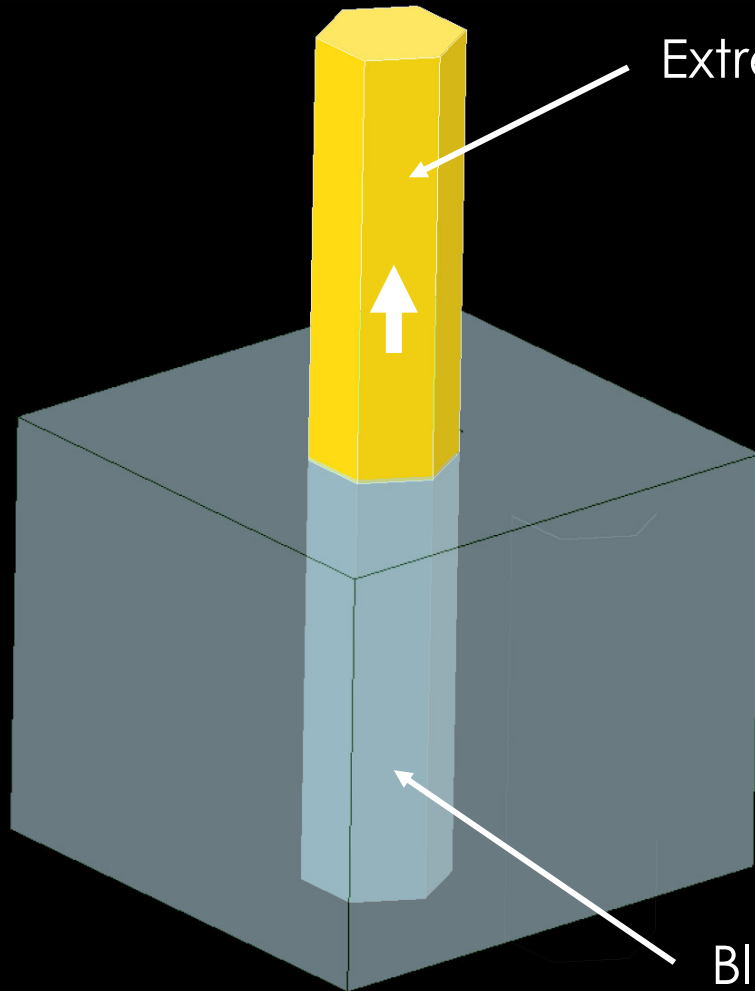
$$H_c = \frac{1}{5} \times \frac{2K_{hard}}{J_{hard}}$$

$$K_s = K_H / 5 \quad [2]$$

[1] A. Aharoni, Phys. Rev. 119, 127 (1960).

[2] F. B. Hagedorn, J. Appl. Phys. 41, 2491 (1970).

Ultimate Limit



Extremely hard material (FePt)

$$H_a = H_s = 8 \text{ T}$$

Which field do I
need to switch it



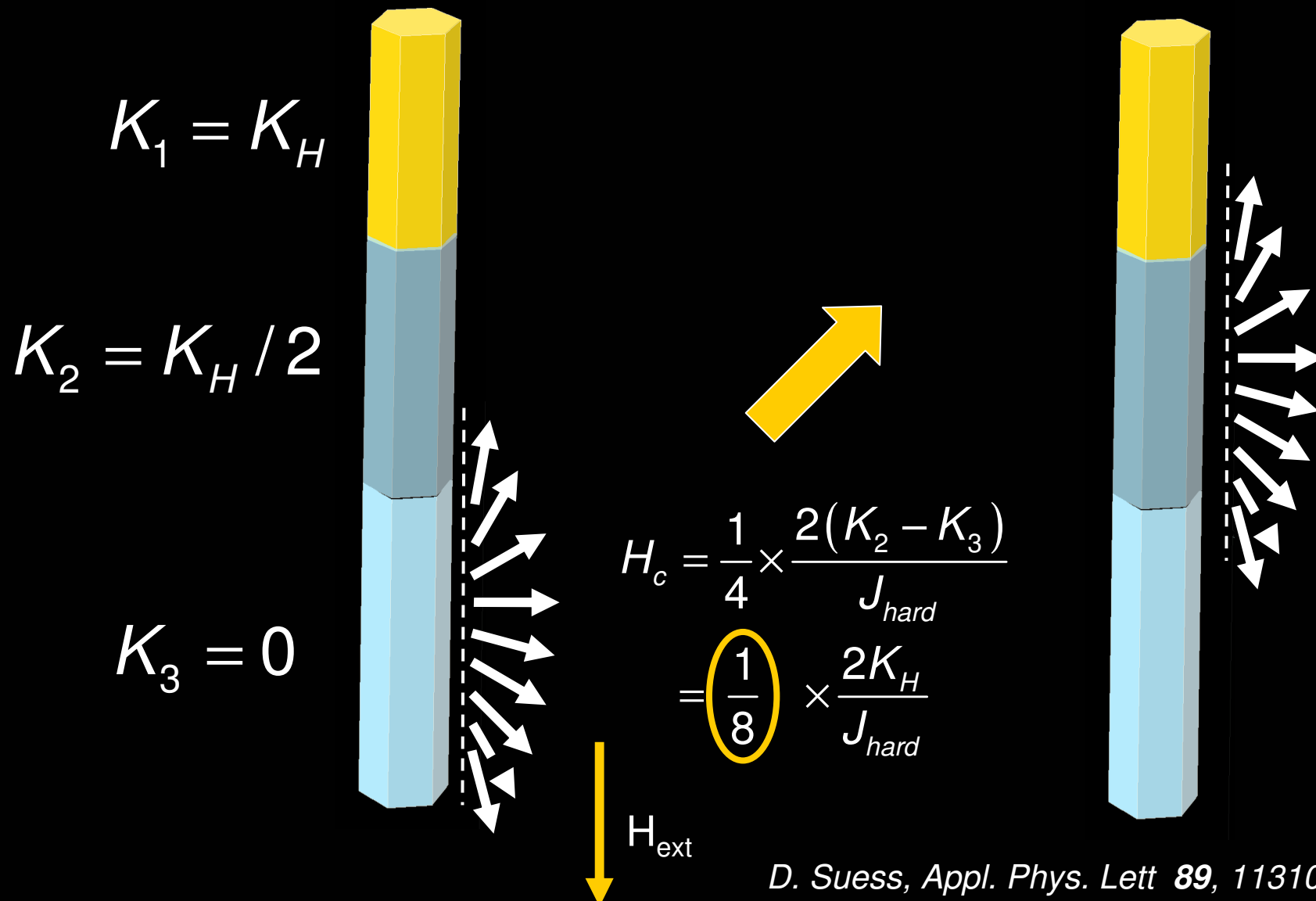
Black Box Material
($J_s < 1 \text{ T}$, $A = 1 \times 10^{-11} \text{ J/m}$)

Ultimate Limit

$$H_{\text{switching}} \rightarrow 0$$

The FePt grain can be switched with arbitrary small fields !!!

