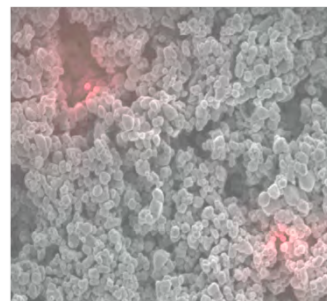
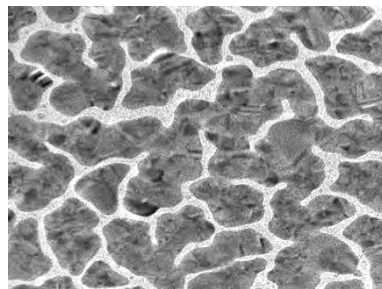


Probing confined photons in nanoscale disordered media from inside

Rémi Carminati

Institut Langevin, ESPCI ParisTech, CNRS
Paris, France

remi.carminati@espci.fr



People involved

"Physical optics and wave theory" group (ESPCI)



Romain PI ERRAT
CNRS researcher



Etienne CASTANIE
PhD student



Alexandre CAZE
PhD student

Collaborations



Yannick DE WILDE
(ESPCI)



Valentina
KRACHMALNICOFF
Post-doc



Mohamed ELABED
Associate researcher



Rémi VINCENT
Post-doc
(until July 2011)

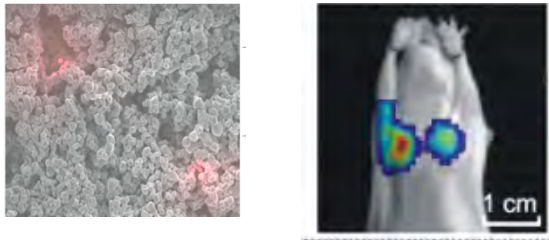


Riccardo SAPIENZA
Niek van HULST
(ICFO Barcelona, Spain)

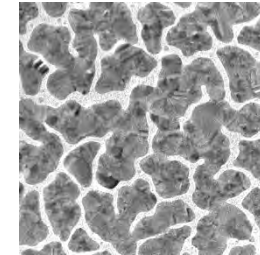


Coupling spontaneous emission with disorder

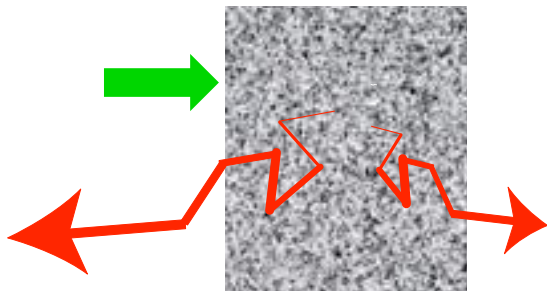
Fluorescence of nanosources
in disordered media
(photonic materials, imaging)



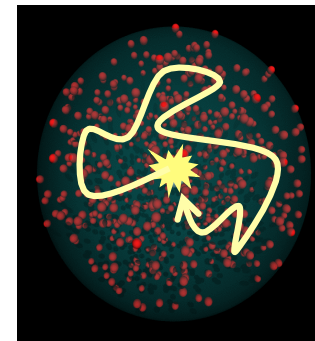
Nanophotonics - Light concentration on
the nanoscale ("hot spots")

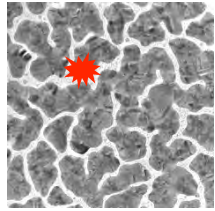


Novel light sources
(e.g. random lasers)



Fundamental studies of light
transport in scattering media
(e.g. probing Anderson localization)

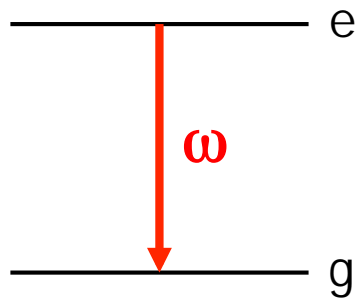




Spontaneous emission and plasmonics:
From nano-antennas to disordered systems

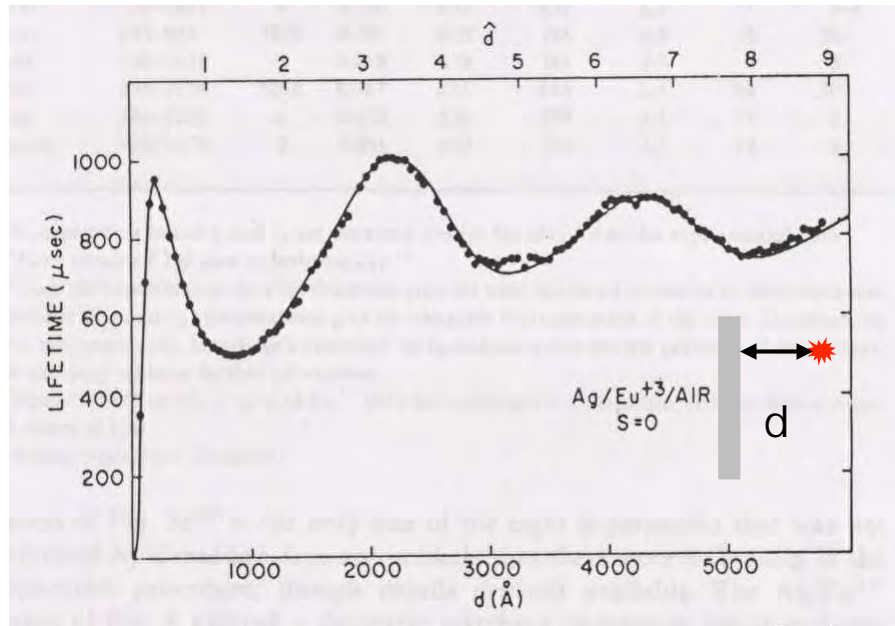
Probing near-field interactions in volume
disordered systems

Spontaneous decay rate



Probability of being excited at time t $P(t) \propto \exp(-\Gamma t)$

Lifetime of excited state $\tau = 1/\Gamma$



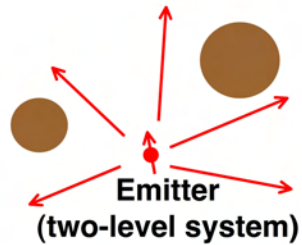
Drexhage (1970)
Chance, Prock, Silbey (1978)

- The spontaneous decay rate depends on the environment
- Perturbation theory:

$$\Gamma = \frac{2}{\hbar} \mu_0 \omega_{ge}^2 |\mathbf{p}_{ge}|^2 \text{Im}[\mathbf{u} \cdot \mathbf{G}(\mathbf{r}_0, \mathbf{r}_0, \omega_{ge}) \mathbf{u}]$$

Wiley and Sipe, Phys. Rev. A 30, 1185 (1984)

Decay rate and LDOS



$$\Gamma = \frac{2}{\hbar} \mu_0 \omega^2 |\mathbf{p}_{ge}|^2 \text{Im}[\mathbf{u} \cdot \mathbf{G}(\mathbf{r}_0, \mathbf{r}_0, \omega) \mathbf{u}]$$

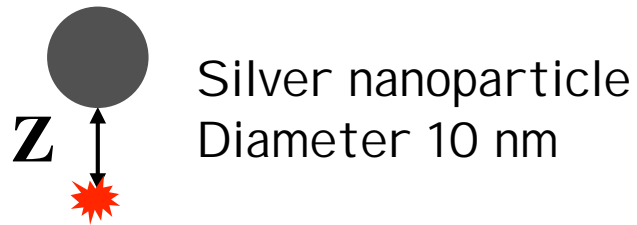
is also very often written as
(Fermi golden rule)

$$\Gamma = \frac{\pi \omega}{3 \epsilon_0 \hbar} |\mathbf{p}_{ge}|^2 \rho_{\mathbf{u}}(\mathbf{r}_0, \omega)$$

