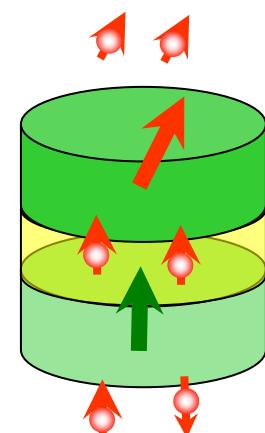


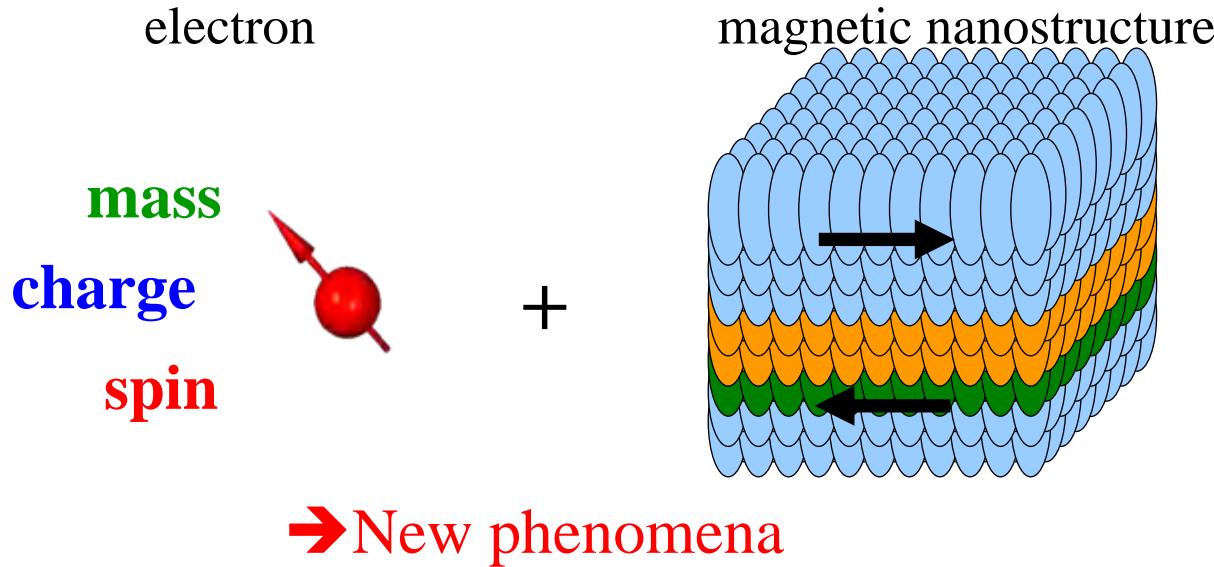
# Spin transfer torque in nanopillar spin valve with perpendicular magnetic anisotropy

S. Mangin

Nanomagnetism & spin-tronic team,  
<http://www.lpm.u-nancy.fr/nanomag/>



# Spintronic / Nanomagnetism



magnetization → spin



Giant magnetoresistance (GMR)  
Tunneling magnetoresistance (TMR)

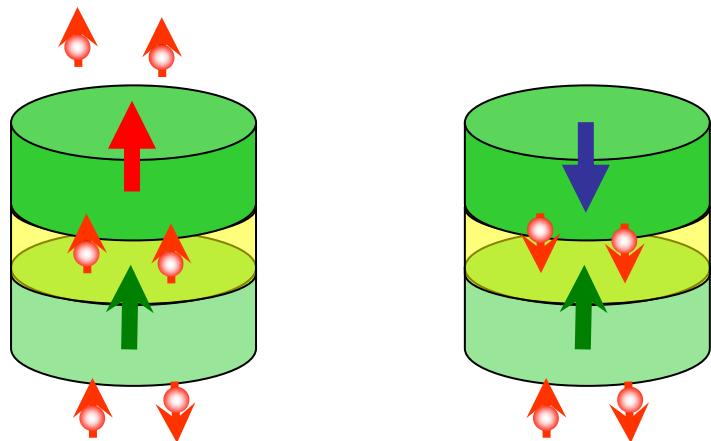
Spin precession

spin → magnetization

Spin Transfer Torque (STT)

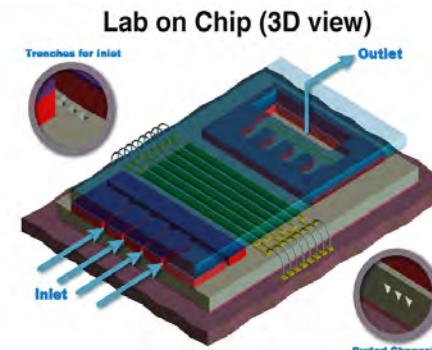
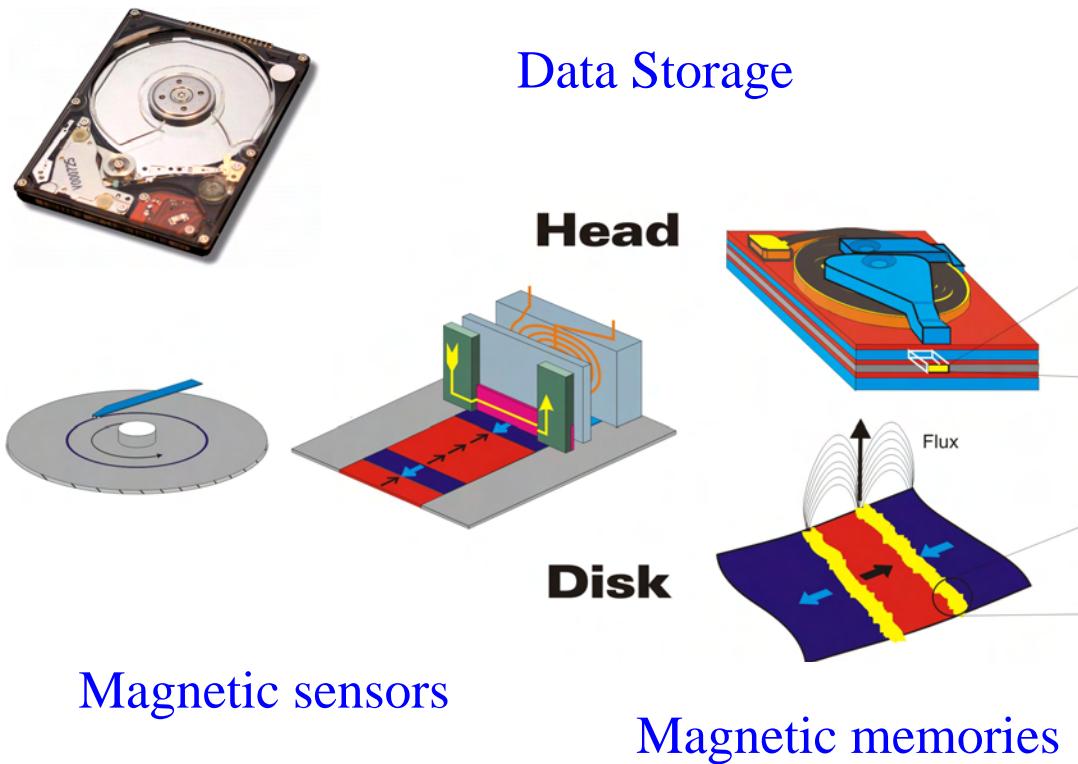
$$\frac{d\vec{L}_e}{dt} = - \frac{d\vec{L}_M}{dt}$$

# Giant MagnetoResistance

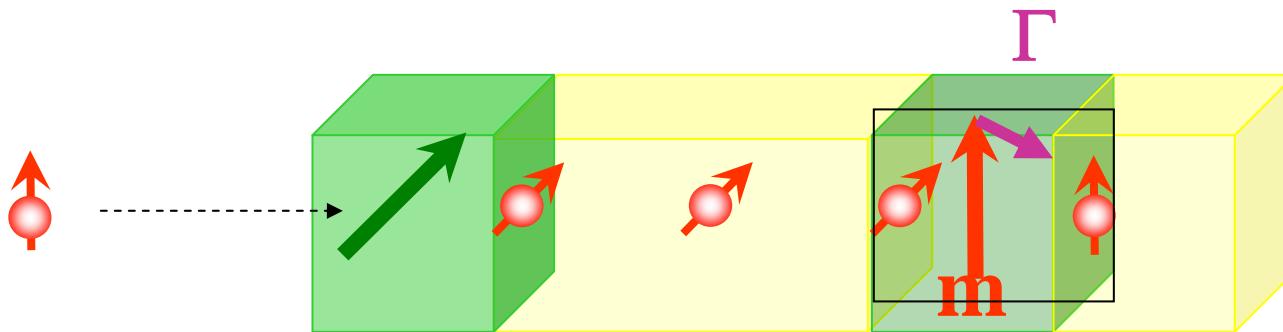


$$R(P) < R(AP)$$

A. Fert & P. Grünberg  
discovered in 1988  
Nobel prize in 2007



# Spin Transfer Torque



- Angular momentum conservation

$$\boxed{\frac{d\mathbf{L}_e}{dt}} = - \boxed{\frac{d\mathbf{L}_m}{dt}}$$

- Spin Transfer torque

$$\Gamma_m = \frac{d\mathbf{L}_e}{dt}$$

$$\Gamma_m = \beta I(\mathbf{m} \times (\mathbf{m} \times \mathbf{p}))$$

J. C. Slonczewski, J. Magn. Magn. Mater. **159**, L1 (1996).

L. Berger, Phys. Rev. B **54**, 9353 (1996).

# Magnetization Dynamics

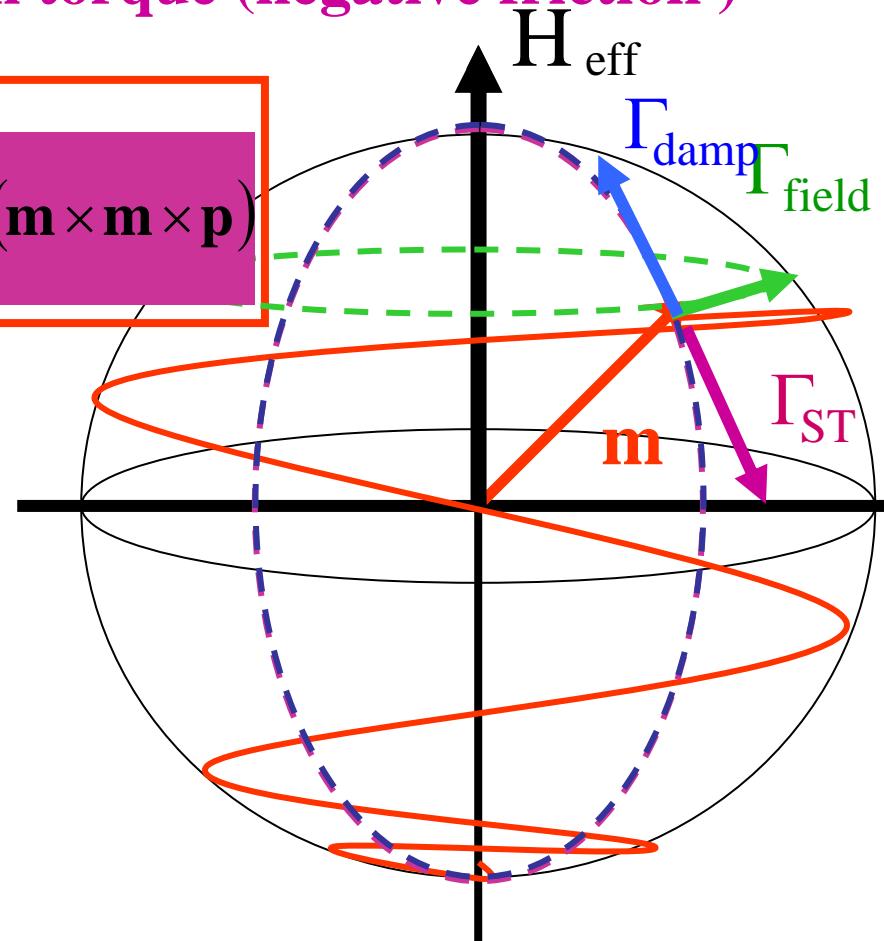
Field torque (precession)

$$\frac{d\mathbf{m}}{dt} = -\gamma_0 \mathbf{m} \times \mathbf{H}_{\text{eff}} + \alpha (\mathbf{m} \times (\mathbf{m} \times \mathbf{H}_{\text{eff}})) + \beta \mathbf{I}(\mathbf{m} \times \mathbf{m} \times \mathbf{p})$$