Trilayer

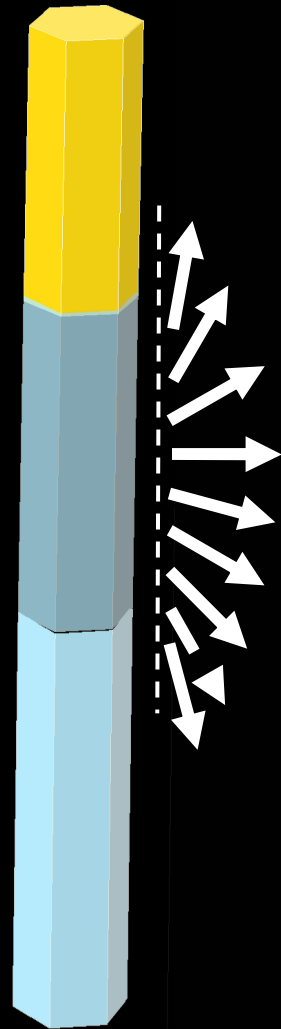


Trilayer

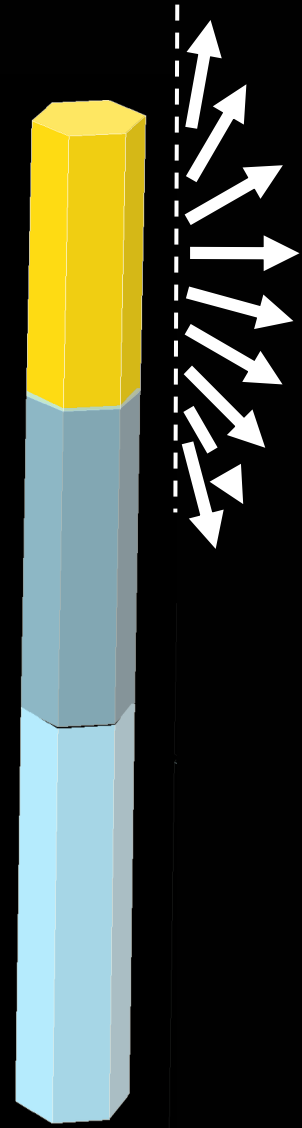
$$K_1 = K_H$$

$$K_2 = K_H / 2$$

$$K_3 = 0$$



$$H_c = \frac{1}{4} \times \frac{2(K_1 - K_2)}{J_{hard}}$$
$$= \frac{1}{8} \times \frac{2K_H}{J_{hard}}$$



Ultimate Limit

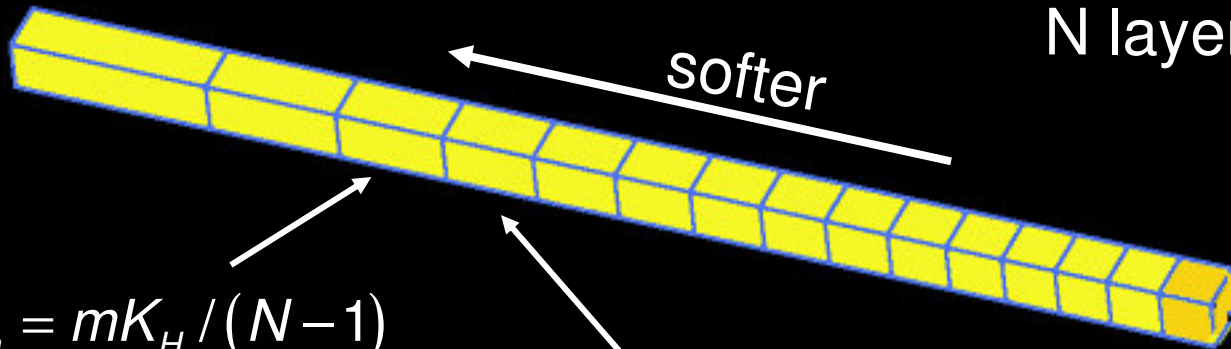
$$H_c = \frac{1}{4} \times \frac{2(K_2 - K_3)}{J_{hard}}$$

$$= \frac{1}{4(N-1)} \times \frac{2K_H}{J_{hard}}$$



Struktur	Reduktion H_c	
single	1	1
bilayer	1/4	(1/5)
trilayer	1/8	(1/9)
4 layers	1/12	
.		
.		
N layers	$\frac{1}{4(N-1)}$	