← Local Density
of States (LDOS)

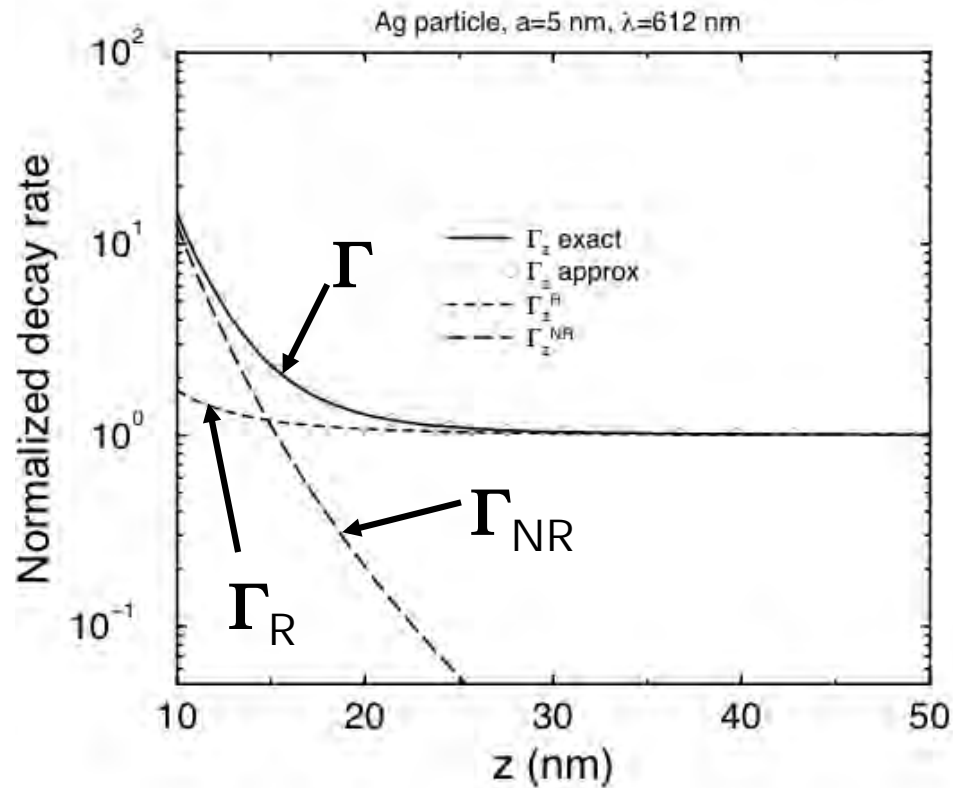
$$\frac{\Gamma}{\Gamma_0} = \text{change in the LDOS}$$

Interaction with a single nanoparticle



$$\Gamma = \Gamma_R + \Gamma_{NR}$$

Photon emission Absorption



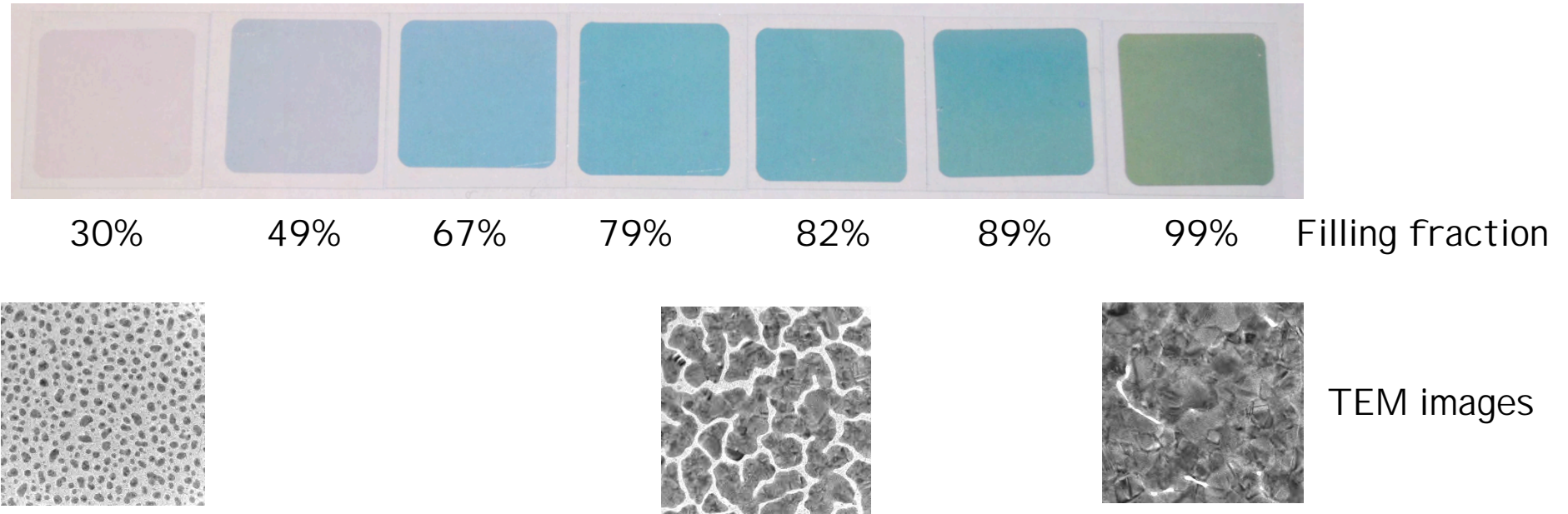
Leading contributions at short distance

$$\Gamma_R \propto \frac{1}{(kz)^3}$$

$$\Gamma_{NR} \propto \frac{1}{(kz)^6}$$

Peculiar optical properties of disordered metal films

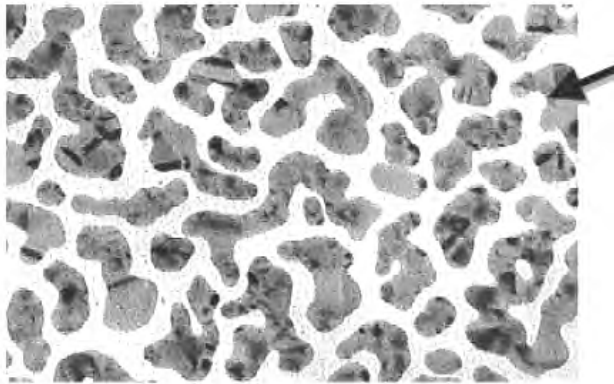
Semi-continuous gold films on a glass substrate