Spin torque (negative friction )

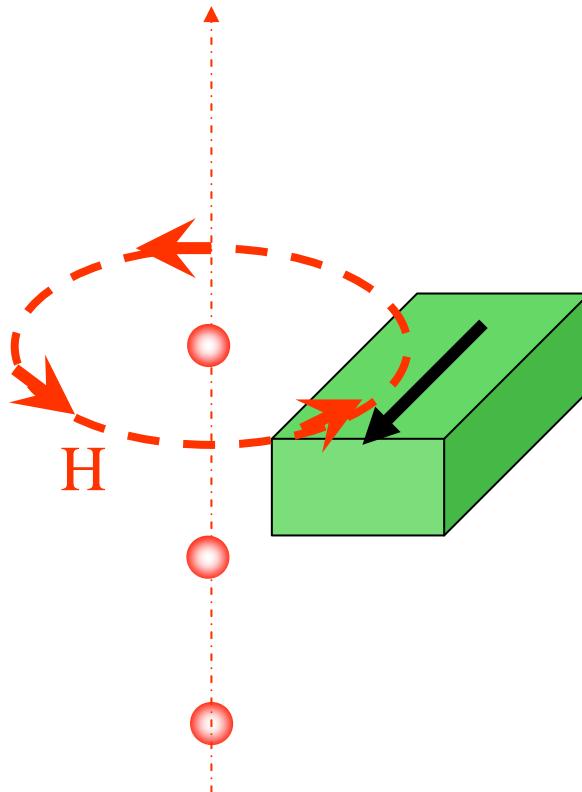
Damping torque (dissipation)

- Magnetization switching
- Steady-states precession
- Domain wall propagation



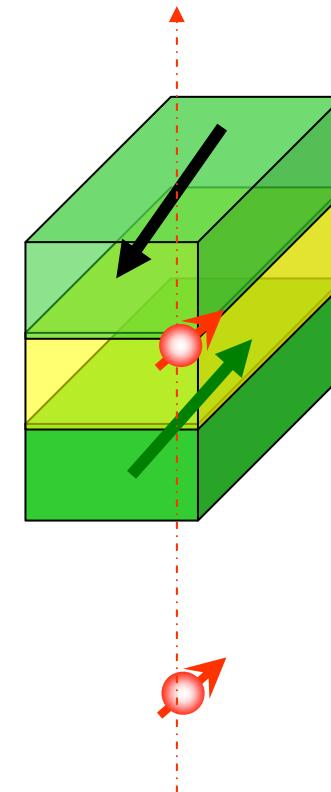
# Spin transfer torque: a new way to manipulate magnetization

Charge current



Oerste<sup>●</sup>Field

Spin current



Spin transfer torque

# Magnetic Random Access Memory (MRAM)

Store information:

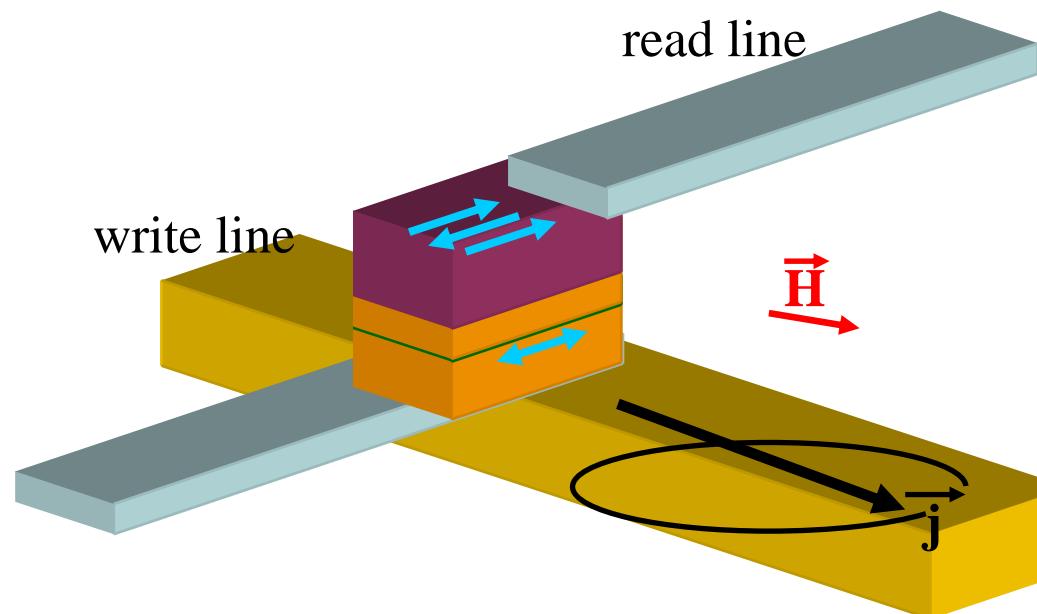
→ Orientation of a nanomagnet

Write information:

→ Oersted field (current in stripe)

Read information:

→ Measurement of GMR or TMR



# STT -MRAM

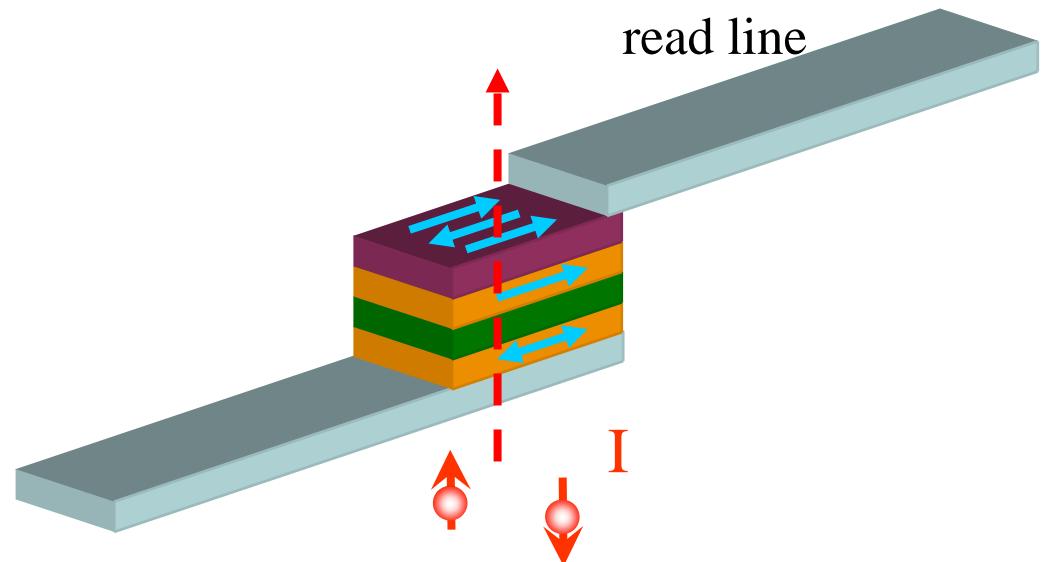
Store information:

- Orientation of a nanomagnet

Write information:

- ~~Oersted field (current in stripe)~~

**Spin Transfer Torque!**



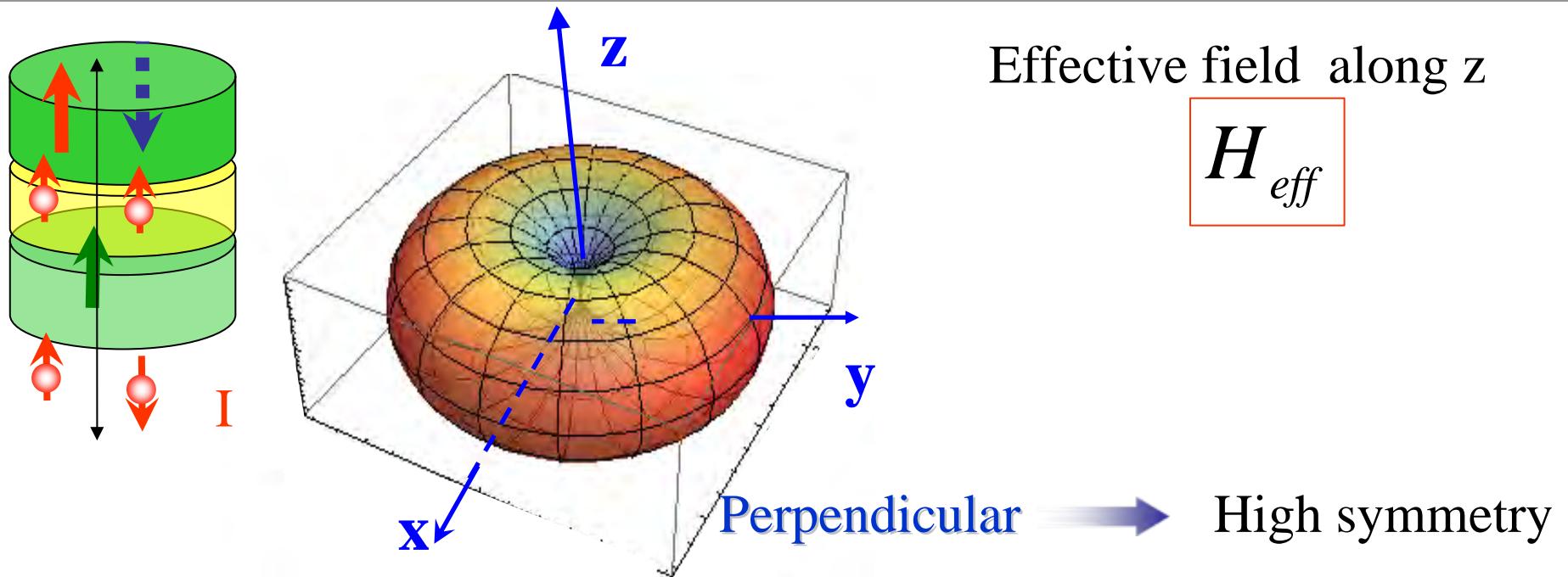
Read information:

- Measurement of magnetoresistance (GMR or TMR)

# Fundamental understanding → Applications

- Magnetization switching → Low current switching
- Thermal fluctuation → Thermal Stability
- State diagram (H,I) → Low energy consumption
- Magnetization dynamics → Fast switching

# Perpendicular Magnetization



- For application

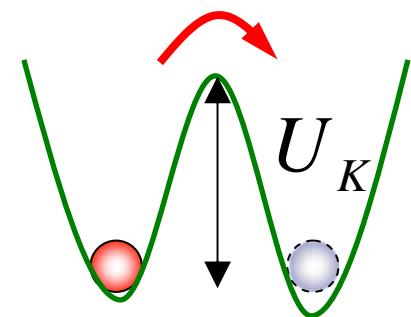
Current  $\rightarrow$  Efficiency

$$I_{sw} = \left( \frac{2e}{\hbar} \right) \frac{\alpha M_s V}{g(\theta)p} (H_{eff})$$