soft

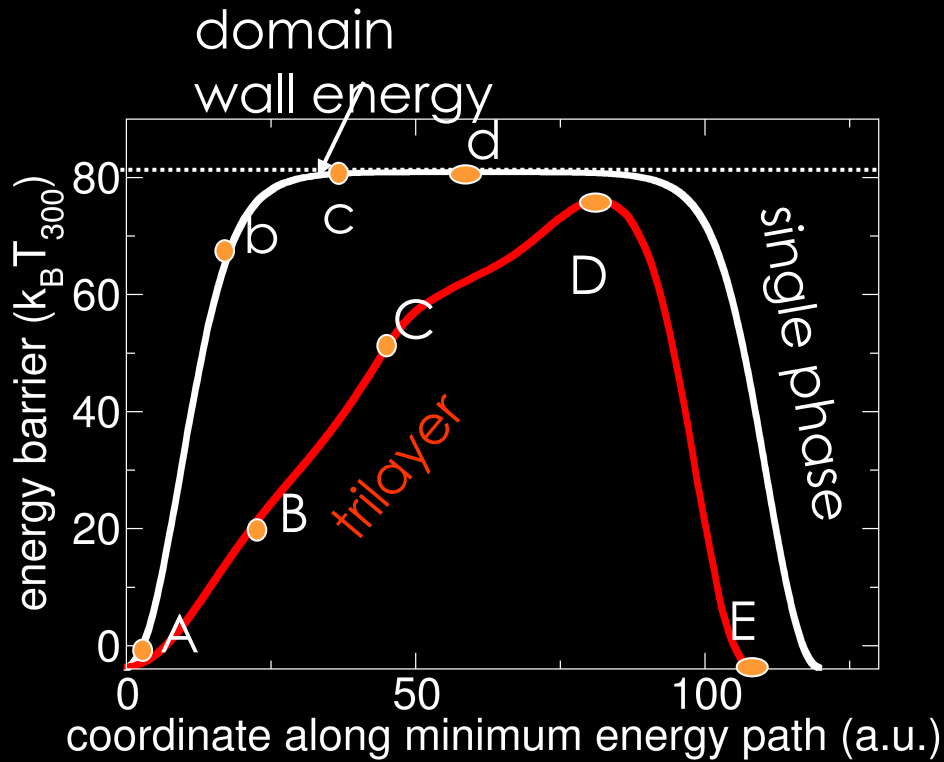


$$K_m = mK_H / (N-1)$$

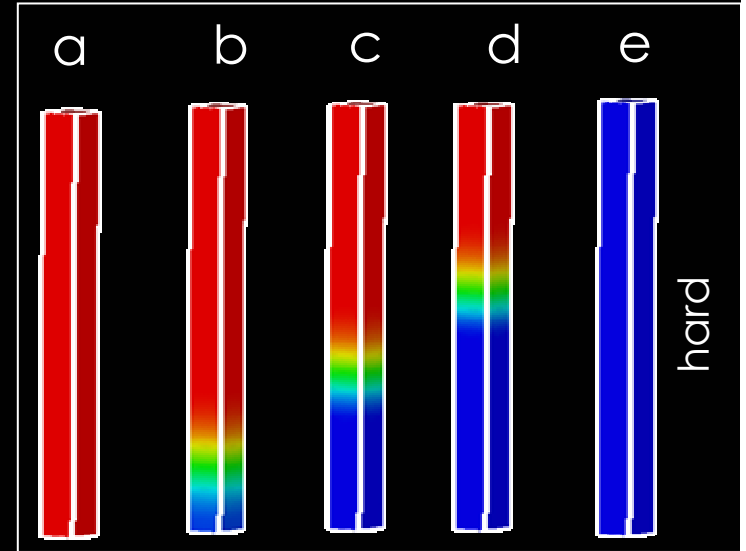
$$K_{m+1} = (m+1)K_H / (N-1)$$

hard

Energy Barrier Comparission



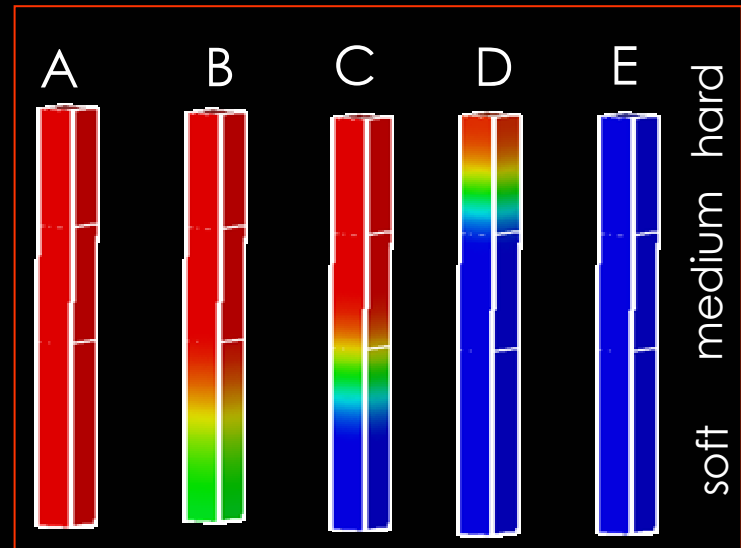
single layer



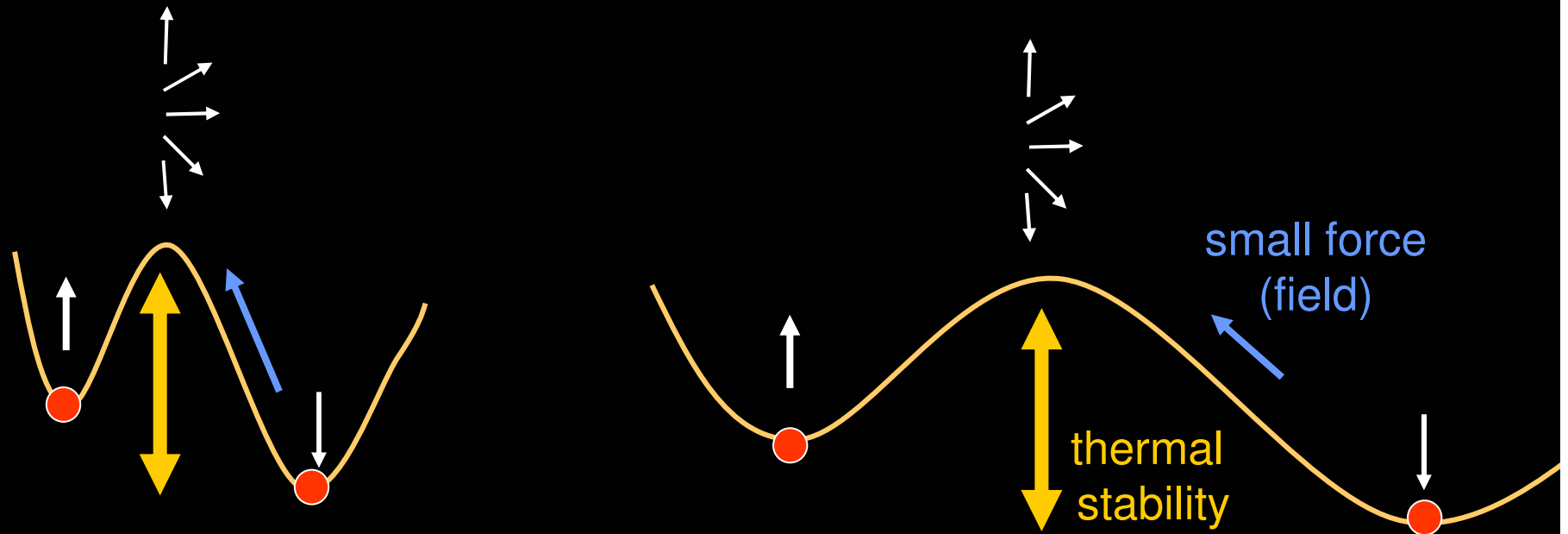
Trilayer has same energy barrier as single phase media

$$\Delta E_{\max} = 4r^2\pi\sqrt{AK_{\text{hardest}}}$$

trilayer



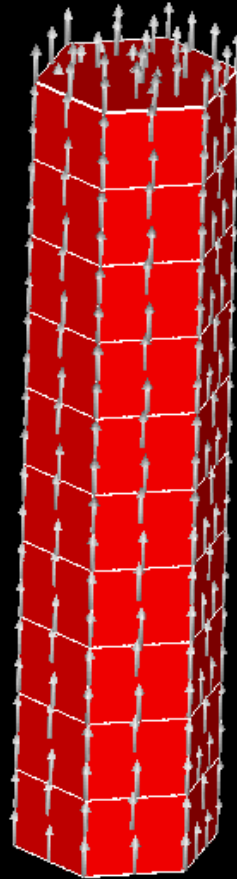
Conceptual Picture – Particle in potential well



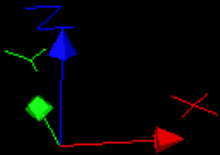
- The particle needs the **same thermal activation** to overcome the energy well
- **The force** to push the particle from one minimum to the other depends on the slope of the energy landscape
- The microstructure allows to change the energy landscape