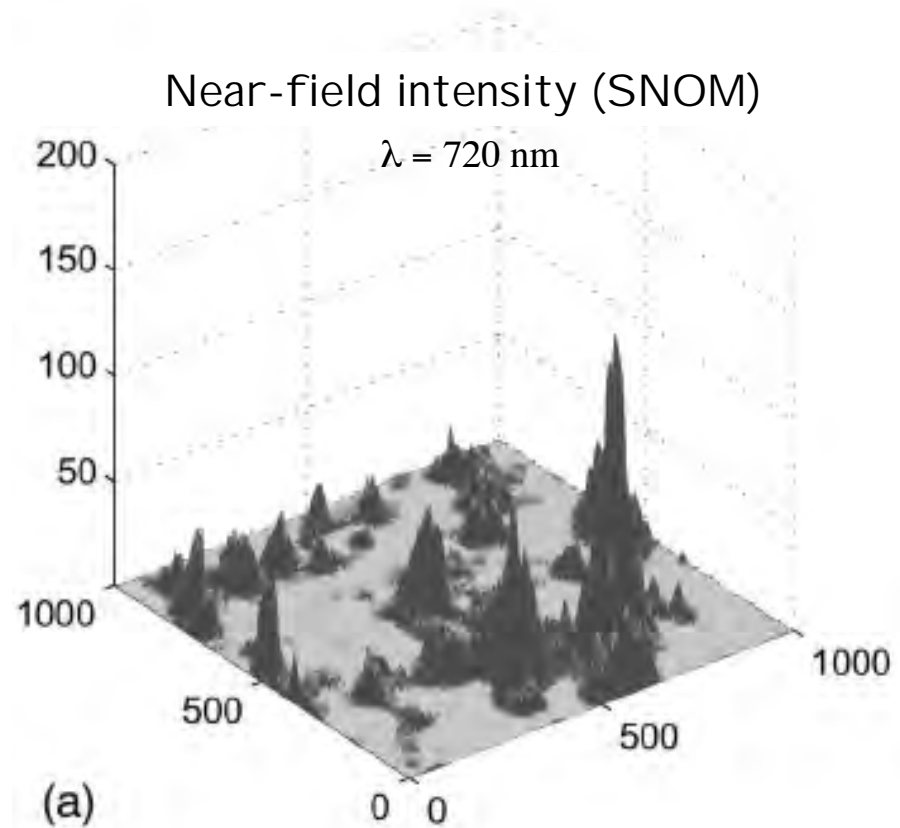
P. Gadenne *et al.*, *J. Appl. Phys.* 66, 3019 (1989)

V.M. Shalaev, *Nonlinear Optics of Random Media* (Springer, 2000)

Near-field intensity distribution - « hot spots »

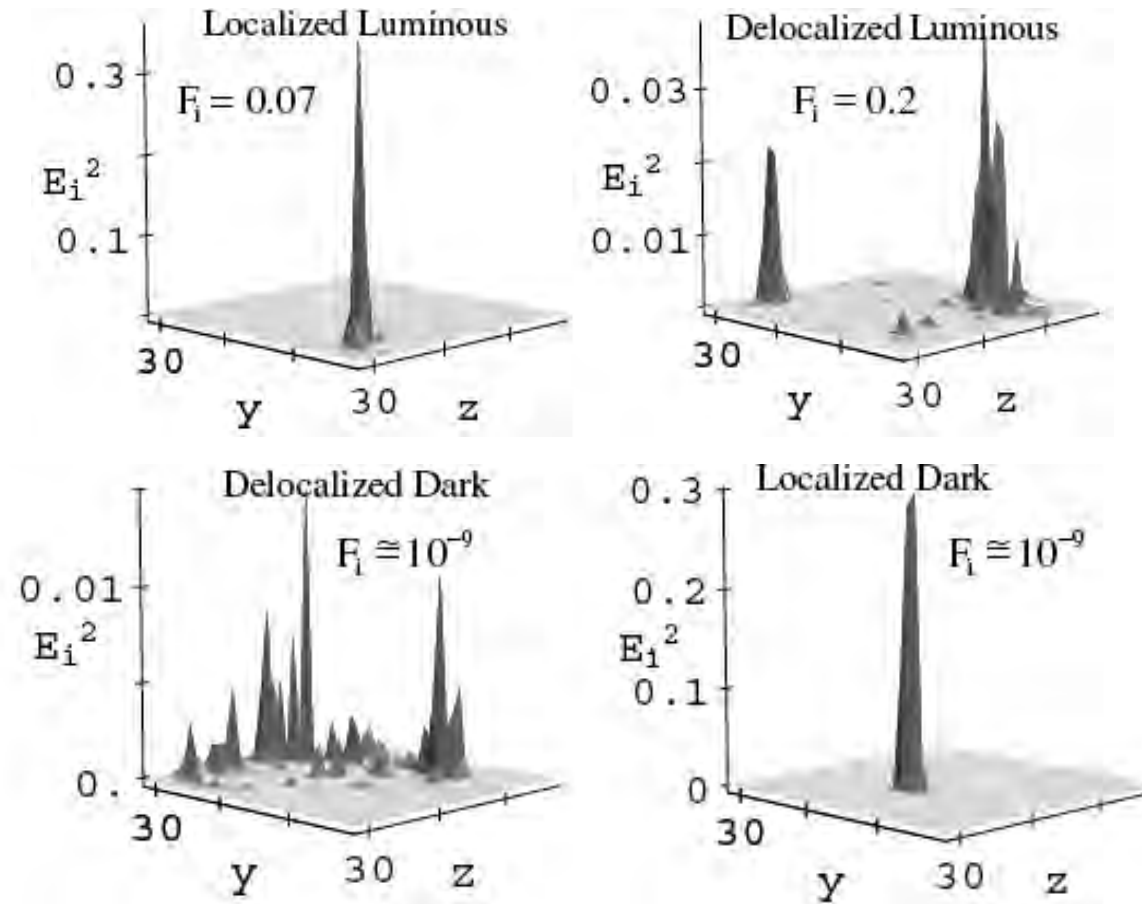


Surface (TEM image)
Gold on glass substrate



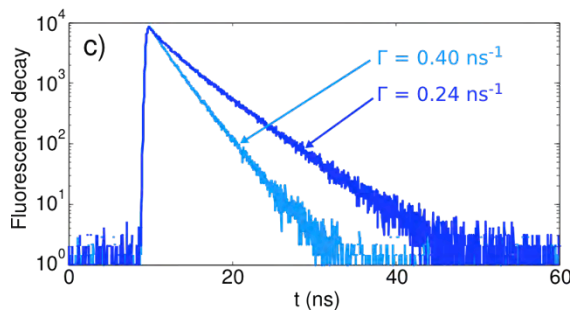
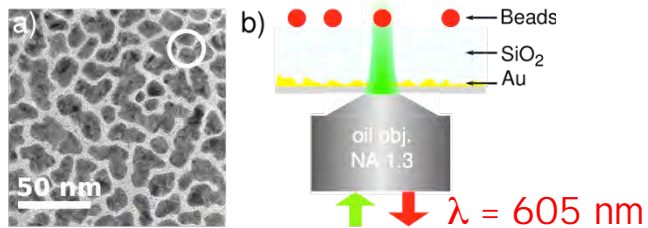
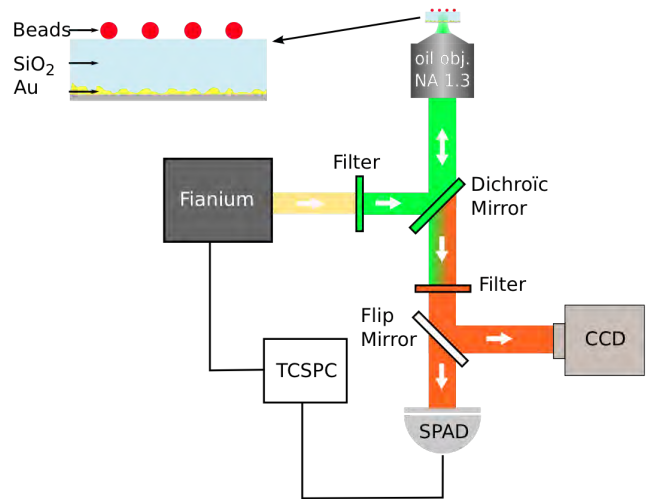
Localized and delocalized modes