Energy Barrier height  $\rightarrow$  Thermal Stability

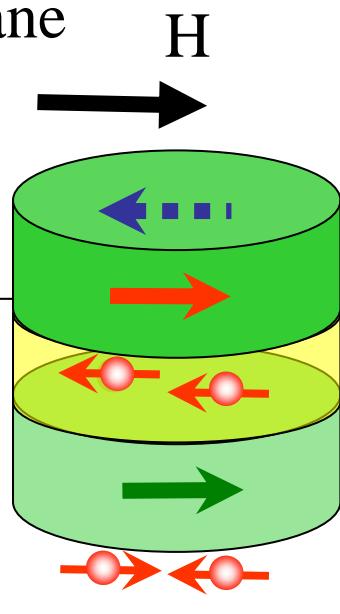
$$P(t) = \exp\left(-\frac{t}{\tau}\right)$$

$$\tau = \tau_0 \exp\left(-\frac{U_K}{kT}\right)$$



# Perpendicular = Efficiency + Stability

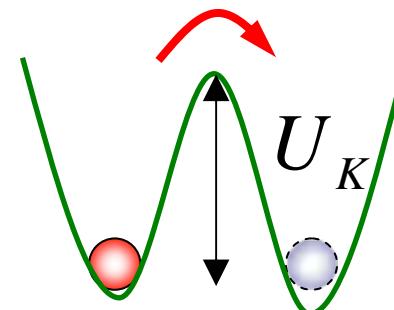
In plane



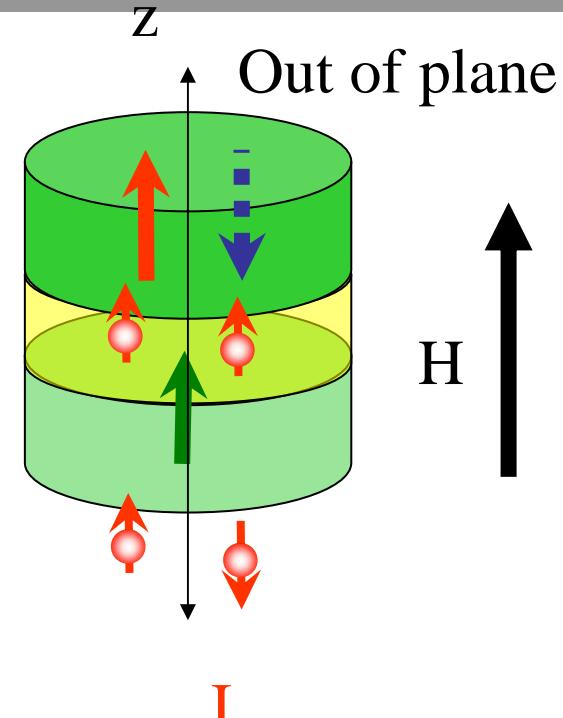
$H$

$$I_{sw} = \left( \frac{2e}{\hbar} \right) \frac{\alpha M_s V}{g(\theta)p} (H_{eff})$$

$\Delta$



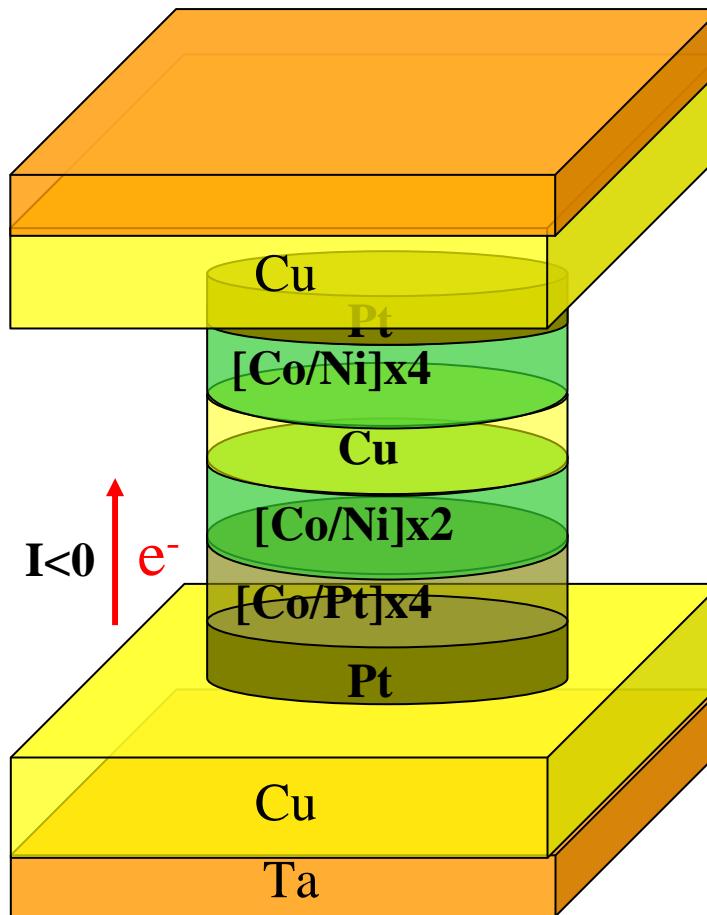
$I$



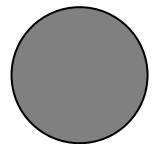
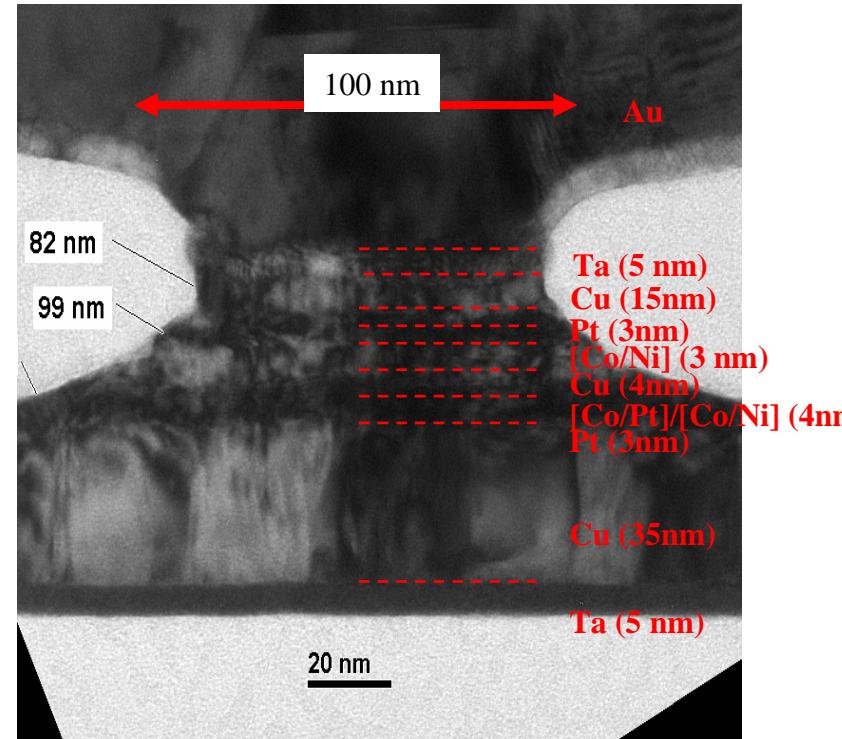
$H$

|                              |  |  |
|------------------------------|--|--|
| $H_{eff}^{P \rightarrow AP}$ | $H + H_{K//} + 2\pi M_s$   | $H + (H_{K\perp} - 4\pi M_s)$                                      |
| $U_K$                        | $(M_s V H_{K//})/2$  | $(M_s V (H_{K\perp} - 4\pi M_s))/2$                                |
| $ I_{sw} $                   | $\left( \frac{2e}{\hbar} \right) \frac{2\alpha}{g(\theta)p} (U_K + \pi M_s^2 V)$ | $\left( \frac{2e}{\hbar} \right) \frac{2\alpha}{g(\theta)p} (U_K)$ |