Reversal

H_{ext}



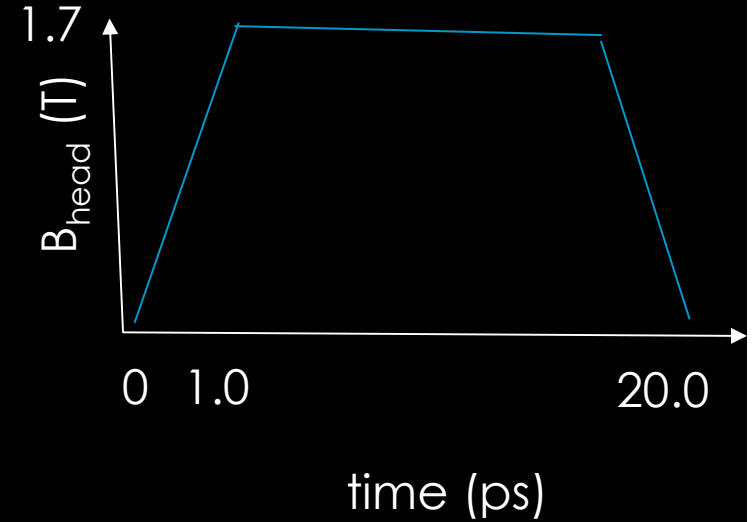
0.000008_ps



$K_1 = 0.12$

$K_1 = 1.0$

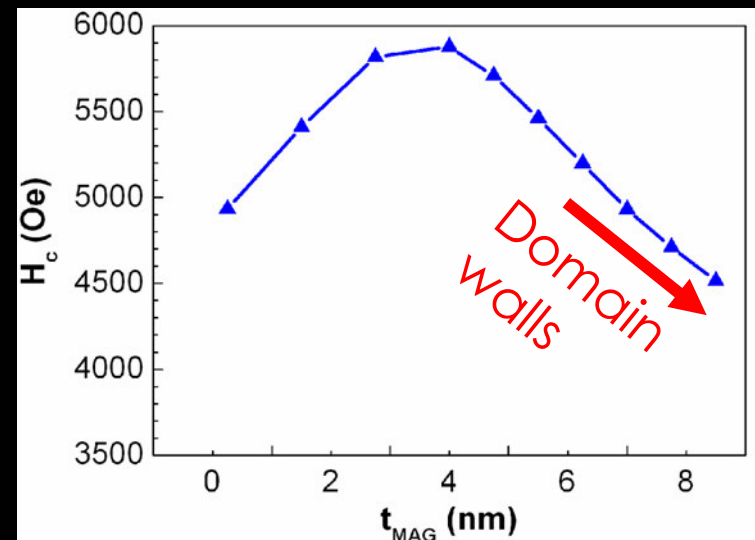
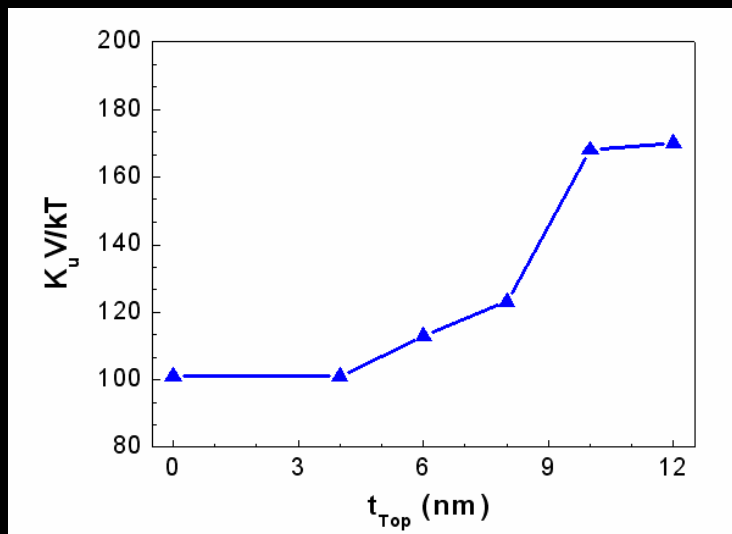
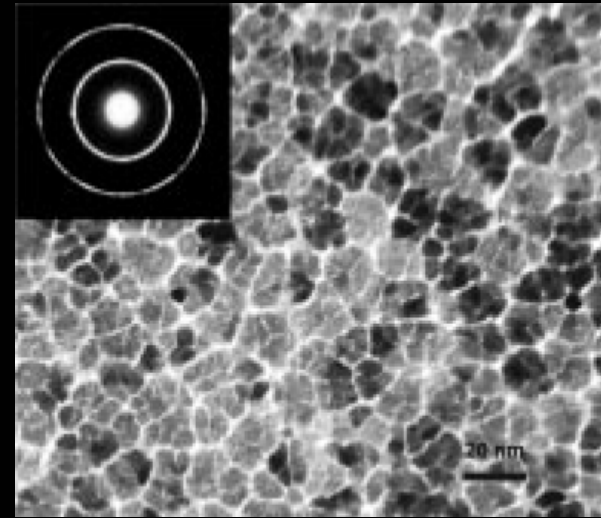
$K_1 = 2.0$



Units of K_1 are MJ/m^3
damping = 0.02
 $J_s = 0.5 \text{ T}$
 $A = 10^{-11} \text{ J}/\text{m}$

Experimental Data

- CoCrPtO bilayers
- 11 nm thick hard layer
- soft layer with different thickness



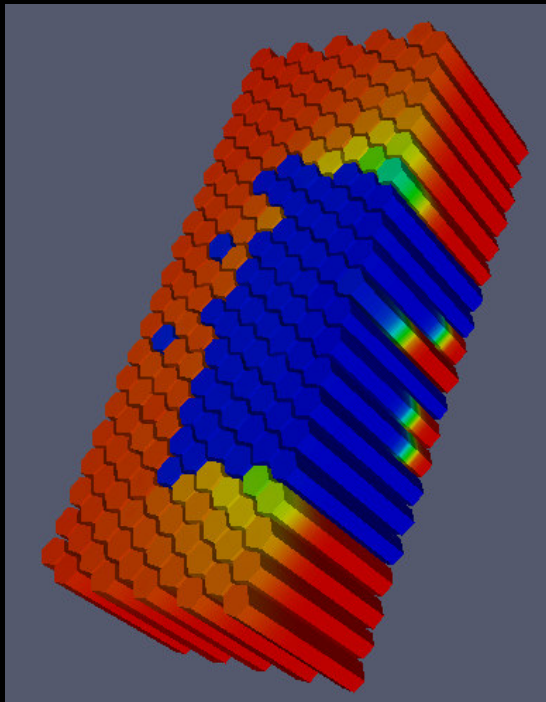
[1] H. S. Jung, E. M. T. Velu, S. S. Malhotra, U. Kwon, D. Suess, G. Bertero, IEEE Trans. Mag. 43 (2007) 2088.

[2] D. Suess, S. Eder, J. Lee, et al. Phys. Rev. B 75, (2007) 174430.