Hot-spots modes on a fractal disordered film

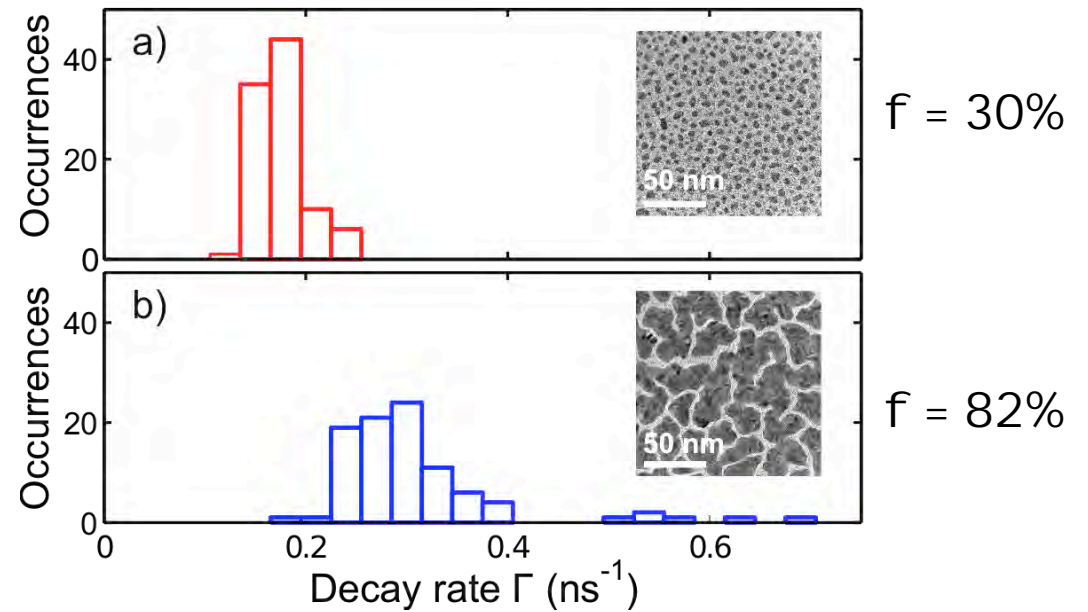


« Inhomogeneous localization »

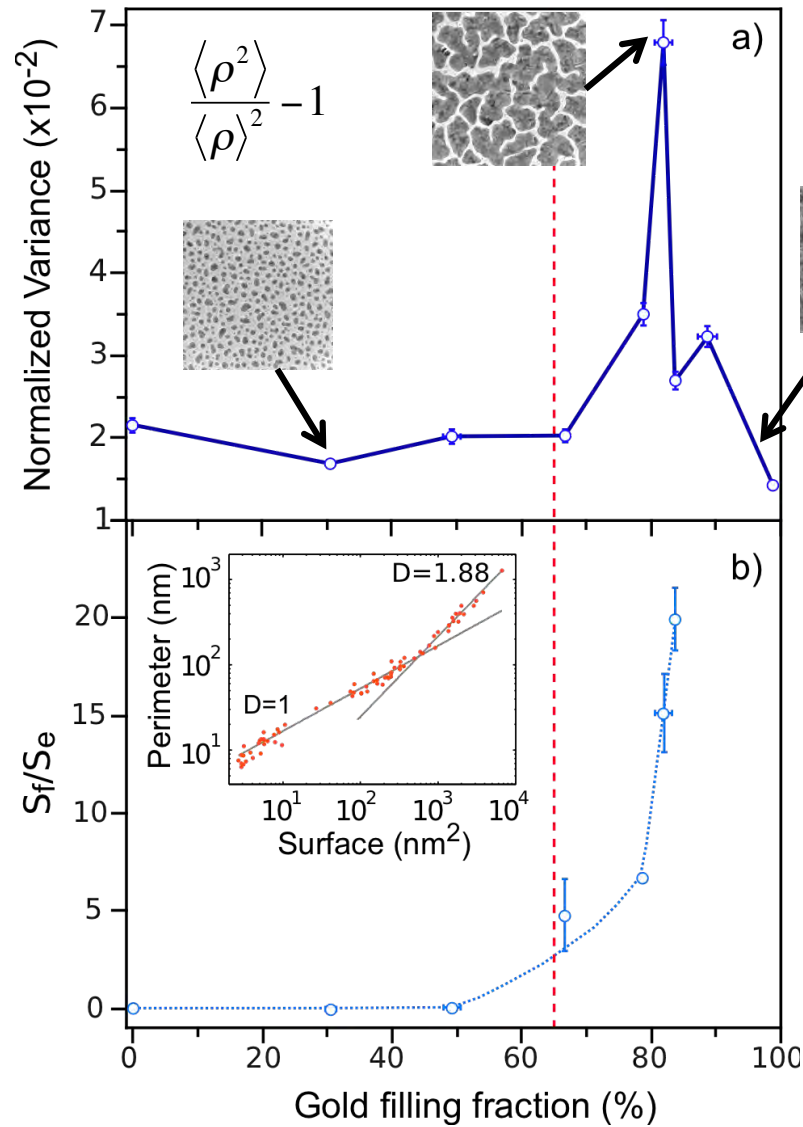
LDOS distributions on disordered metal films



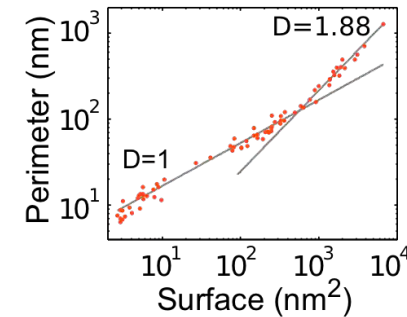
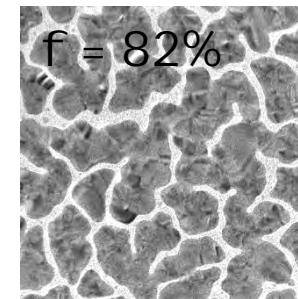
Statistical distributions of Γ (LDOS)