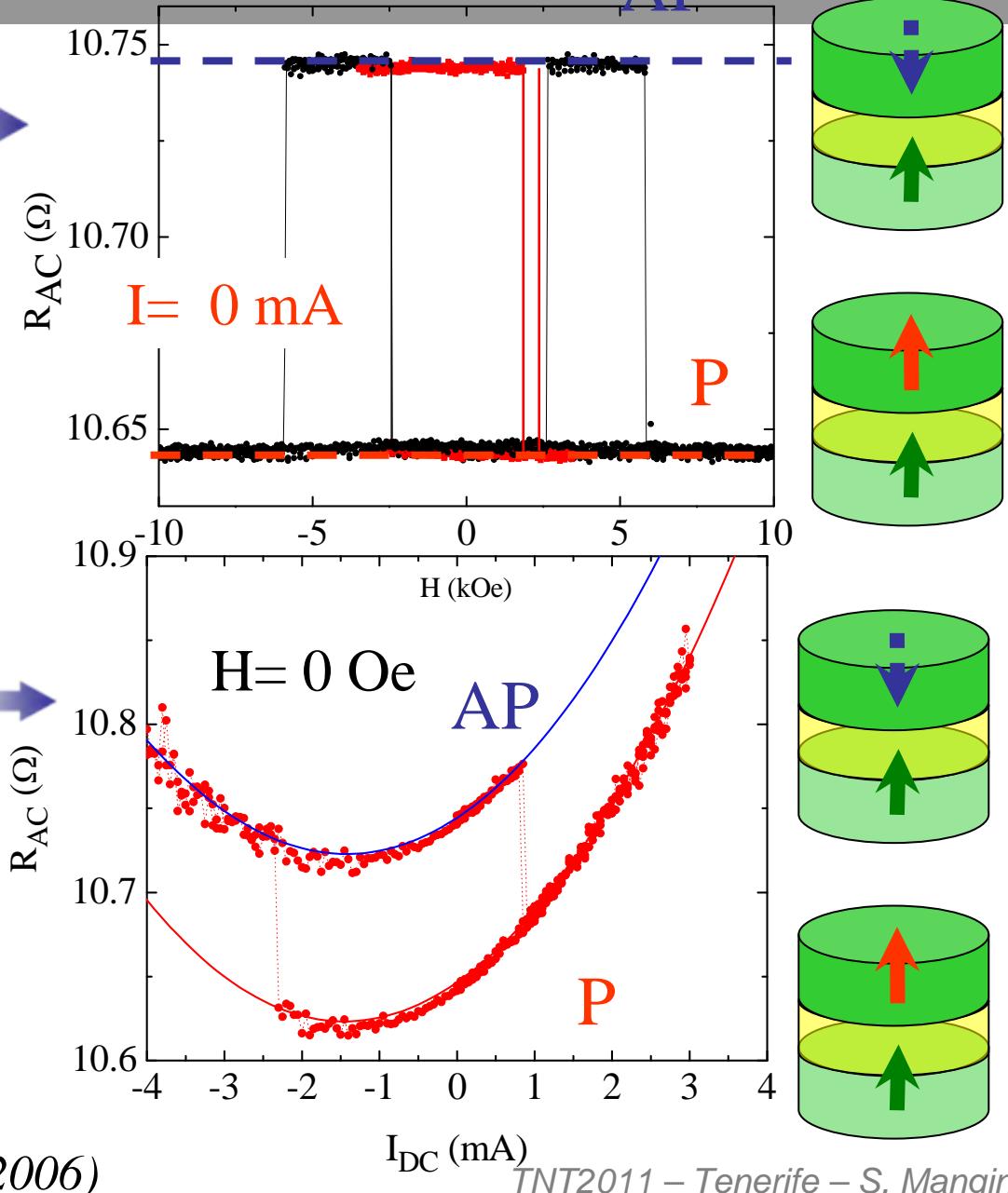
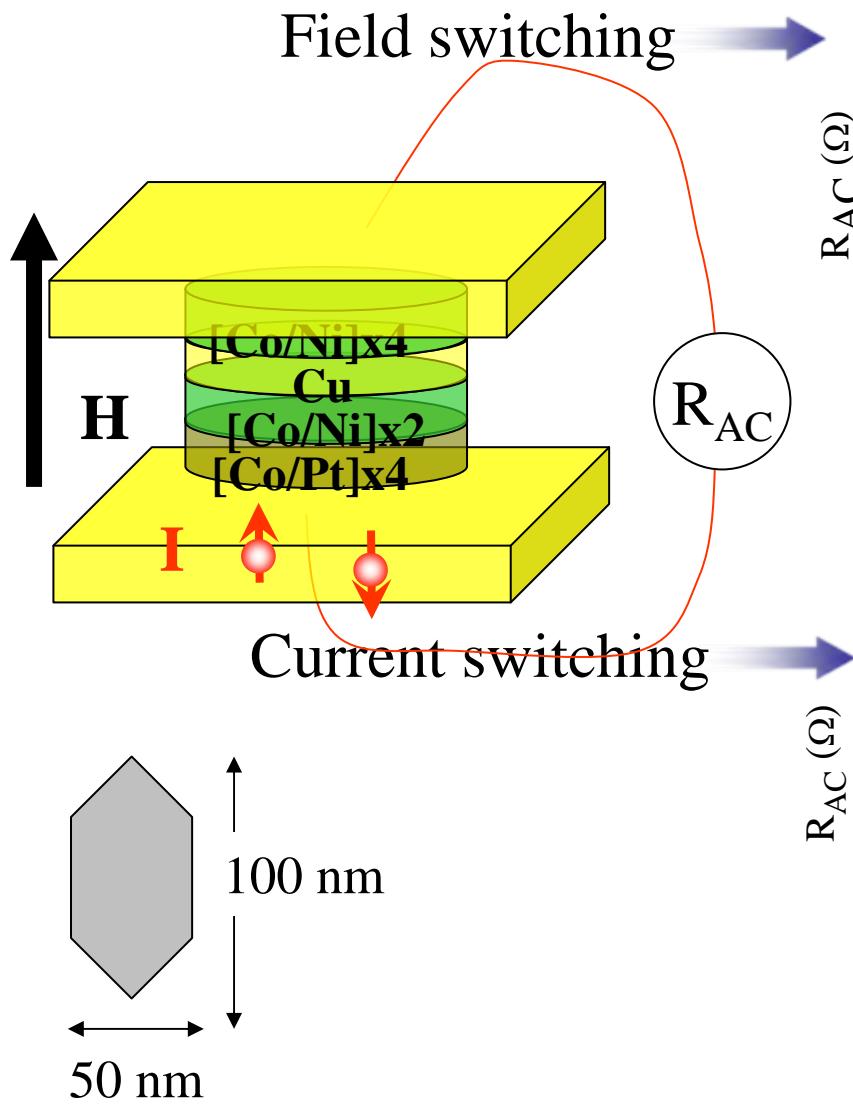
# Nanopillars spin valve



$5 \mu\text{m}$   
Jordan Katine

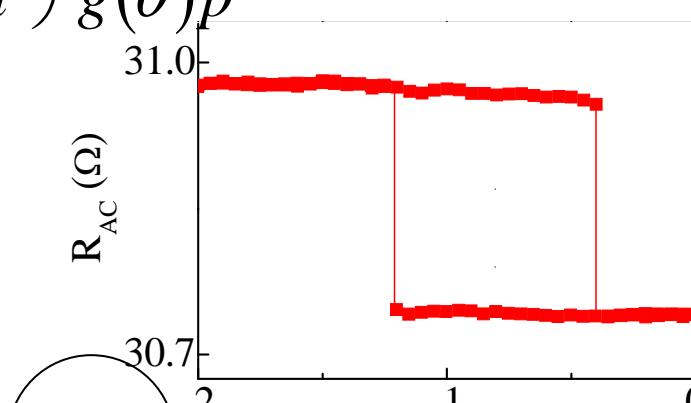
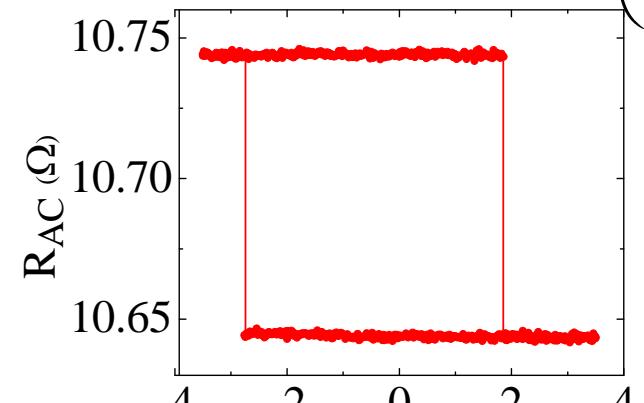
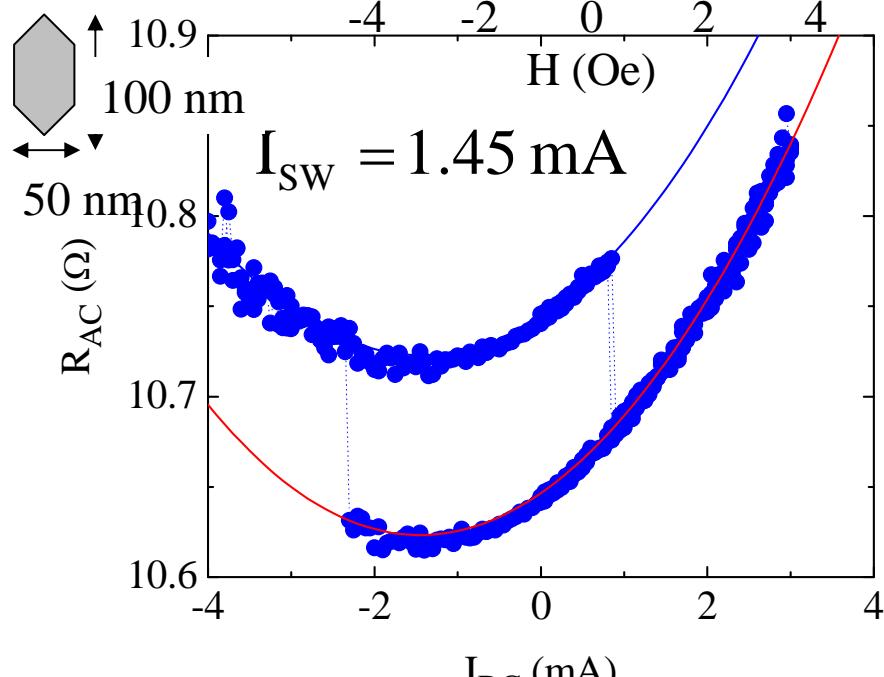
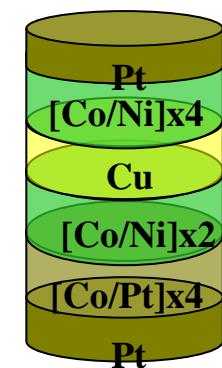


# Magnetization switching AP



# Perpendicular = Efficiency + Stability

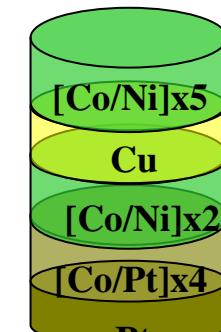
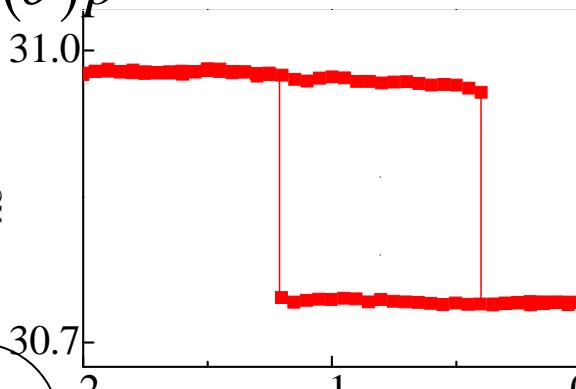
$$I_{SW} = \left( \frac{2e}{\hbar} \right) \frac{2\alpha}{g(\theta)p} (U_K)$$