Limit of Graded media

5 – 10 Tbit/inch² Design
(media today: 512 Gbit/inch²)

Tapered head / Planer head
perpendicular field (maximum) 1.8 T
(minimum) 1.0T



Multilayer media

grain size **3.2 nm**

thickness 20 nm

J_s 0.8 T

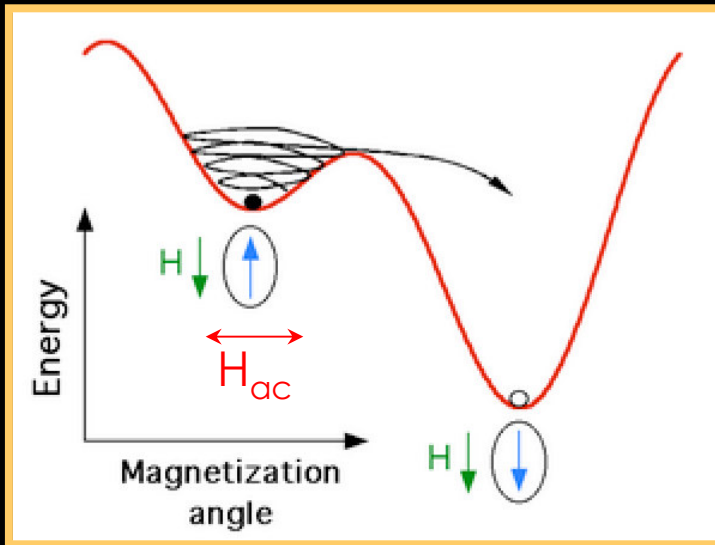
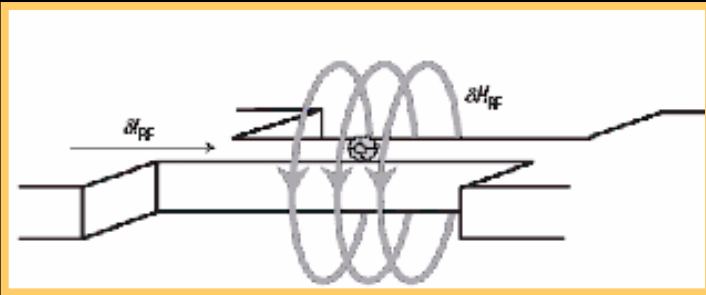
$K(z)$ $\propto z^{1.5}$

anisotropy 0.1MJ/m³ to 6.6MJ/m³

Energy barrier 60 $k_B T$

Hope that the area density can be increased up to a factor 10 !

Microwave assisted switching



External field

Raises the energy level of one magnetic state

Rotating field

creates large angle precession if in resonance

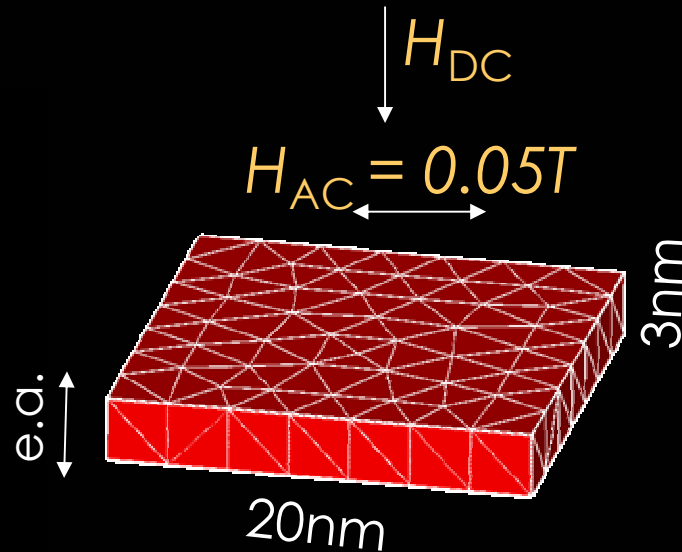
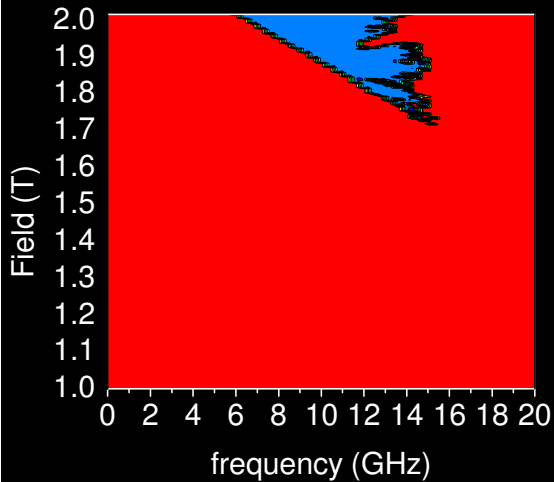
Switching

If energy gain is high enough to overcome the barrier

C Thirion, W Wernsdorfer, D Maily,
Nature Materials 2, 524 (2003)

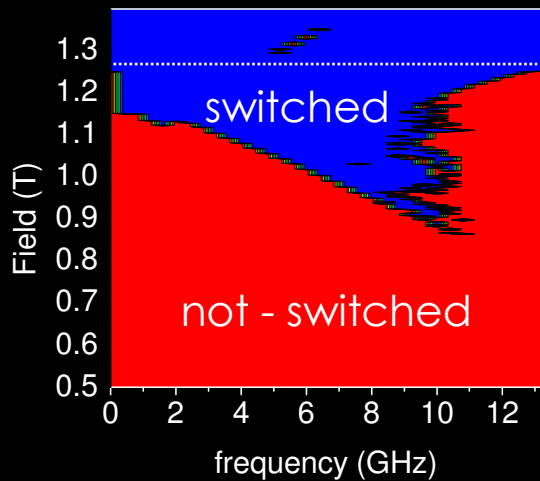
Microwave Assisted Recording

$K_1 = 0.67 \text{ MJ/m}^3$:

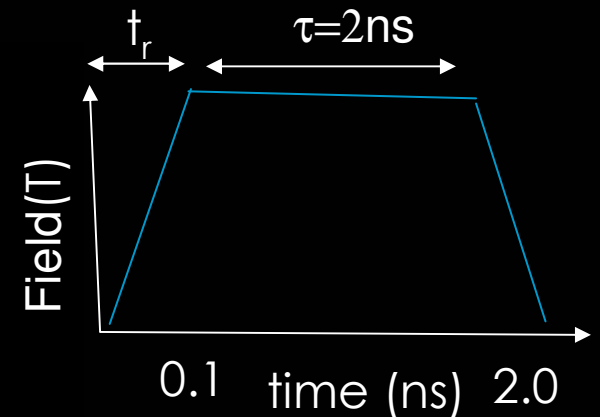
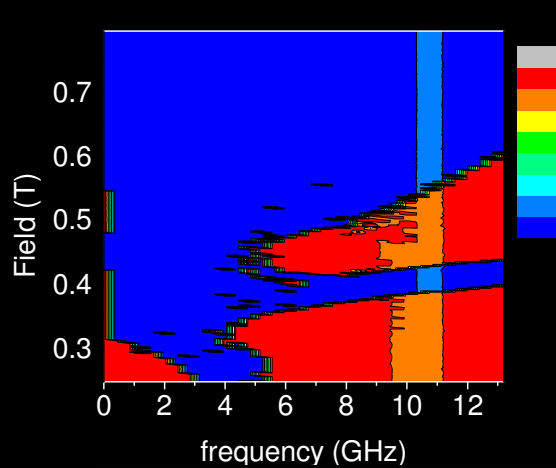


$\alpha = 0.05$
 $J_s = 0.6T$
 $A = 1e-11 \text{ J/m}$

$K_1 = 0.42 \text{ MJ/m}^3$:

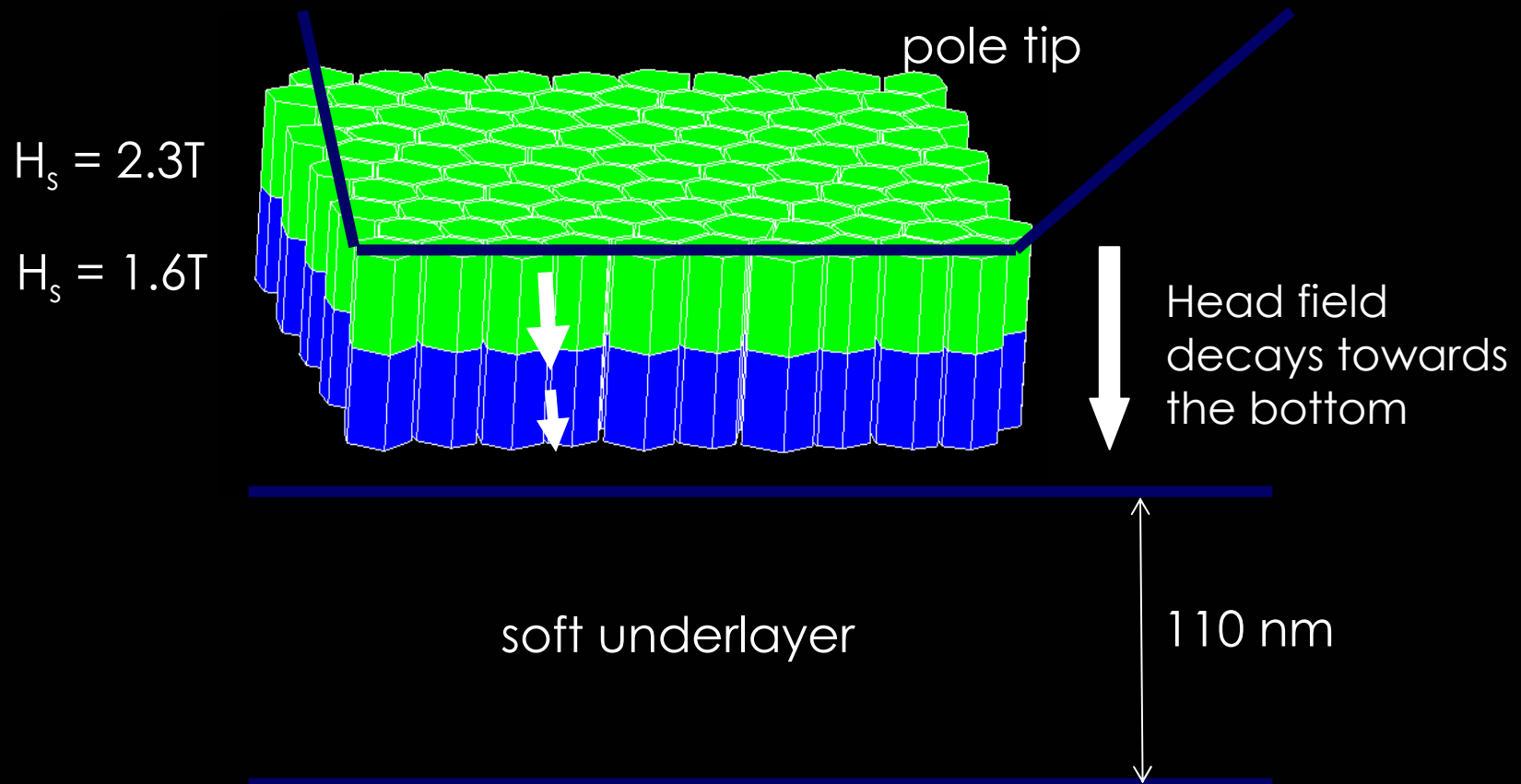


$K_1 = 0.2 \text{ MJ/m}^3$:



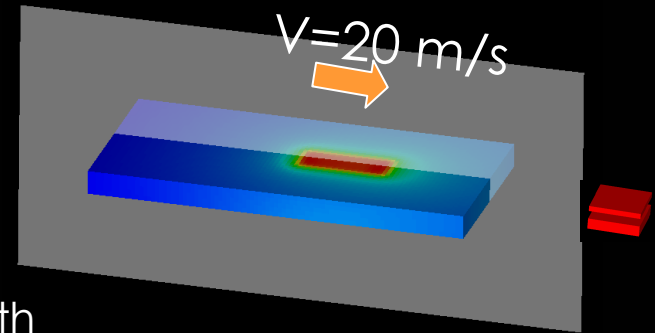
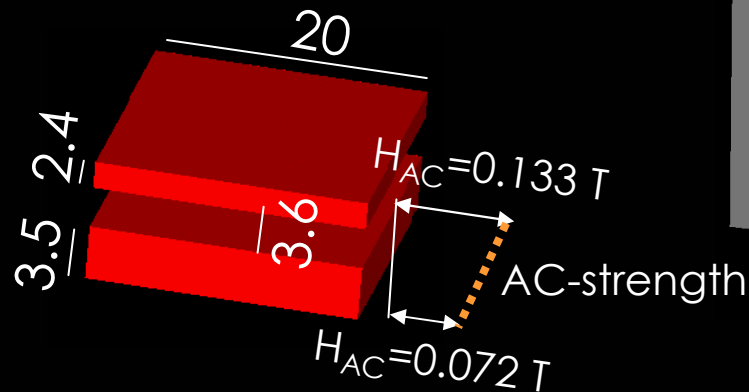
3D Storage

- Anisotropy in each layer adjusted to match head field
- Due to different anisotropy each layer has different resonance frequency