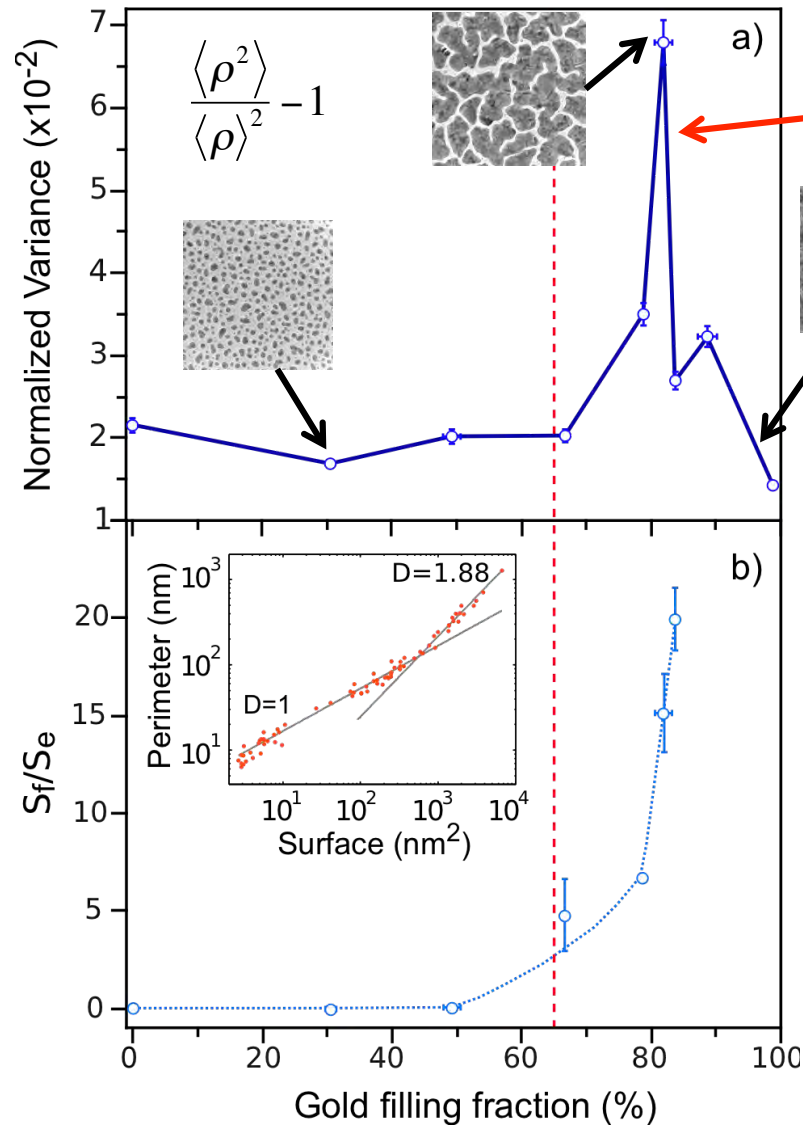
LDOS fluctuations



Fractal and Euclidian clusters



The peak reveals modes localization



The peak in the LDOS fluctuations is the signature of localized plasmon modes

Mode localization length
(inverse participation ratio)

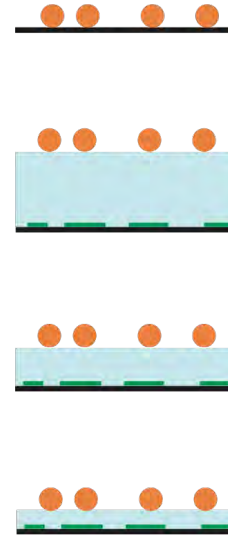
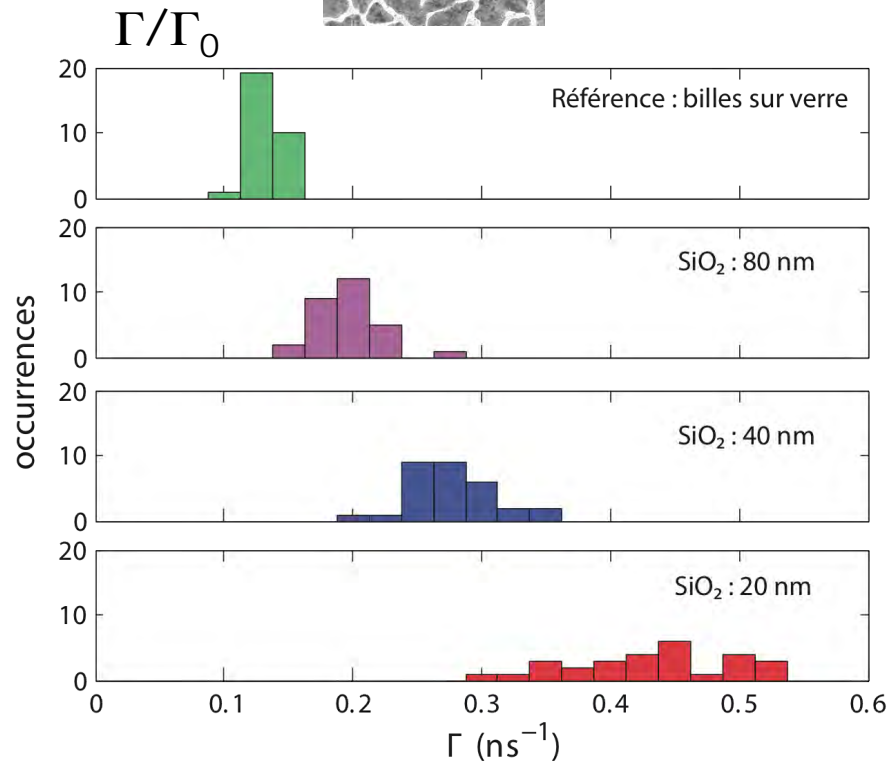
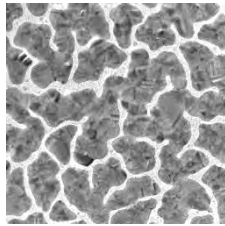
$$R_{IP} = \frac{\int |\mathbf{E}(\mathbf{r})|^4 d^2r}{\left[\int |\mathbf{E}(\mathbf{r})|^2 d^2r \right]^2} \approx \frac{1}{\xi^2}$$

$$R_{IP} \approx \frac{1}{S} \frac{\langle \rho^2 \rangle}{\langle \rho \rangle^2}$$

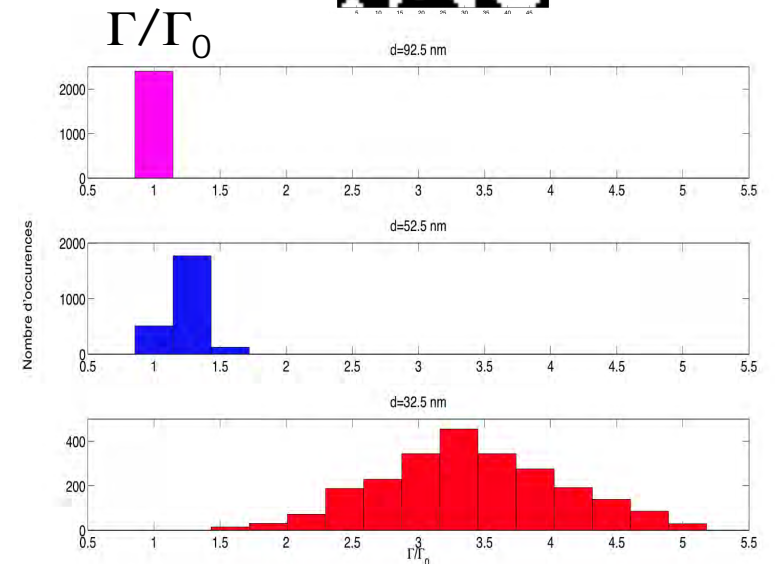
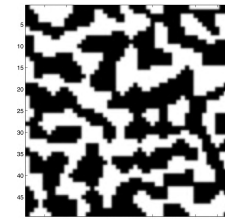
$$\frac{1}{S} \frac{\langle \rho^2 \rangle}{\langle \rho \rangle^2} \approx \frac{1}{\xi^2}$$

Numerical simulations

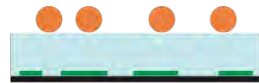
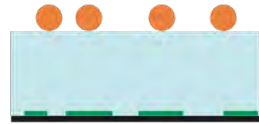
Experiment