x 12

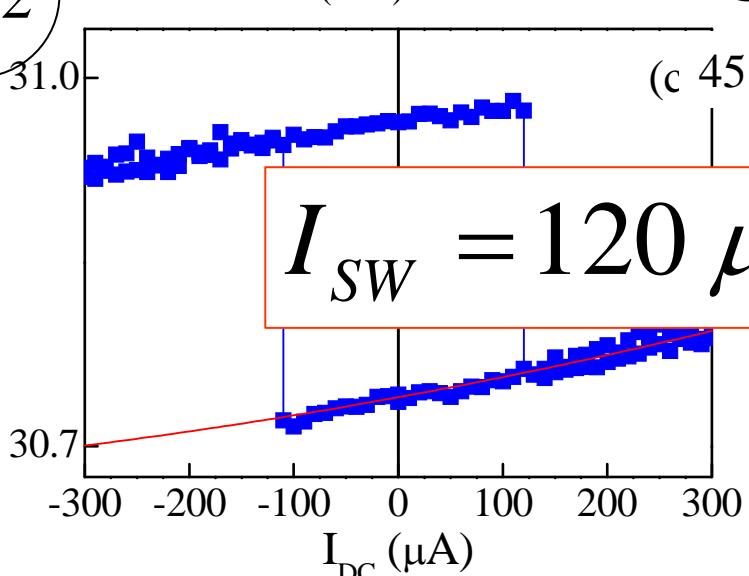
$R_{AC} (\Omega)$

$dV/dI (\Omega)$

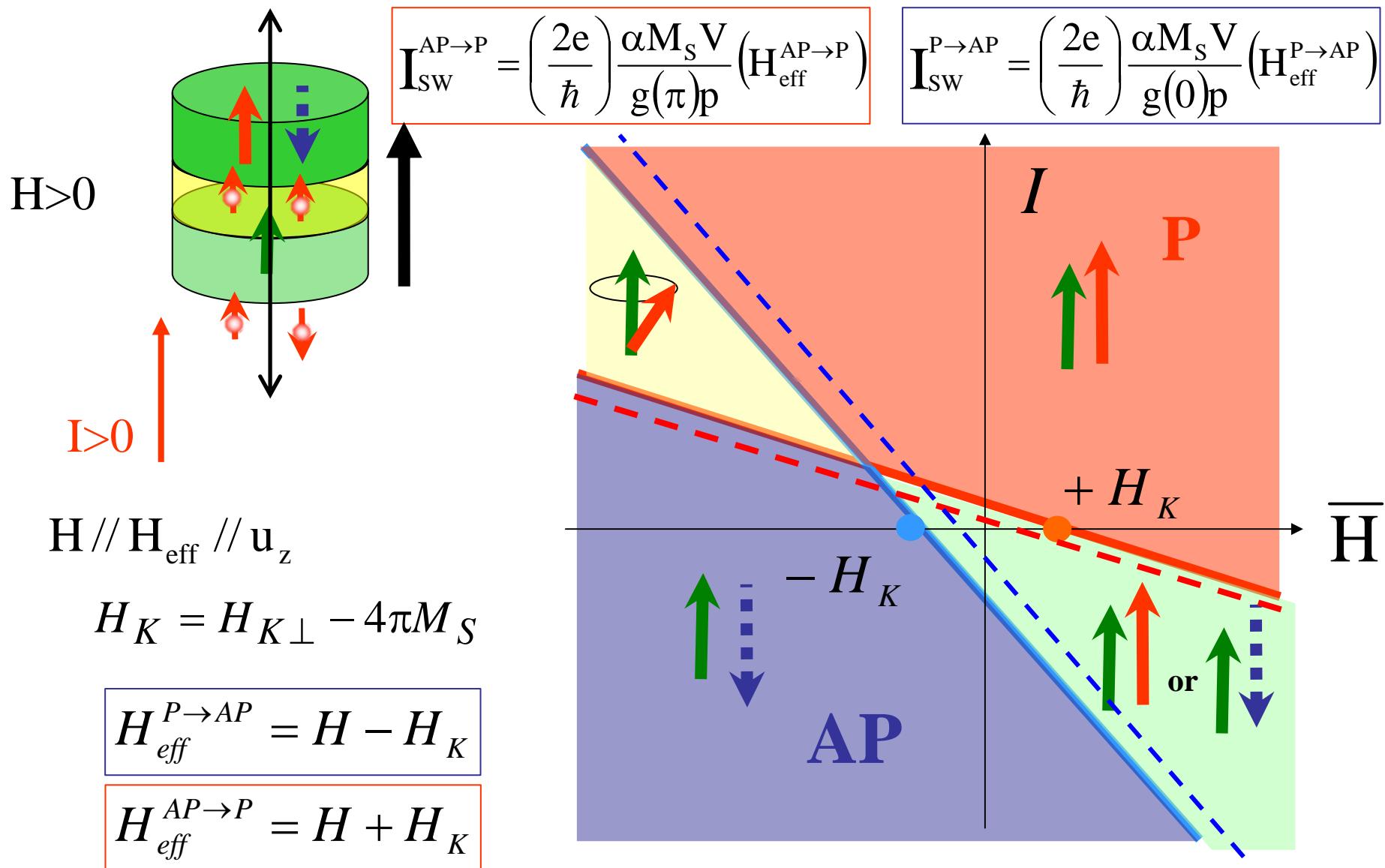


(c) 45 nm

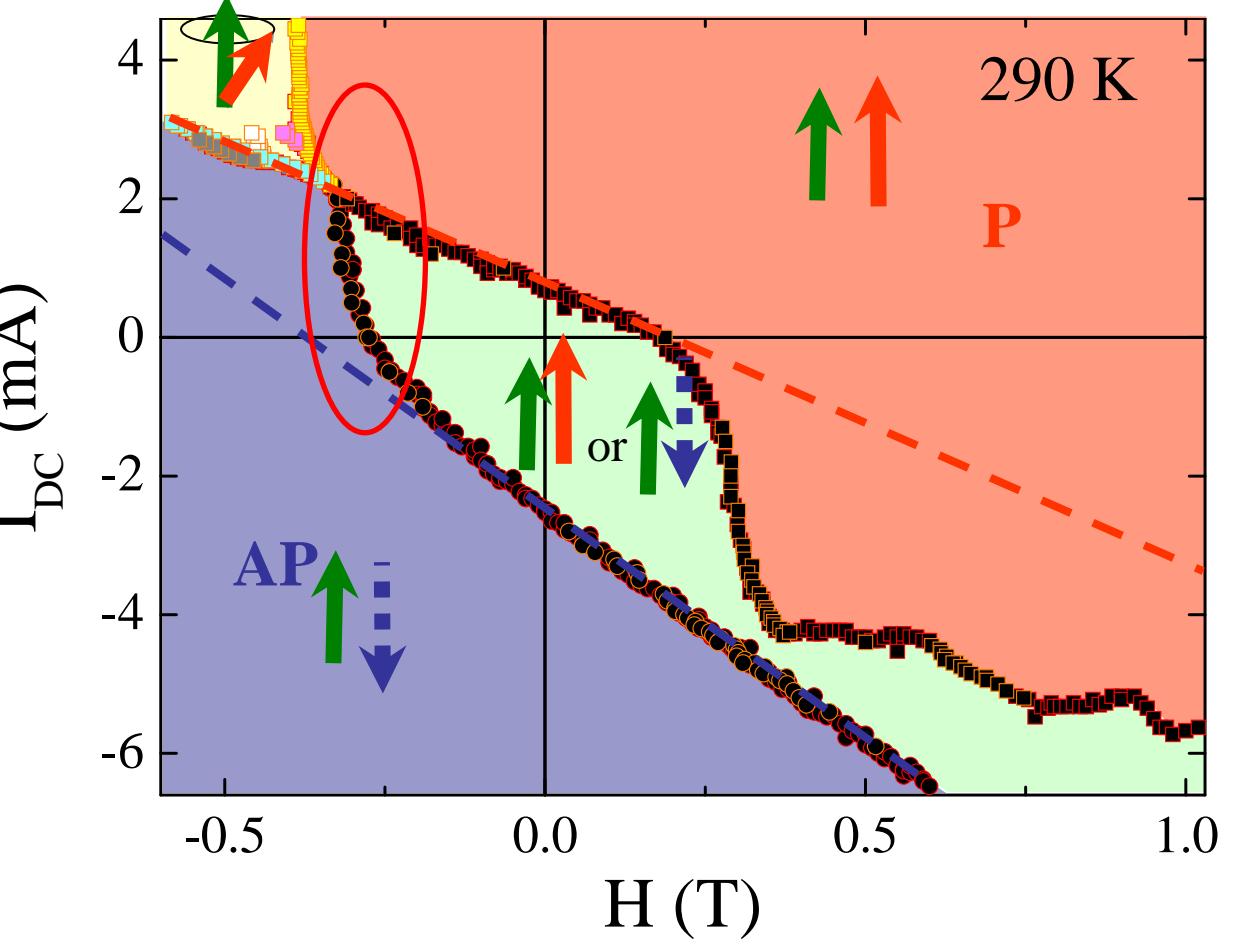
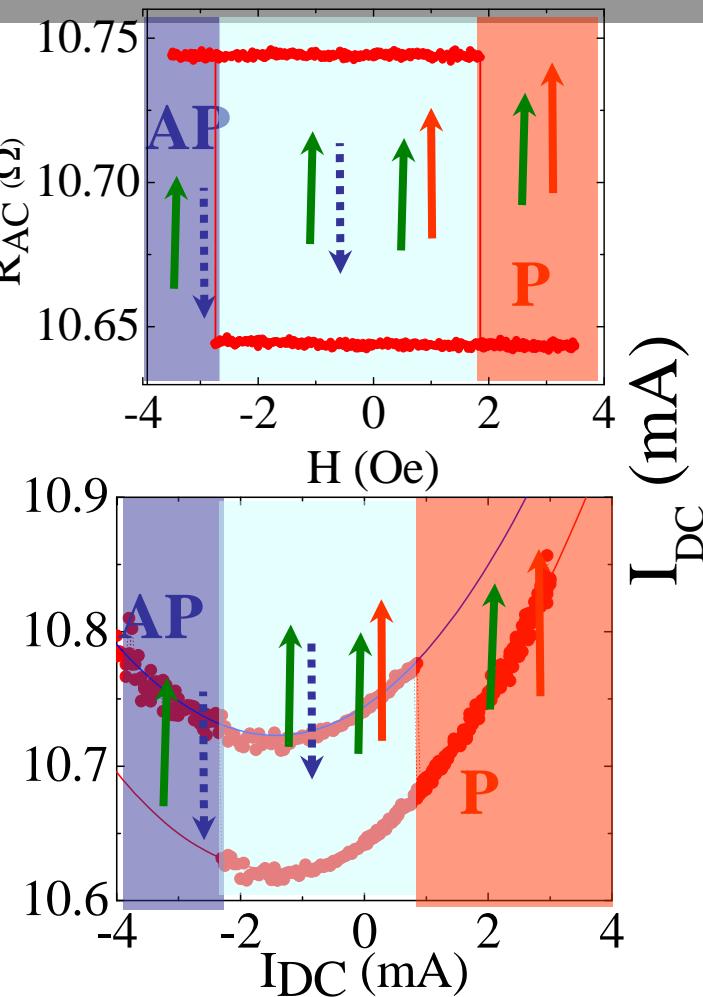
$I_{SW} = 120 \mu\text{A}$



# State diagram ( $H, I$ )



# Experimental state diagram (H,I)



→ Qualitative agreement: 4 different areas, some linear dependence

→ Quantitative disagreement: reversal independent of current ??