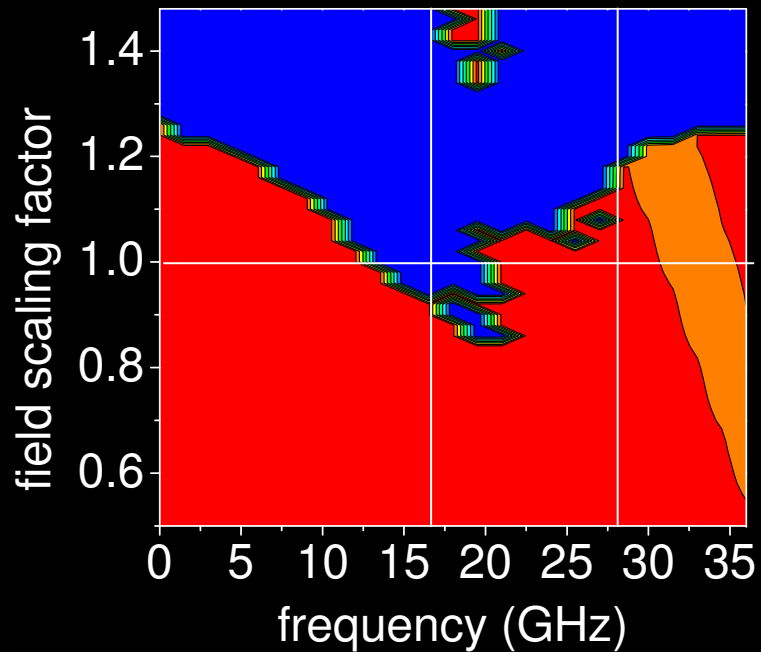


Phase Diagrams

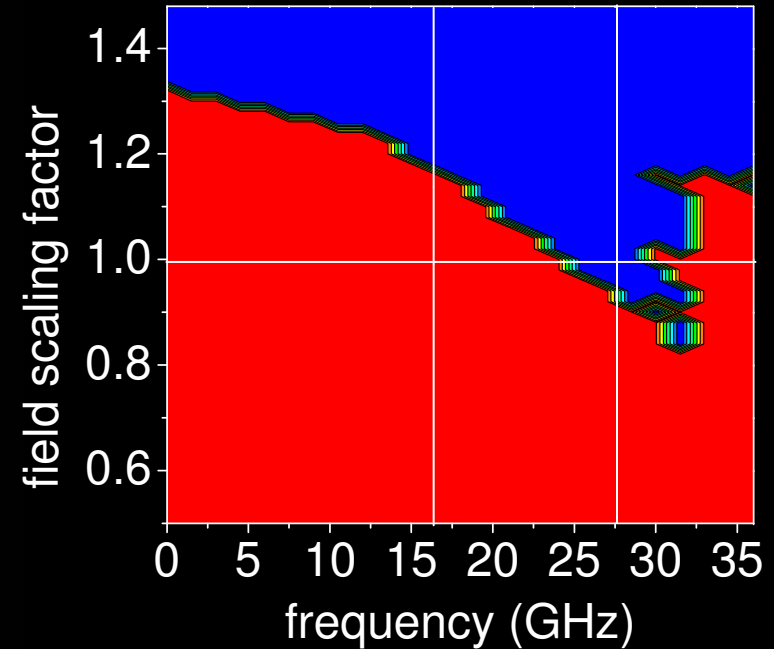
$J_s = 0.2 \text{ T}$
 $A = 10^{-11} \text{ J/m}$
 $K_{1,\text{top}} = 0.210 \text{ MJ/m}^3$
 $K_{1,\text{bottom}} = 0.142 \text{ MJ/m}^3$
 $a = 0.05$
 $(\Delta E_{\text{top}} = 46 k_b T_{300})$
 $(\Delta E_{\text{bottom}} = 48 k_b T_{300})$



Bottom:

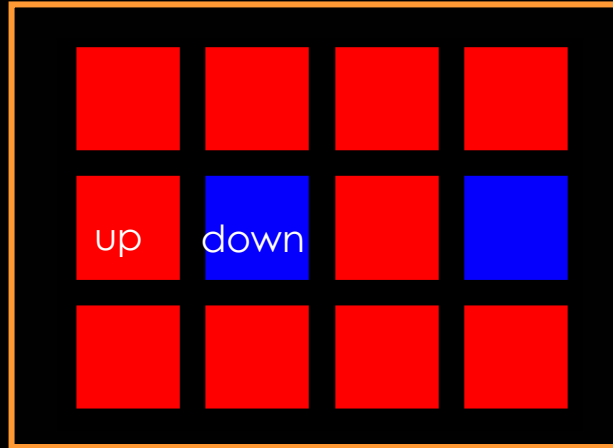


Top:



Recording: all up

Want to write
Up-down-up-down
(red-blue-red-blue)

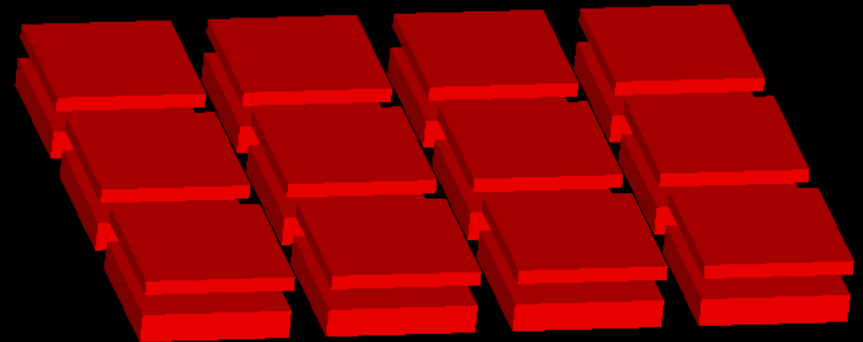
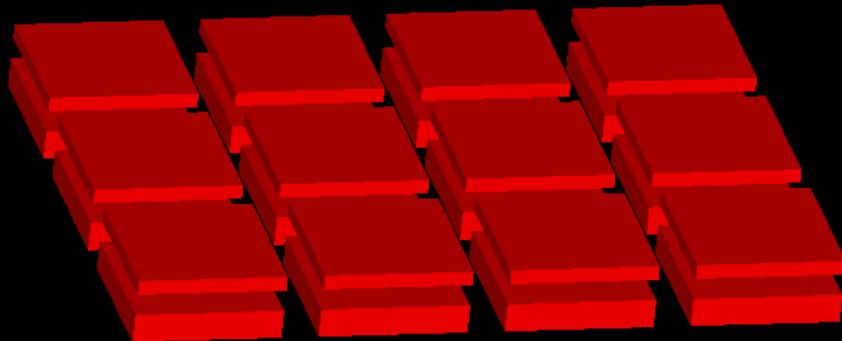