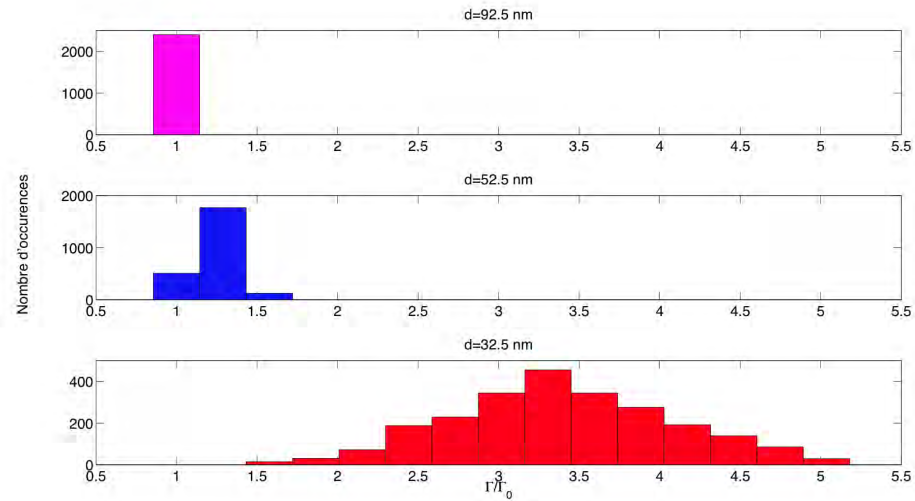
Numerical simulations
(volume integral equation
+ moment method)



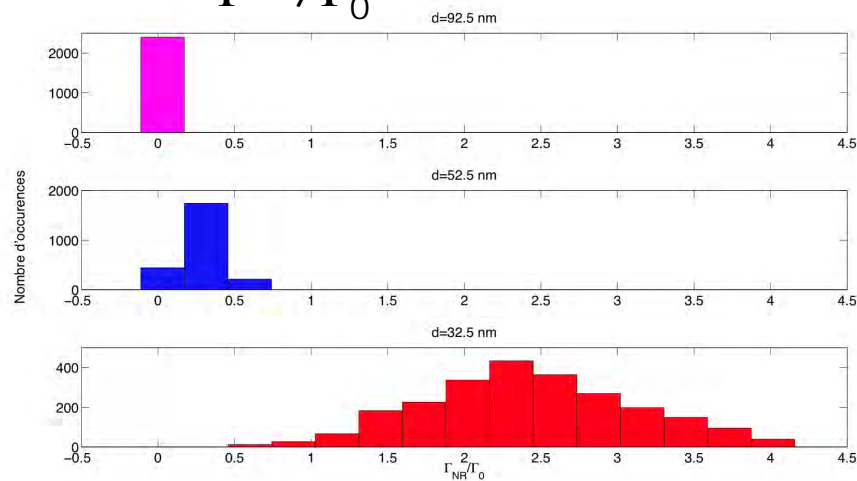
Radiative and non-radiative decays can be separated