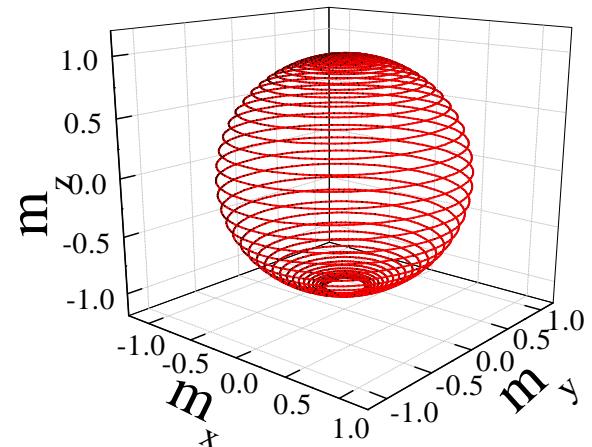
# Dynamics : fast & slow

Short time



Precession

$$\frac{1}{\tau} = A \cdot (I - I_{c0})$$



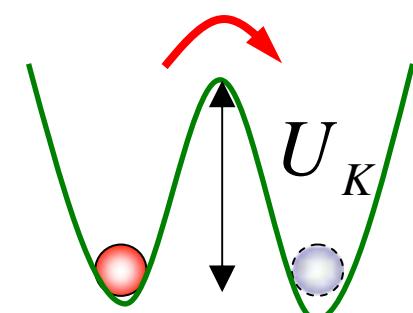
Long time



Thermally activated

$$P(t) = \exp\left(-\frac{t}{\tau}\right)$$

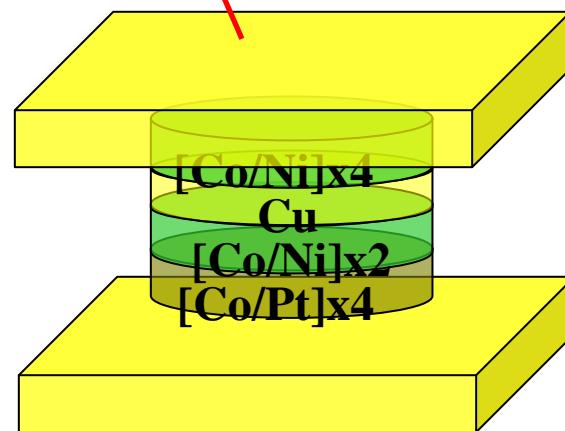
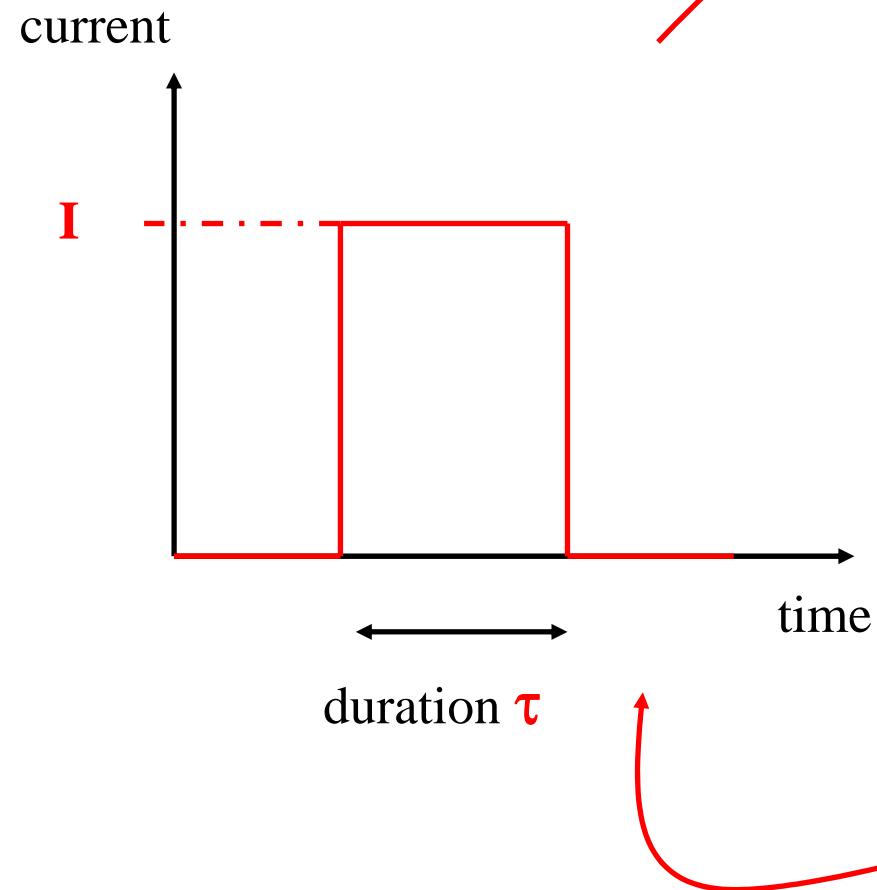
$$\tau = \tau_0 \exp\left(-\frac{\Delta E}{kT}\right)$$



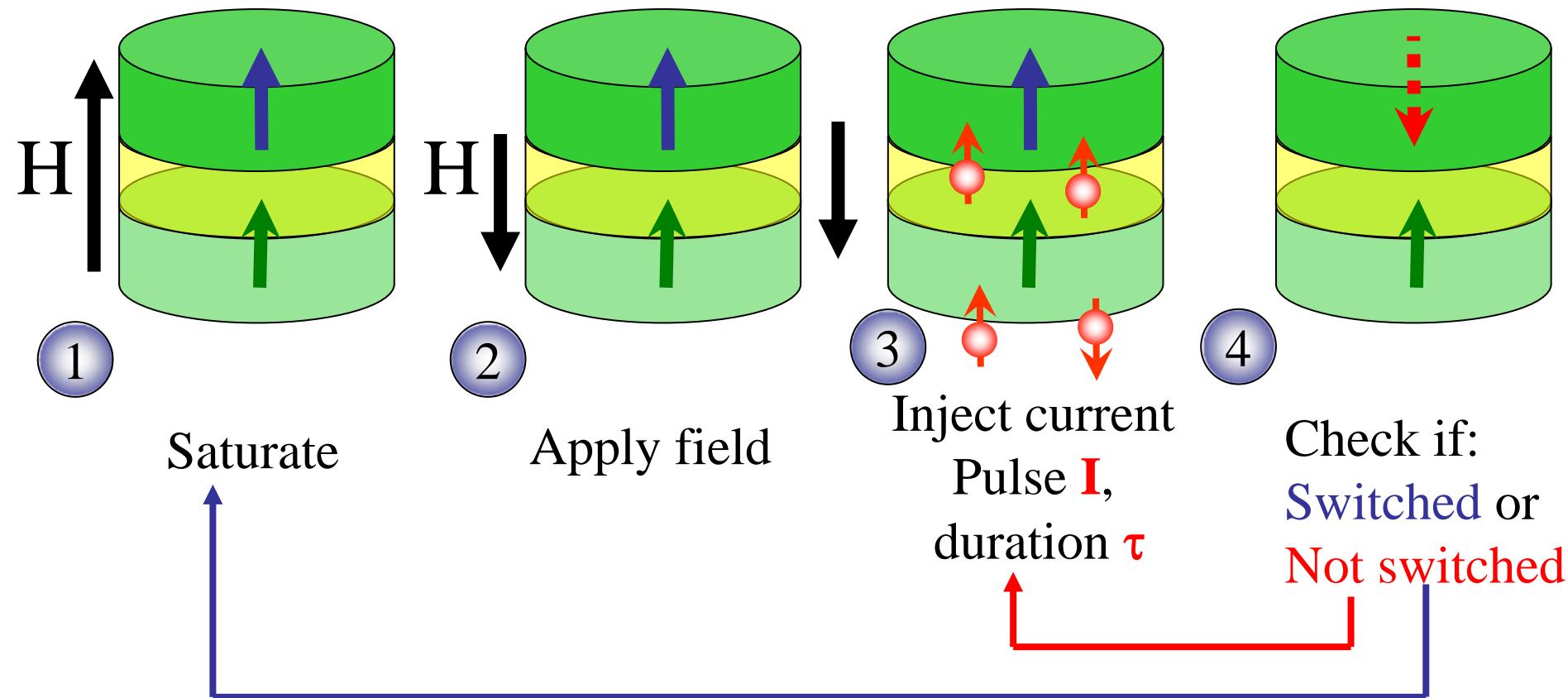
# Current pulse



Prof. A. Kent NYU



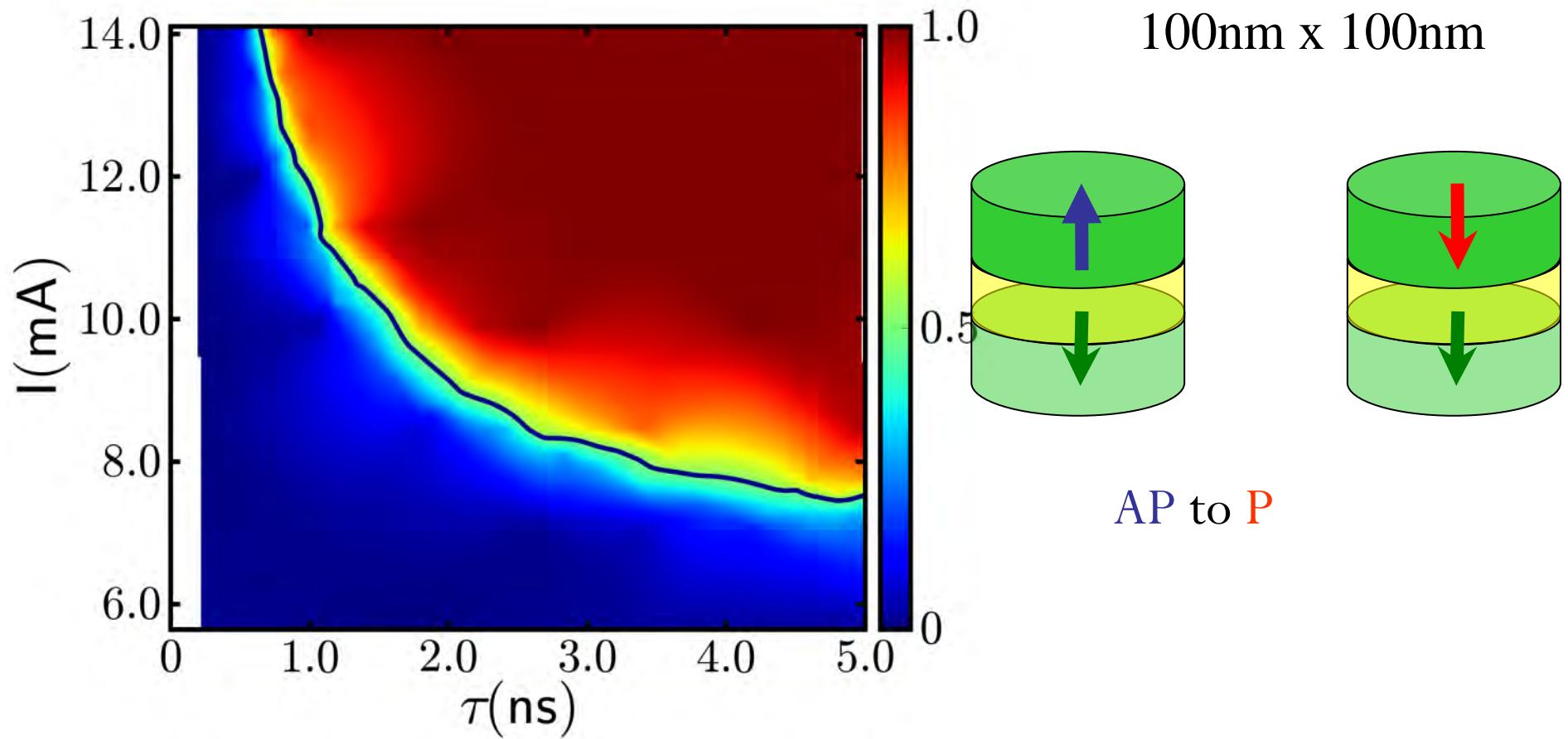
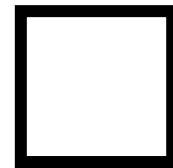
# Current Pulse Procedure



Apply the same pulse 100 – 10,000 times

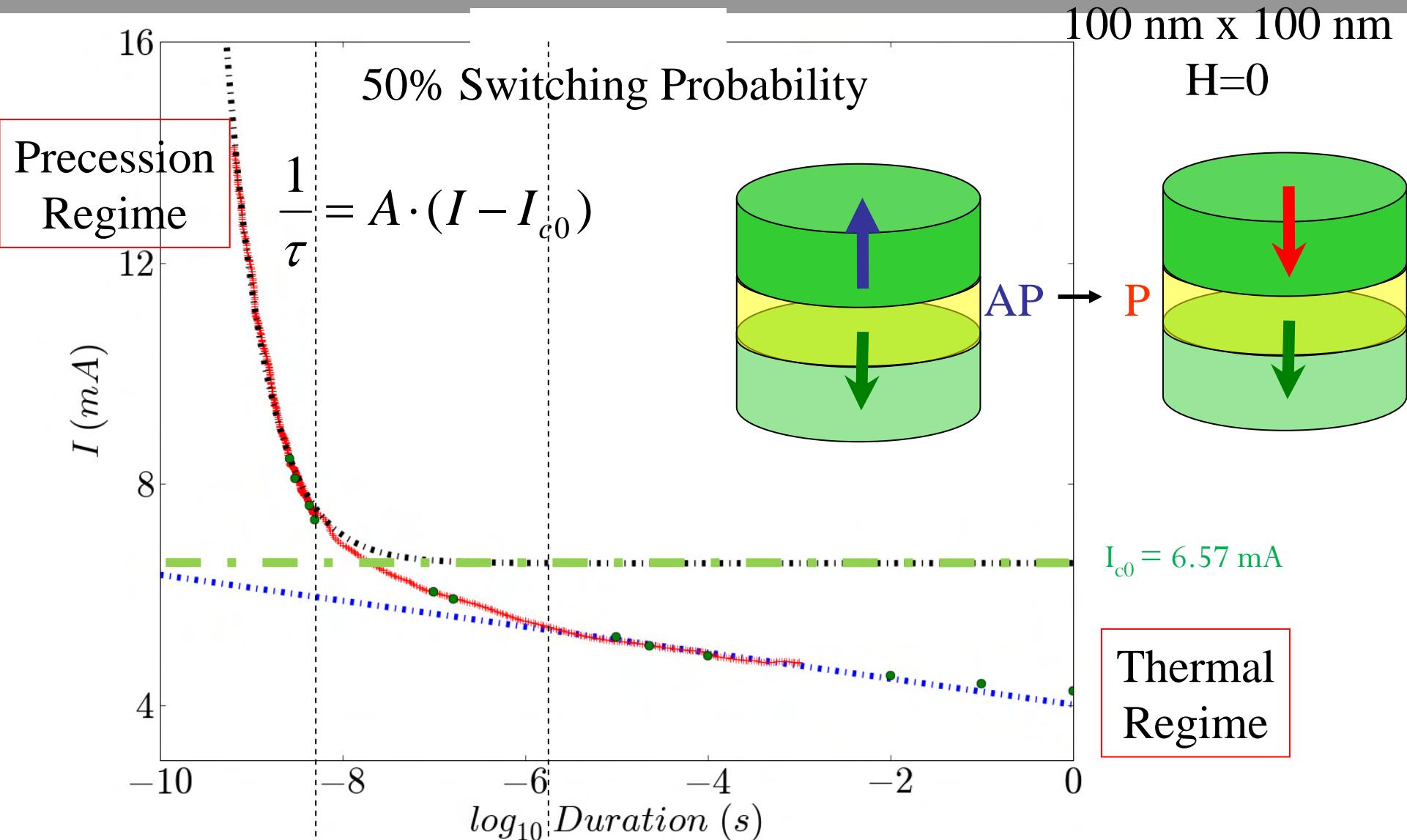
$$P(\tau) \text{ switching probability} = \frac{\# \text{ of switched}}{\# \text{ of pulse applied}}$$