$f = 18 \text{ GHz}$

$f = 28 \text{ GHz}$

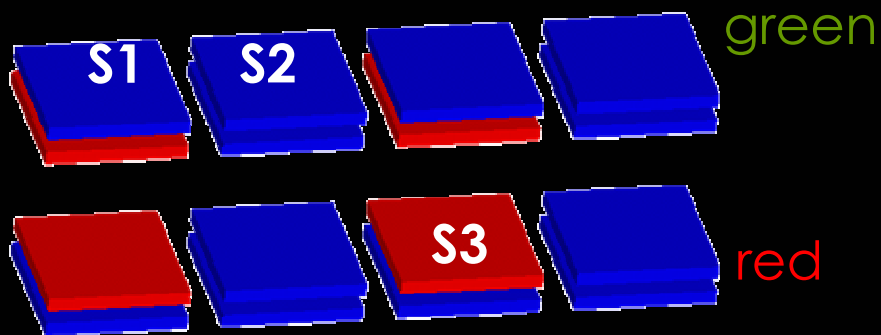
0.000002_ps

0.000002_ps

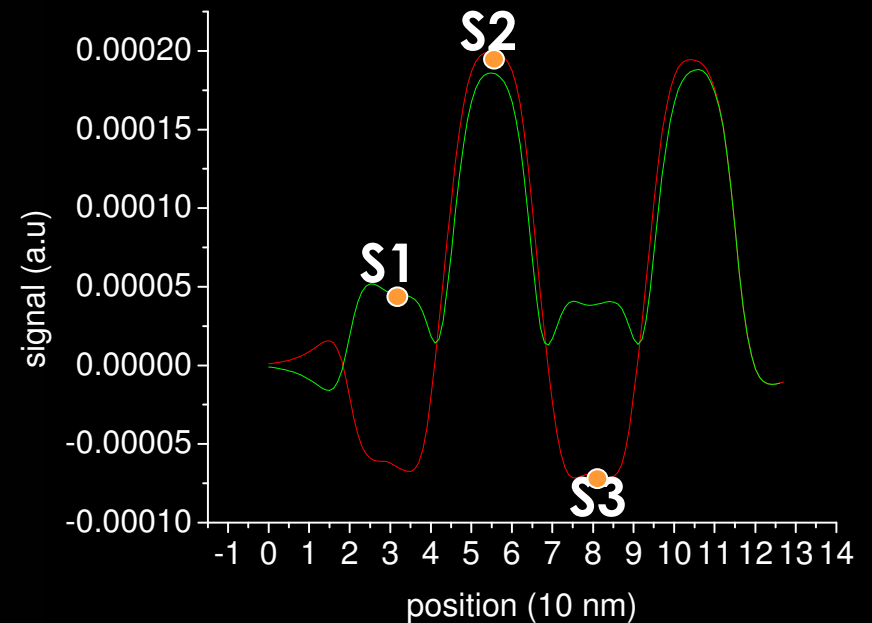


Readback

All 4 states give a clear different signal
(distance between signal almost same)



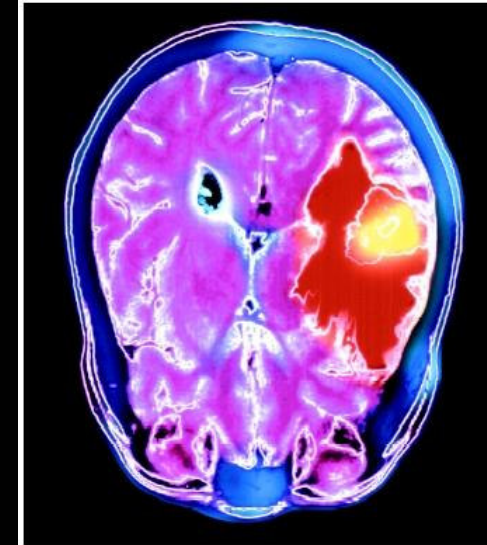
(S4 symmetric to S2)



S4

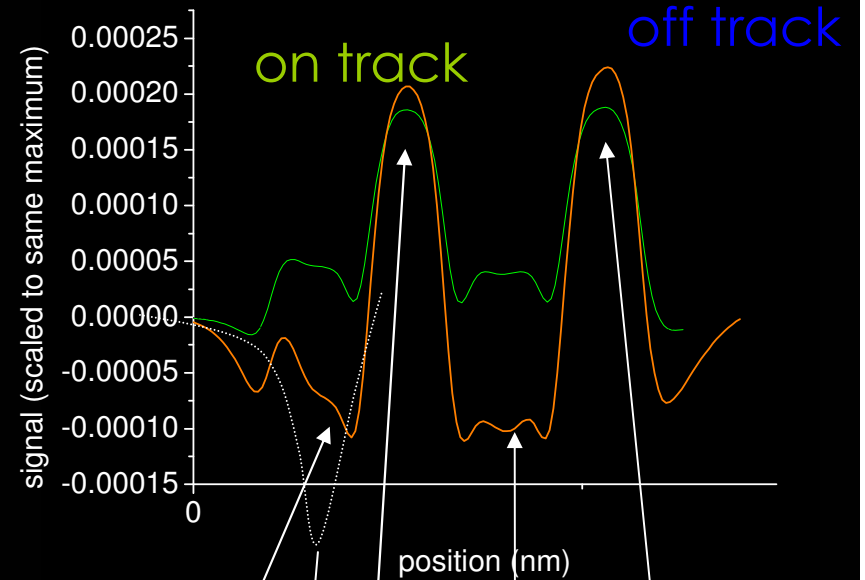
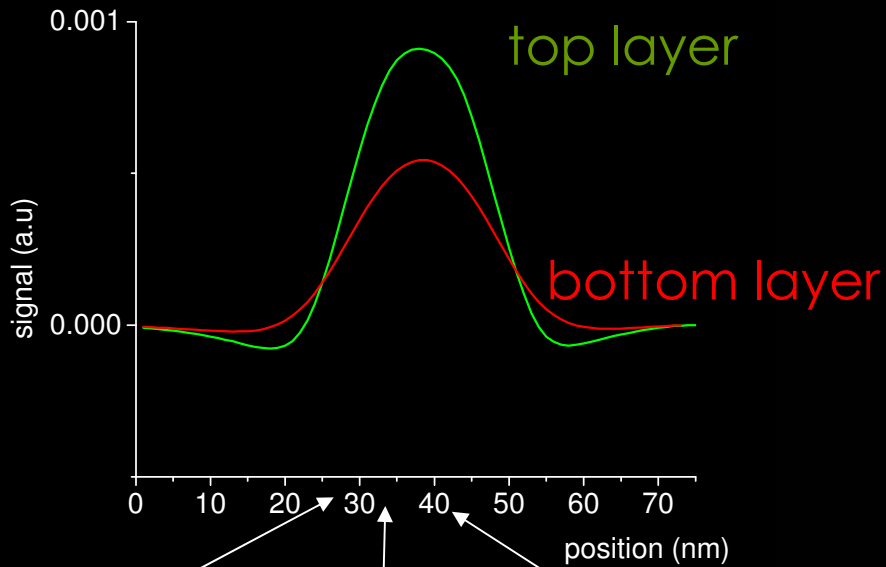
MRI (Magnetic Resonance Image)

- Object is sensed from different direction

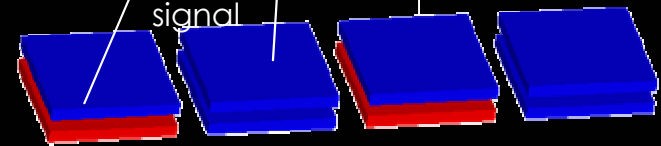
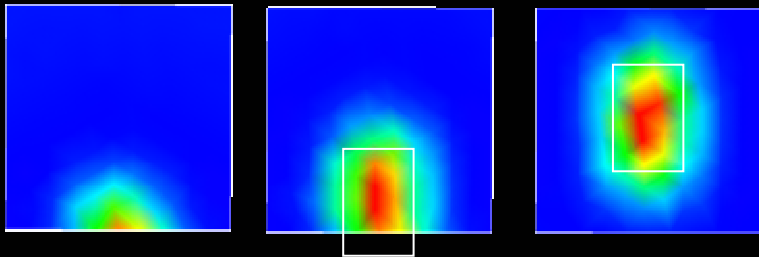


- Using 2 heads with different sensitivity in the top and bottom layer
- Moving the head in the cross – track direction

Readback – off track



Sensitivity function



Reading off track



more sensitivity to the bottom layer !

Summary

Multilayer Media - Exchange Spring Media

- Superparamagnetic limit can again be extended
- Reproducible switching has fast as 5 ps
- Thermal stability and writeability can be decoupled

Multilayer recording

- 3D concepts of recording on the basis of microwave assisted recording
- Different resonance condition in different layer