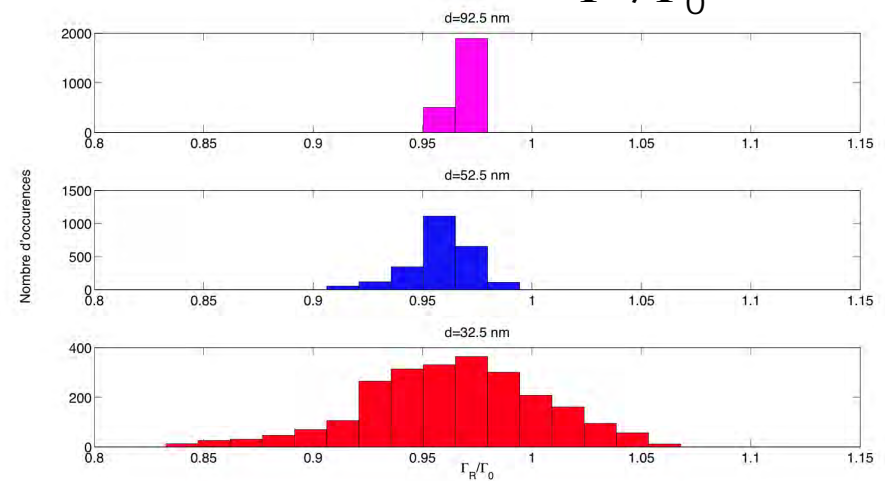
$$\Gamma/\Gamma_0$$



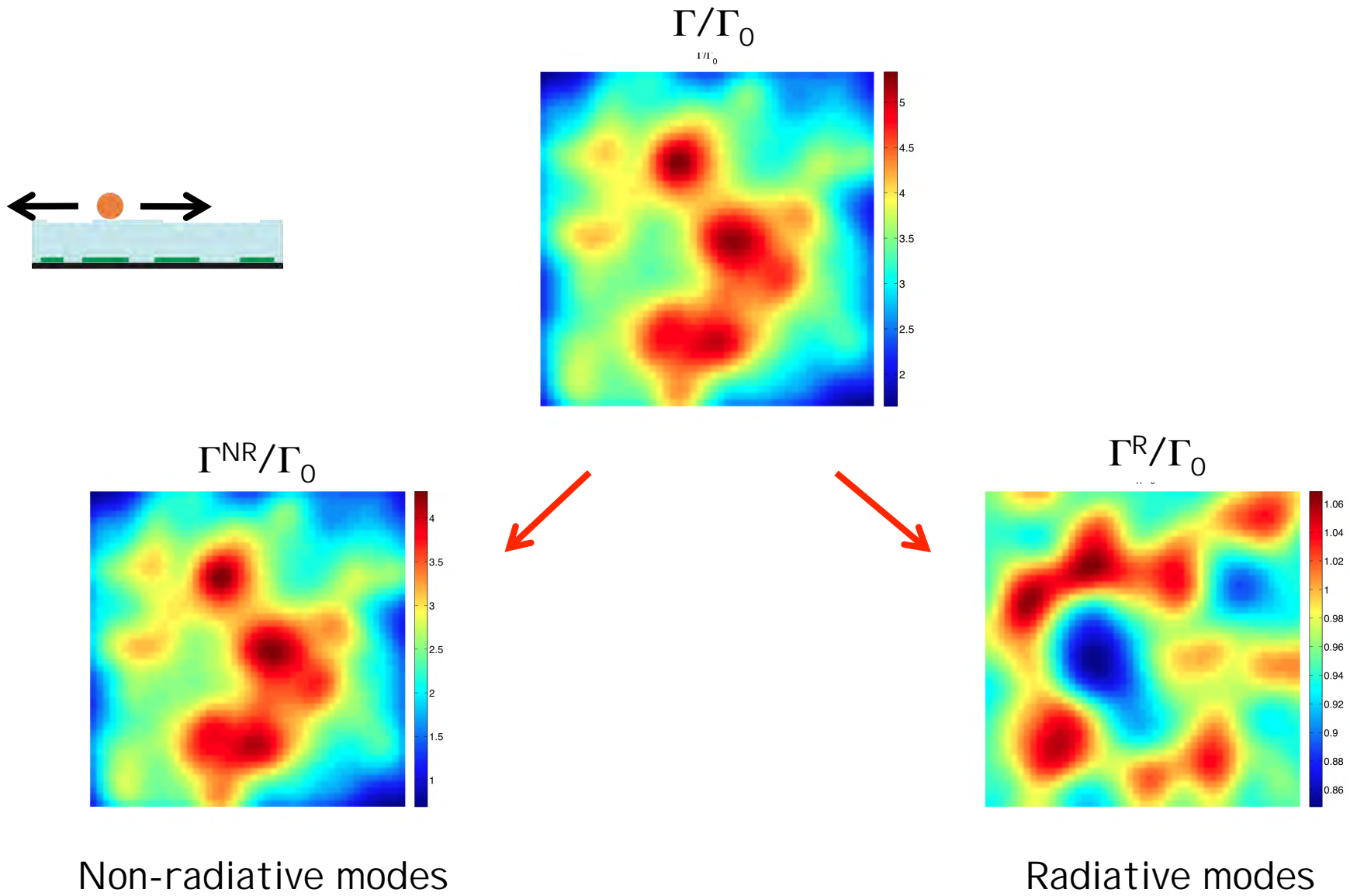
$$\Gamma^{NR}/\Gamma_0$$

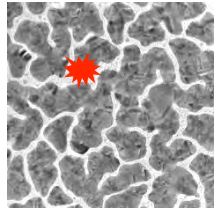


$$\Gamma^R/\Gamma_0$$

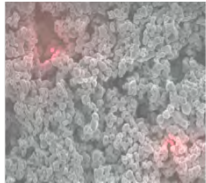


Mapping radiative and non-radiative contributions





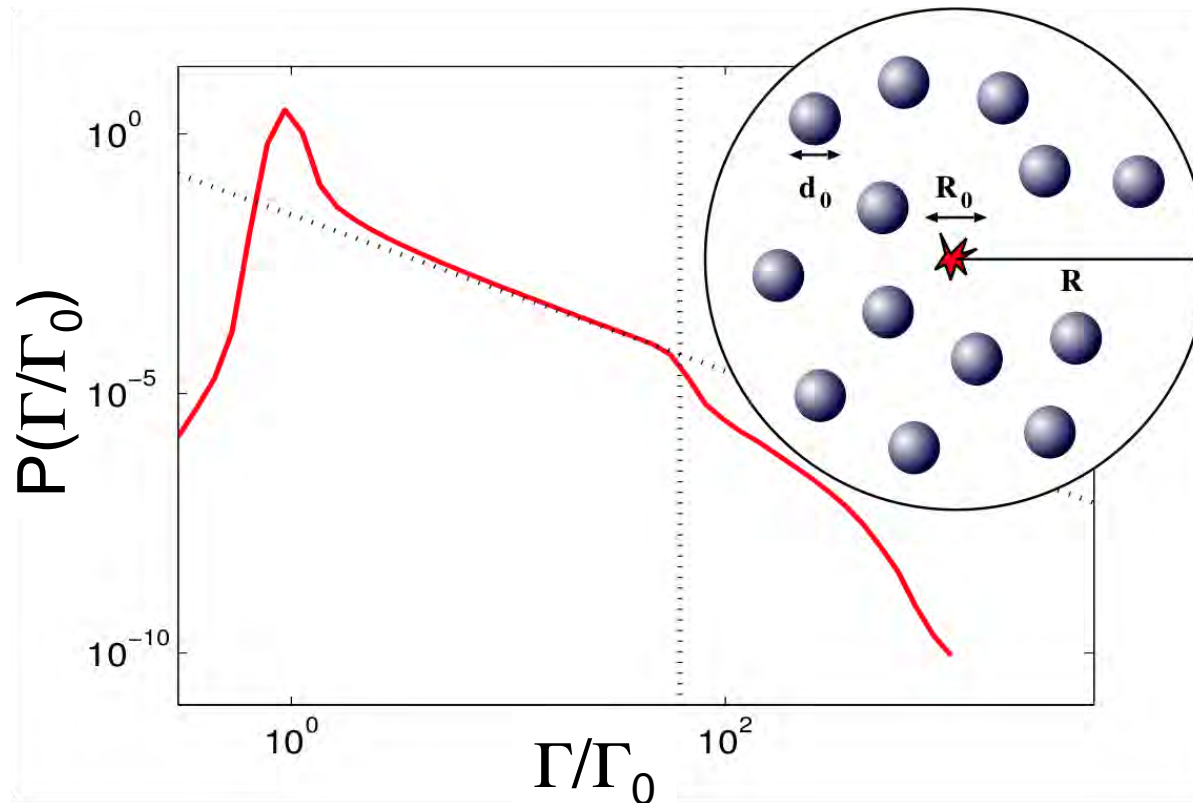
Spontaneous emission and plasmonics:
From nano-antennas to disordered systems



Probing near-field interactions in volume
disordered systems

LDOS statistics from « numerical experiments »

Statistical distribution of decay rate Γ (LDOS)

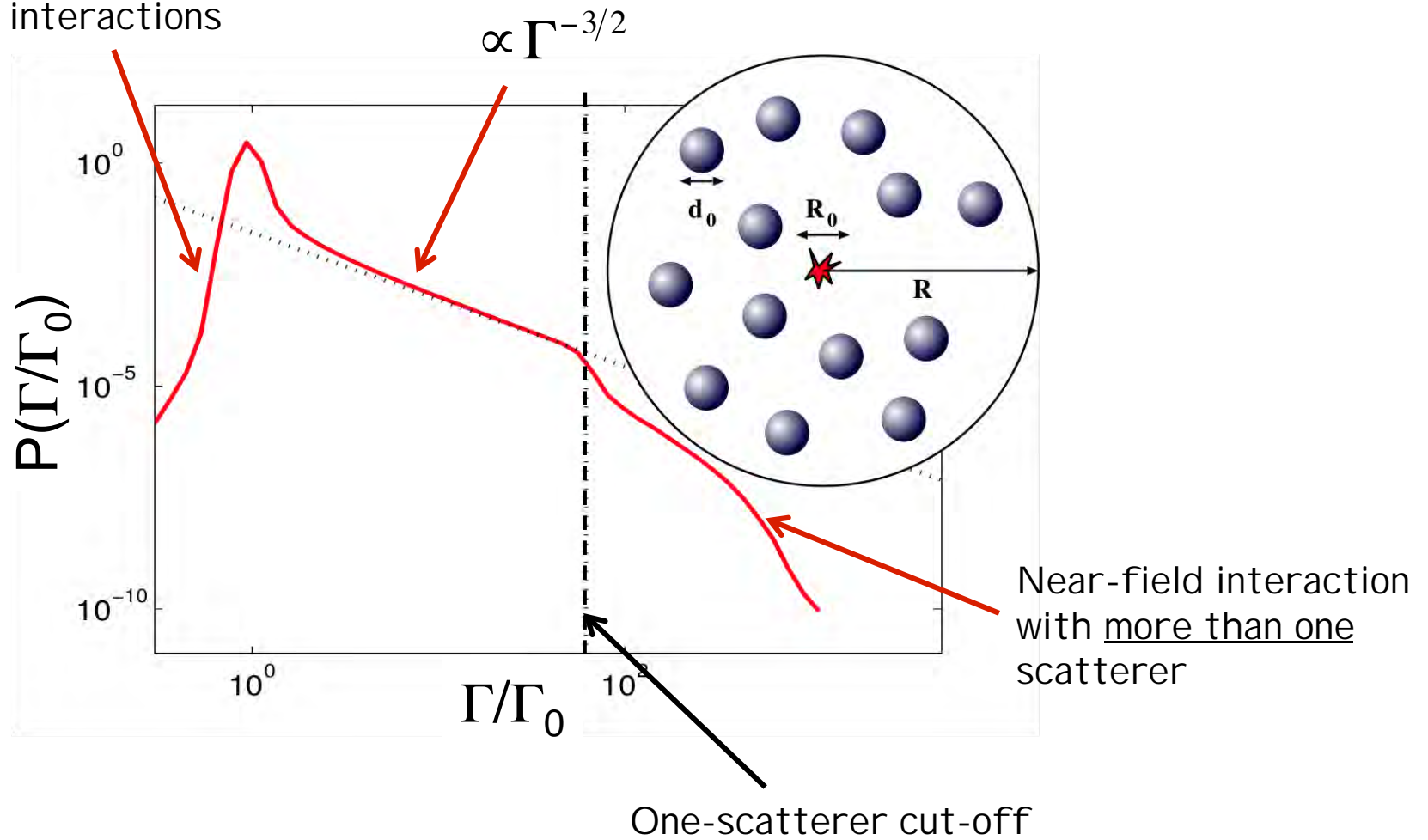


- Resonant point scatterers (« atoms »)
- $\lambda \approx 630$ nm
- Cluster size $R = 1.2$ μm
- Exclusion volume $R_0 = 50$ nm