# Switching probability

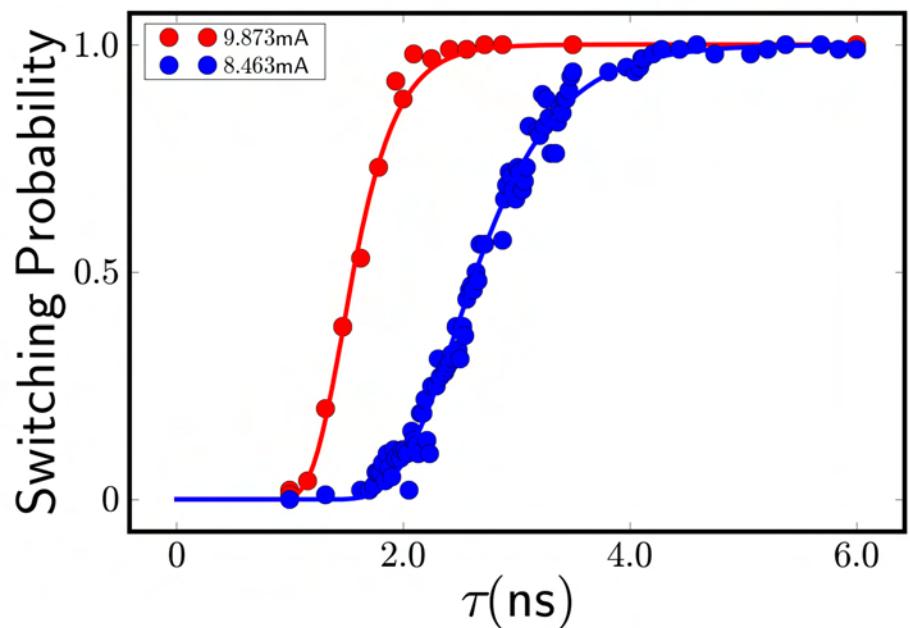


D. Bedau et al, Appl. Phys. Lett **96** 022514 (2010)

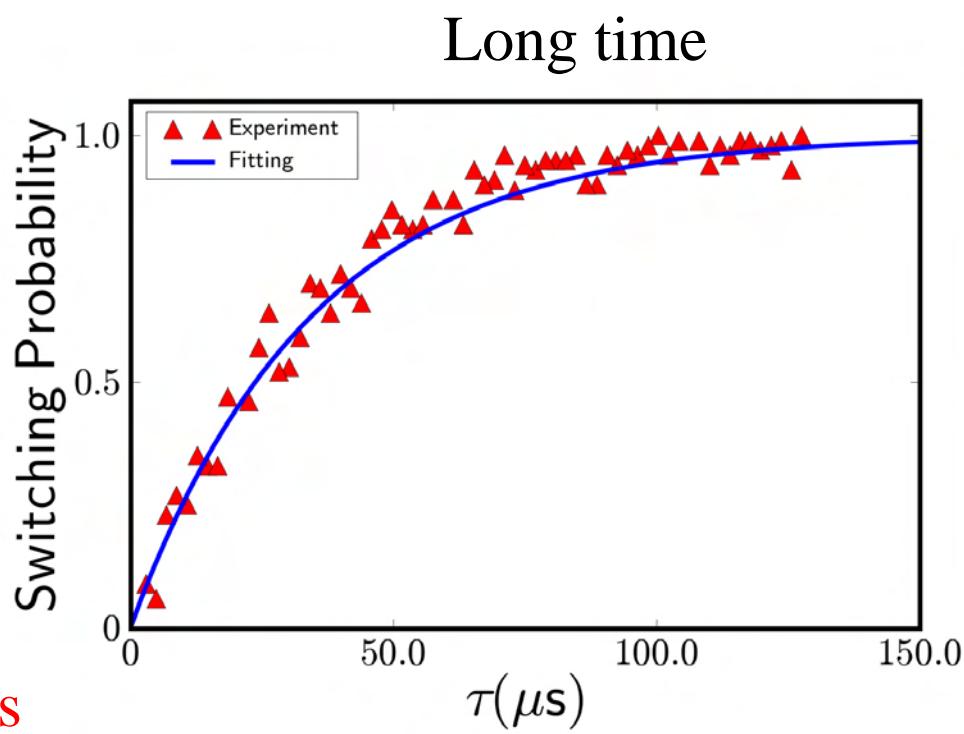
# Switching for different time domains



# Switching probability $\sim$ time



Short time



Long time

- The probability distribution differs significantly for short and long times.

# Optimal Pulse Duration

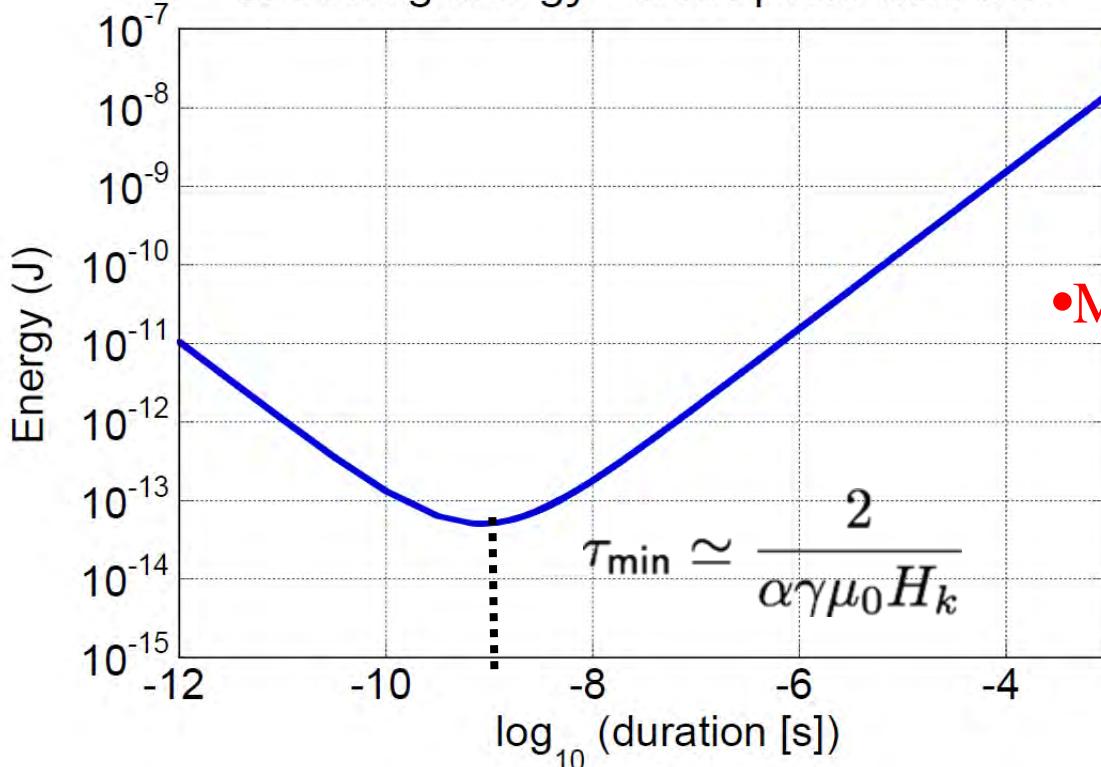
$$E = I^2 R \tau$$

-Short times       $I \sim 1/\tau$

-Long times       $I \sim \text{constant}$

$$\frac{1}{\tau} = A \cdot (I - I_{c0})$$

Switching energy versus pulse duration

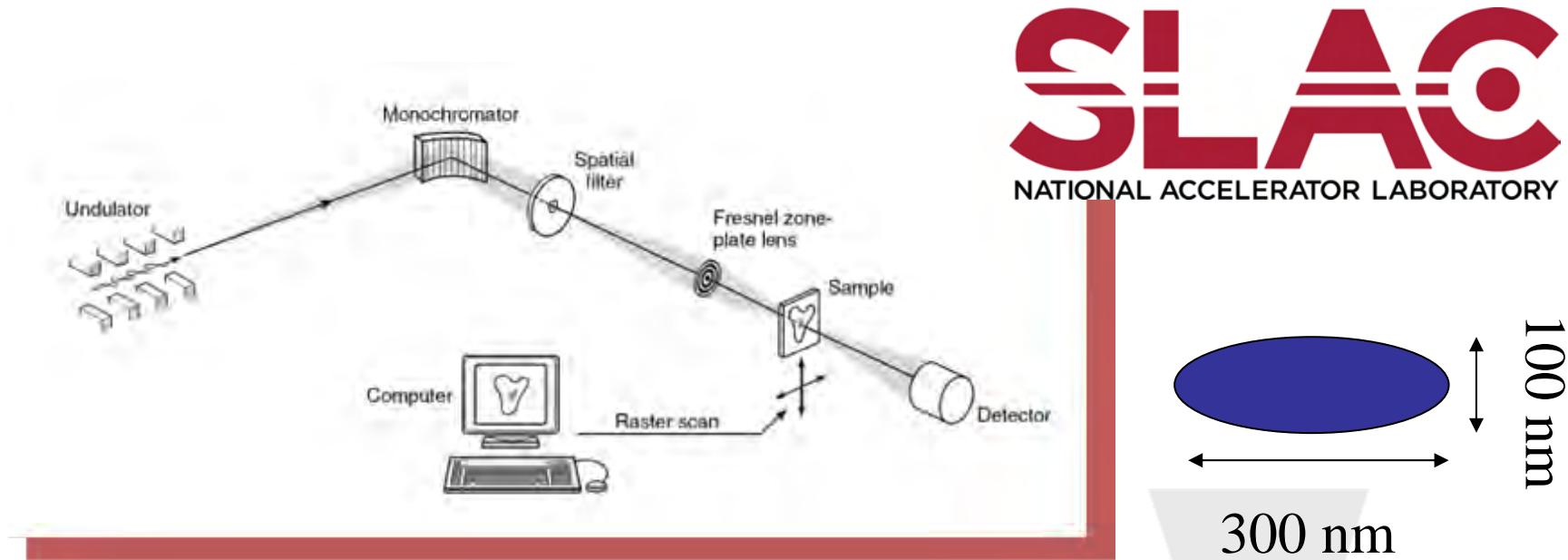


50 nm x 50 nm

- Minimum Energy switching at:  
 $E < 0.1 \text{ pJ}, \tau = 800 \text{ ps}$
- $U_k = 30-40 \text{ kT}$