Long tail: Near-field interactions

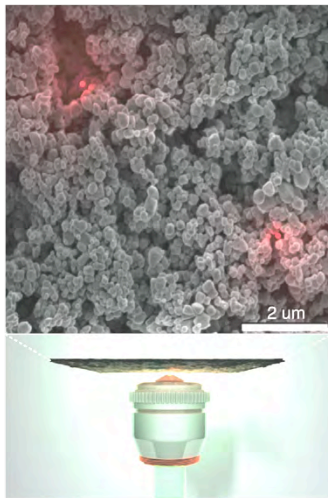
Multiple scattering and collective interactions

Near-field interaction with one scatterer



Broad - asymmetric distribution of decay rates (LDOS)

Experiments: Sapienza, Bondareff, Habert, van Hulst, ICFO (Barcelona, Spain)



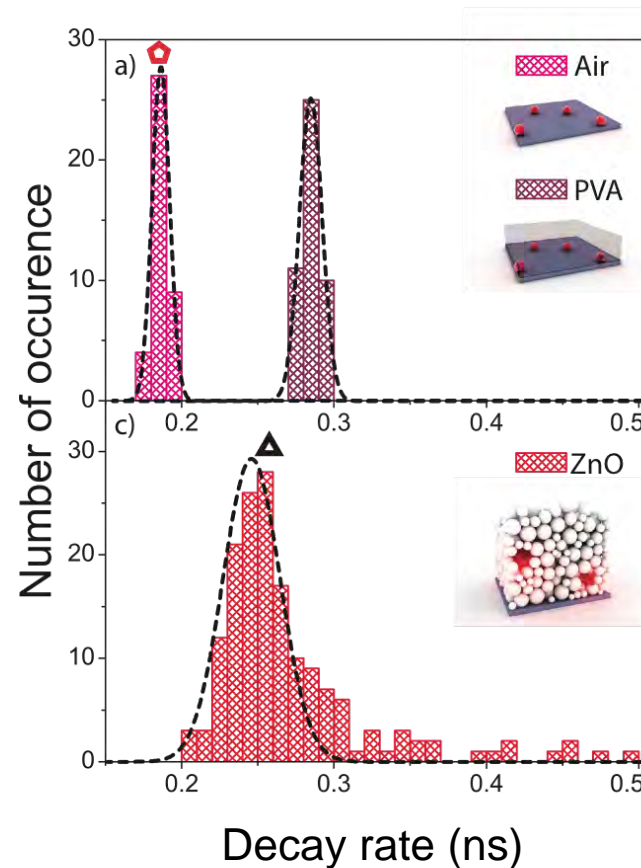
ZnO powder
Polydisperse particles
($140 \pm 50 \text{ nm}$)

Photon mean free path

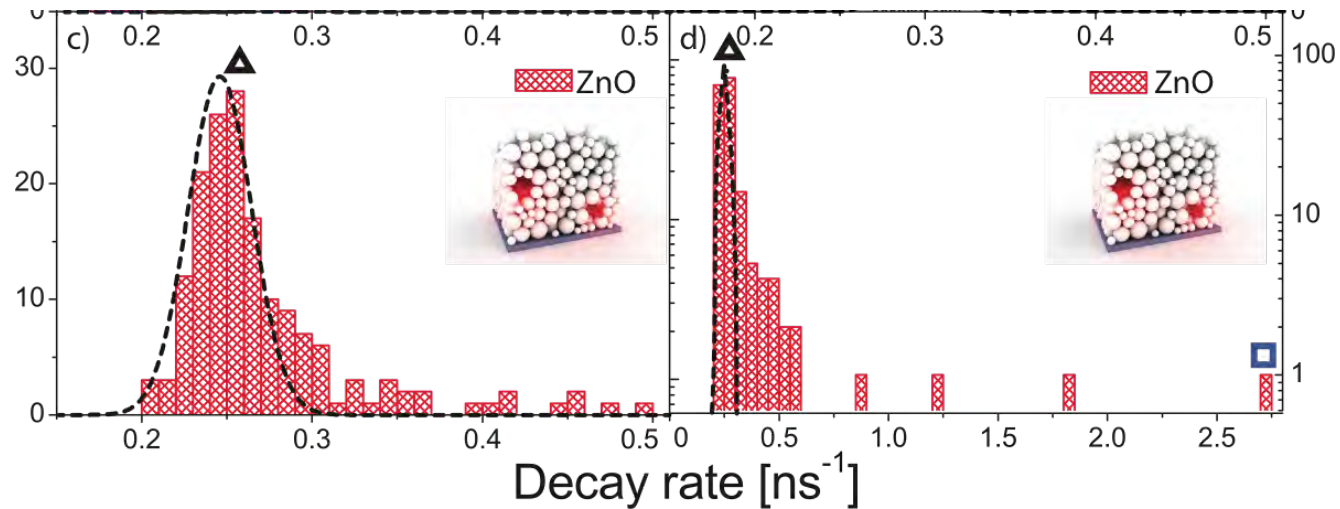
$$\ell = 0.9 \mu\text{m}$$

$$k\ell = 9.4$$

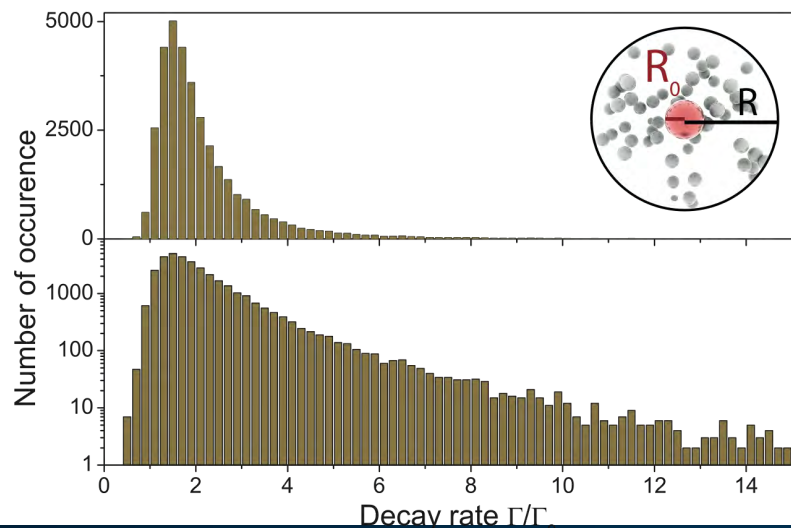
LDOS statistics probed by lifetime
of nanosources (24 nm fluorescent beads)



Long tail controlled by near-field interactions



Theory



- Tail results from near-field interactions
- High Purcell factors (rare events)

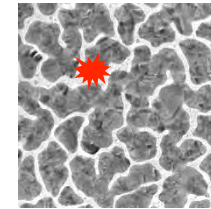
$$\frac{\Gamma_{\max}}{\Gamma_{\text{peak}}} \approx 9$$

$$\frac{\Gamma_{\max}}{\Gamma_0} \approx 15$$

Summary

- Photonic modes in complex systems can be probed with LDOS statistics

*Evidence of spatially localized modes
Radiative versus non-radiative decay*



- Disordered photonic materials can lead to substantial modifications of spontaneous emission

*Rare events can produce substantial changes
Sensitive probe of nanoscale environment*