- There is a minimum energy pulse required to switch the magnet
- Minimum occurs for pulses  $\sim 0.8$  ns with an energy of  $\sim 100$  fJ

# Scanning Transmission X-ray Microscopy

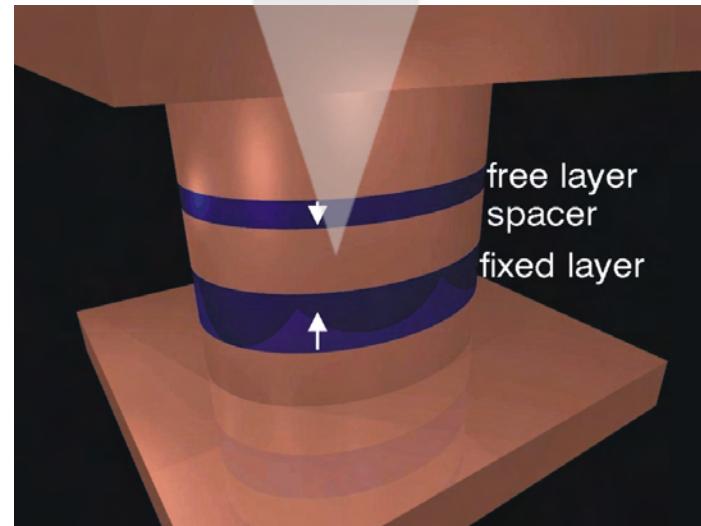


Element specific

Magnetic contrast

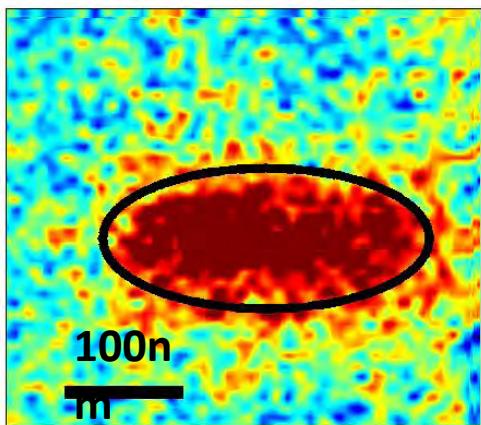
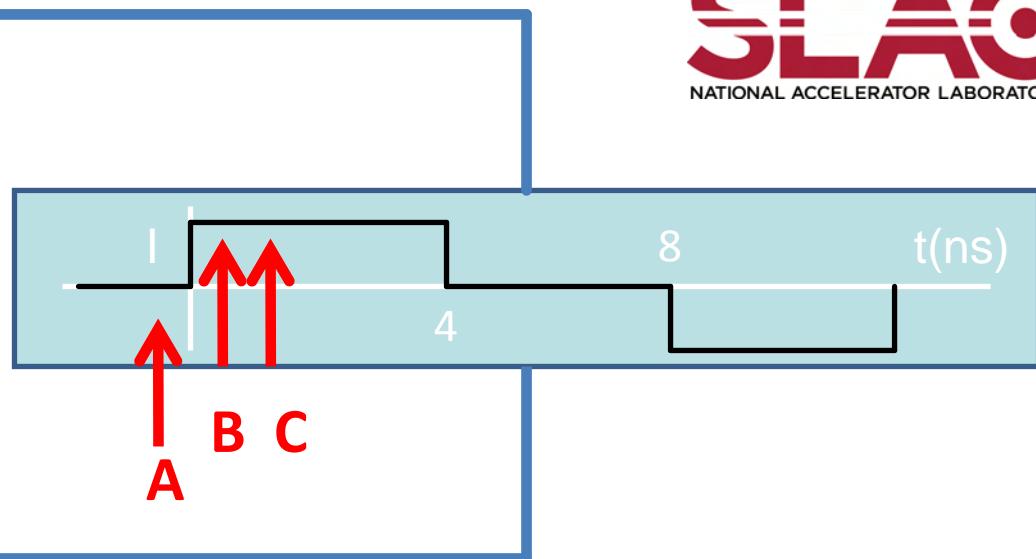
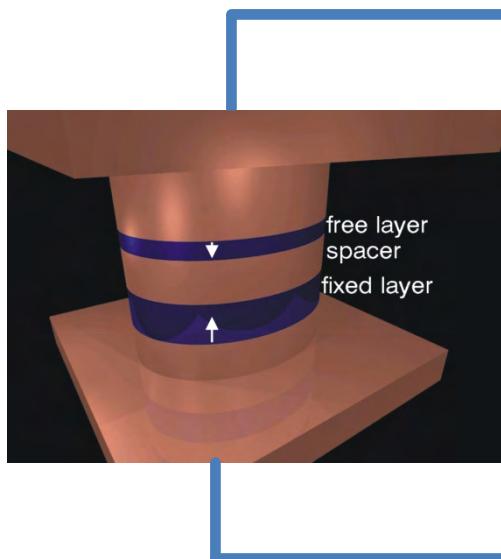
Time resolution (10 ps)

Spatial resolution (10 nm)

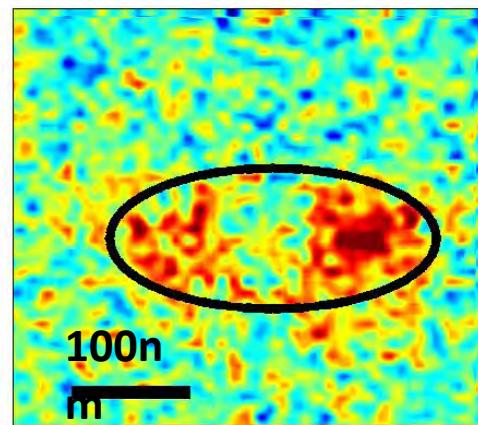


# Time Resolved Magnetic Microscopy

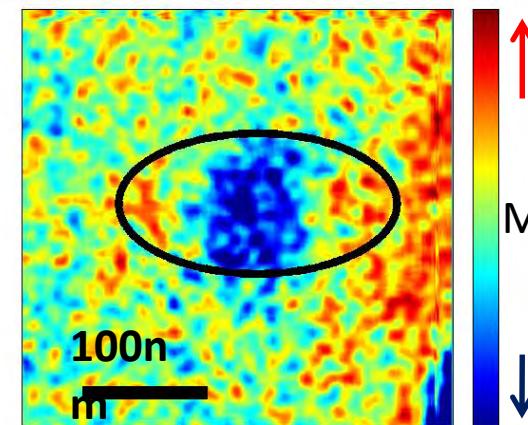
**SLAC**  
NATIONAL ACCELERATOR LABORATORY



**A**

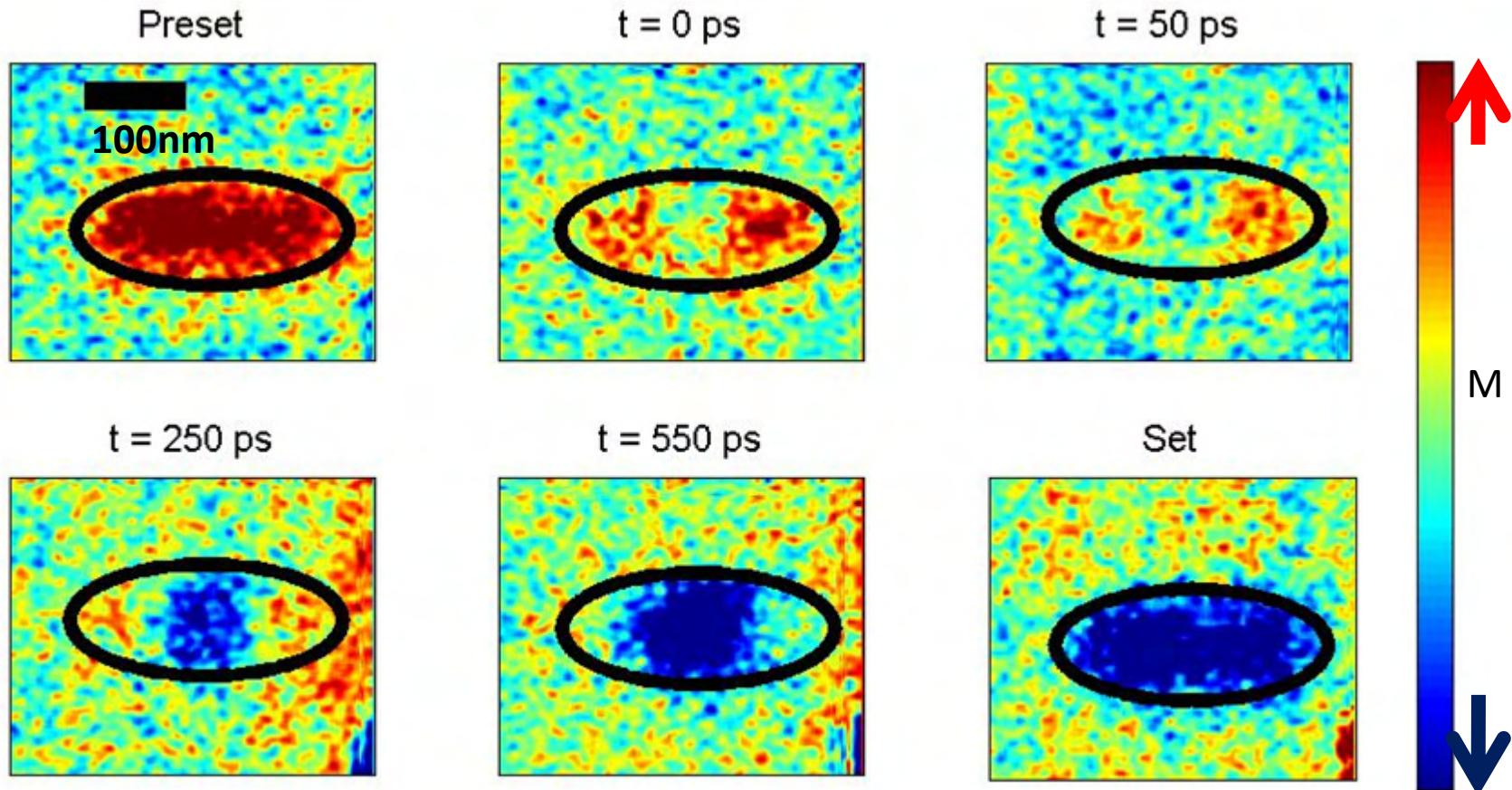


**B**



**C**

# Looking at a Time Series



Macro-spin approximation is no longer valid

# Conclusion

## Nanopillar spin valve with perpendicular magnetization

- Model system to study spin transfer torque effect
- Large efficiency: Spin Torque application
- Slow Dynamic: Thermal fluctuations
- Fast Dynamic: Angular momentum conservation
- Non uniform magnetization

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*Advanced Light Source, Lawrence Berkeley National Lab, USA*



# Thank you

